

Econ 702 Macroeconomics I

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Spring 2020

Lecture 22: Monetary Policy

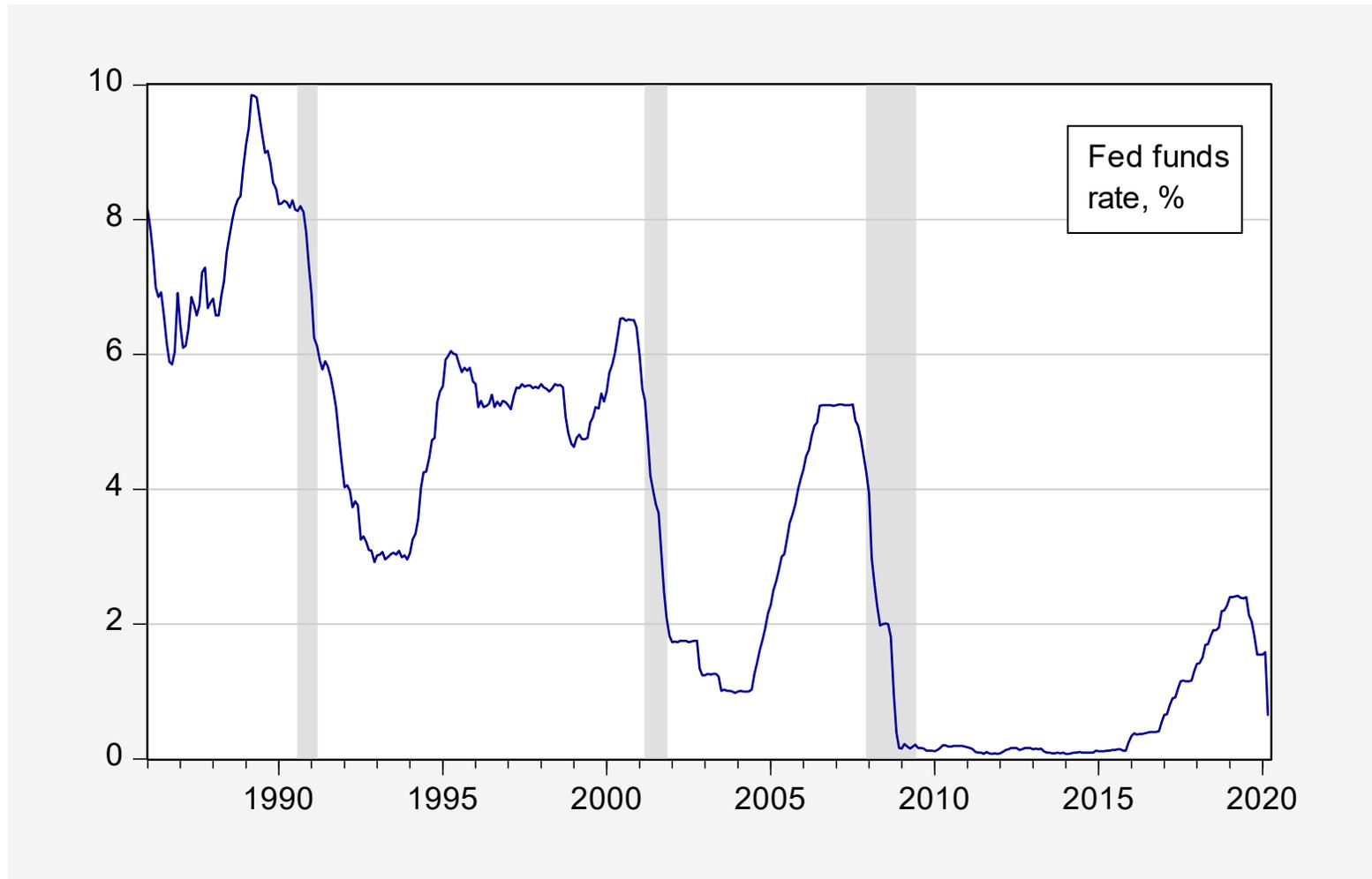
## Outline

- Is monetary policy exogenously determined
- How is optimal monetary policy defined?
- “Divine coincidence” and strict price stabilization
- Natural rate of interest

## Policy Exogeneity?

- In our expositions, we have treated fiscal policy and monetary policy as being conducted in a vacuum
- That is, we treat government spending and money supply changes as exogenously determined
- Let's take a look at the real world conduct of monetary policy as summarized by the policy rate – in the US the Fed funds rate

# Monetary Policy As Actually Executed



## Recap of the Model

$$C_t = C^d(Y_t - G_t, Y_{t+1} - G_{t+1}, r_t) \quad (27.1)$$

$$N_t = N^s(w_t, \theta_t) \quad (27.2)$$

$$P_t = \bar{P}_t + \gamma(Y_t - Y_t^f) \quad (27.3)$$

$$I_t = I^d(r_t, A_{t+1}, K_t) \quad (27.4)$$

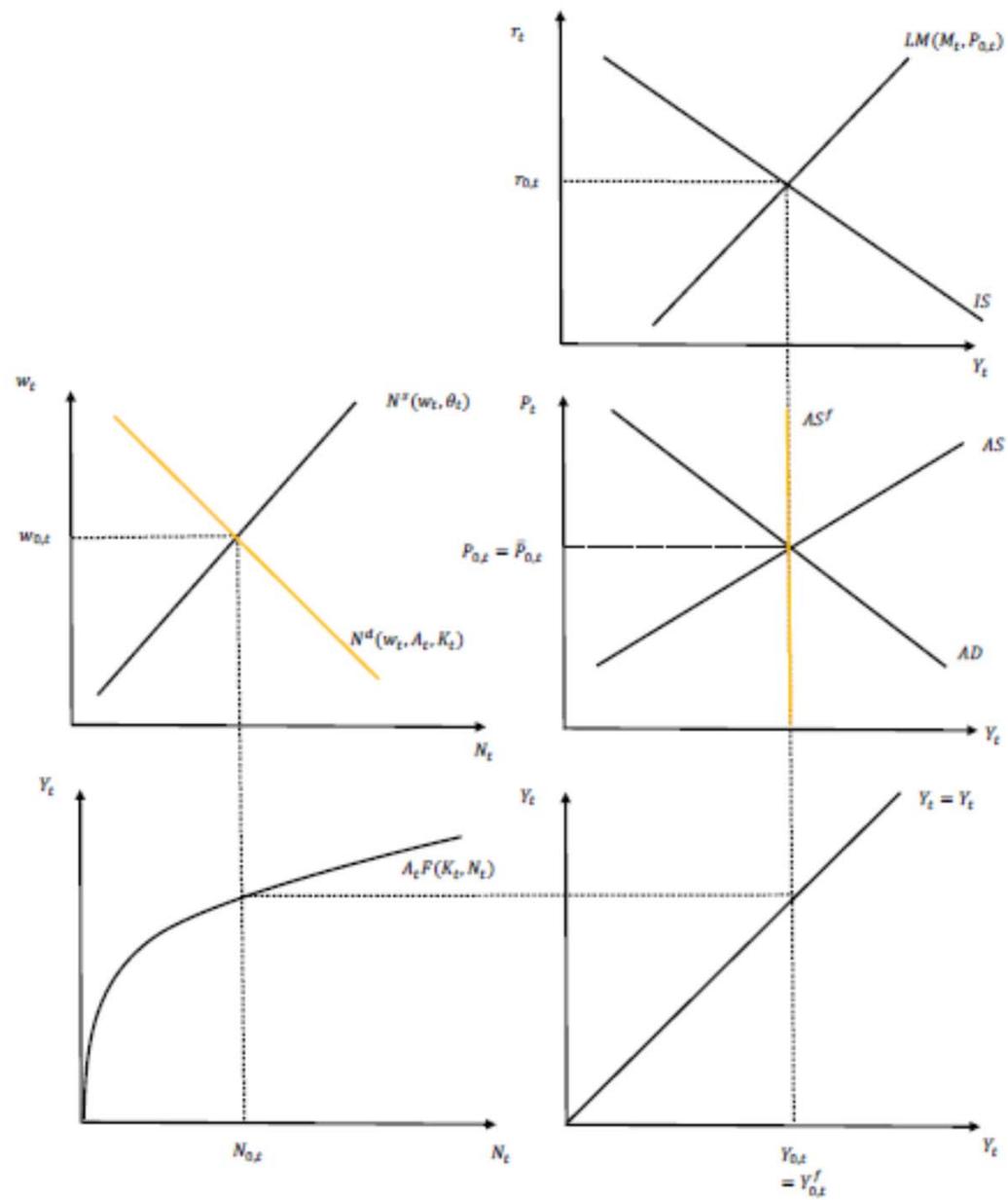
$$Y_t = A_t F(K_t, N_t) \quad (27.5)$$

$$Y_t = C_t + I_t + G_t \quad (27.6)$$

$$M_t = P_t M^d(r_t + \pi_{t+1}^e, Y_t) \quad (27.7)$$

$$r_t = i_t - \pi_{t+1}^e \quad (27.8)$$

Figure 27.1: Equilibrium in the Partial Sticky Price Model



What's the goal of monetary policy

- Point of monetary policy is to re-establish the flexible price equilibrium in response to shocks
- Consider IS shocks (government spending, future productivity)
- Then supply shocks (current productivity, disutility of work)
- And finally expected price shock (or materials price shock)

Figure 27.2: Optimal Monetary Response to Positive IS Shock

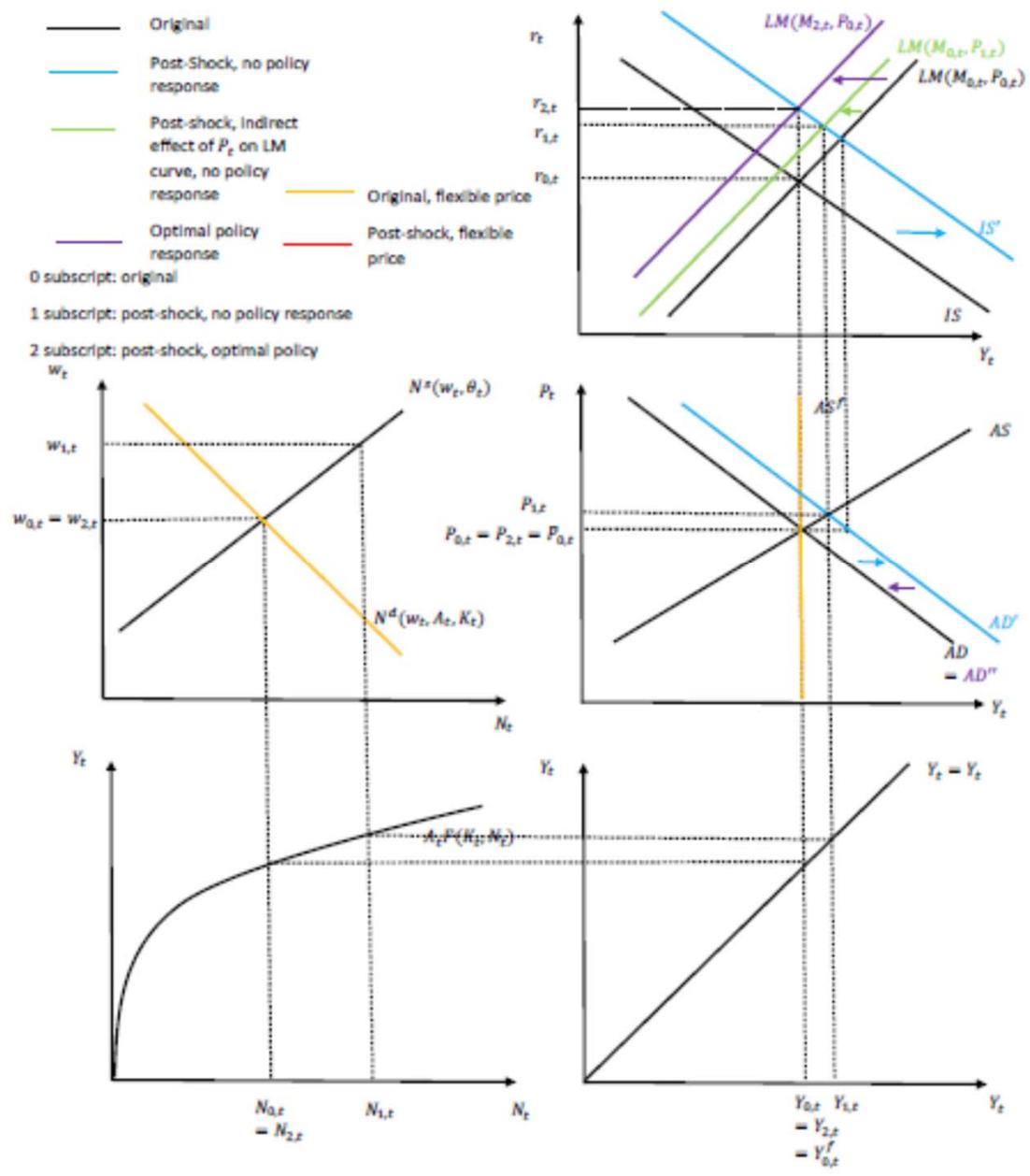


Figure 27.3: Optimal Monetary Response to Increase in  $A_t$

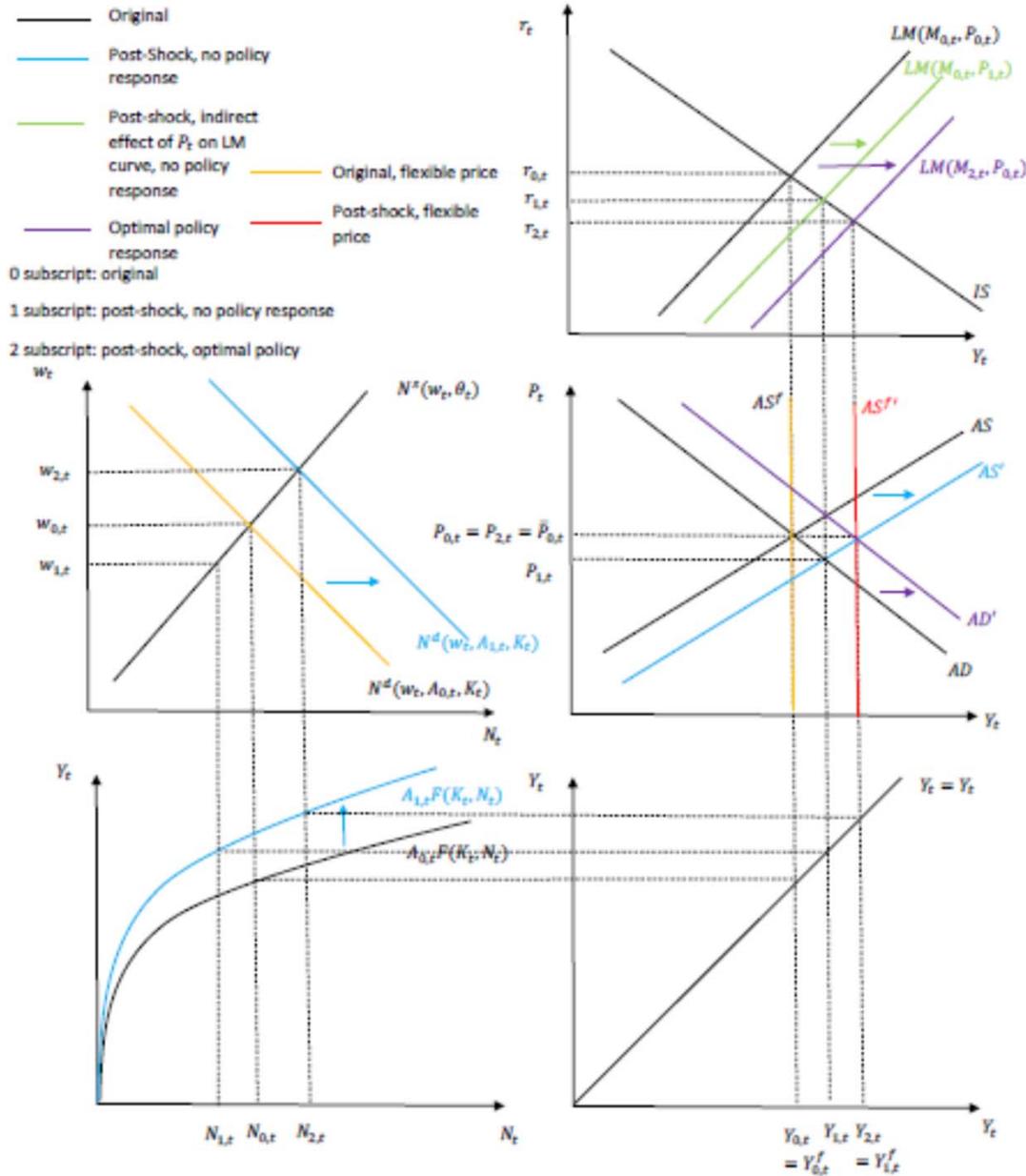
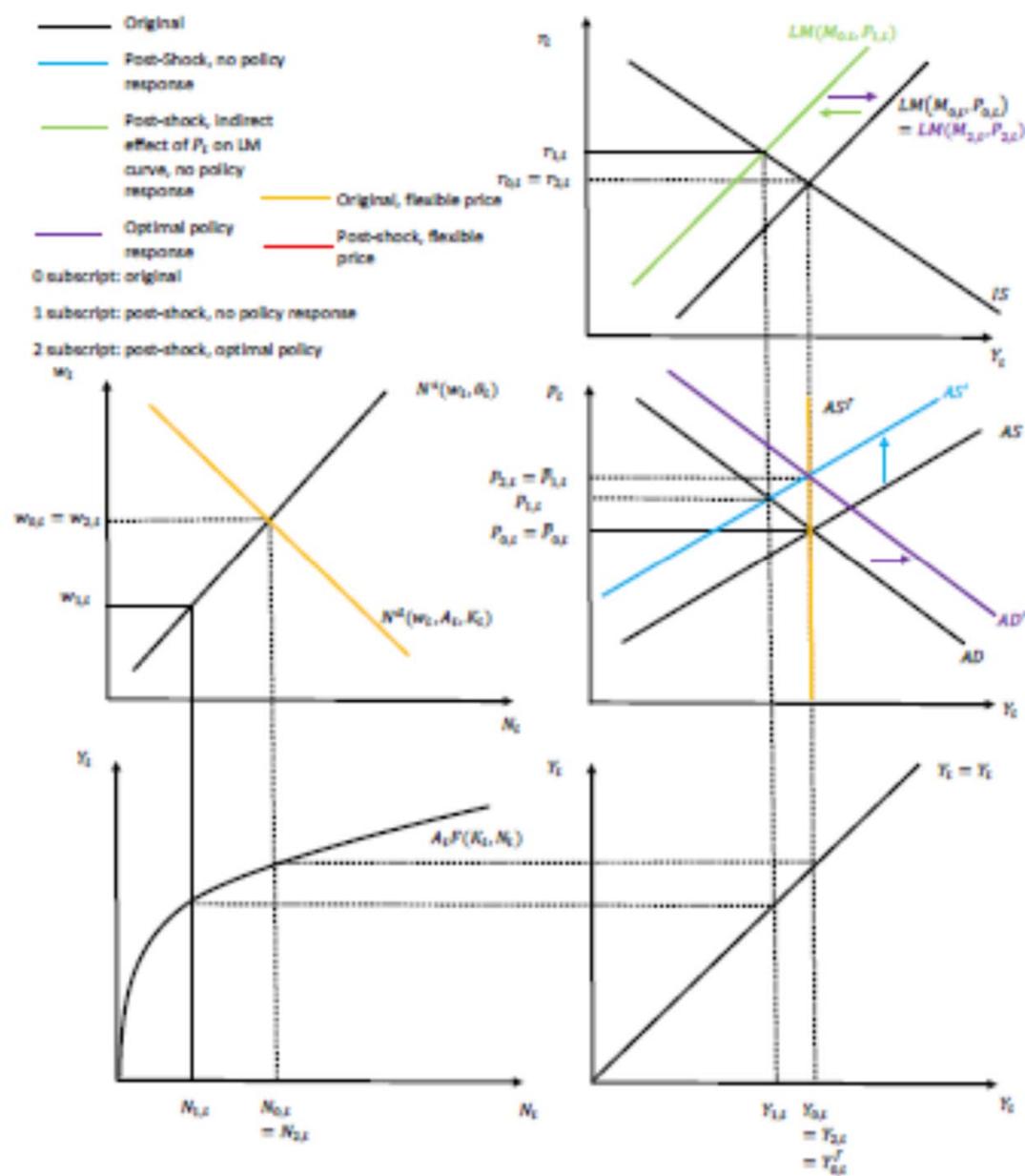


Figure 27.4: Optimal Monetary Response to Increase in  $\bar{P}_t$



# Optimal Policy

Table 27.1: Optimal Monetary Policy Reaction to Different Shocks

Variable	Exogenous Shock		
	$\uparrow$ IS curve	$\uparrow A_t$	$\uparrow \bar{P}_t$
$M_t$	-	+	+
$r_t$	+	-	-
$i_t$	+	-	-

In summary

- Counteracts positive IS shocks (works in opposite direction)
- Accommodates positive supply shocks (moves in same direction)
- Counteracts (in output terms) exogenous price shocks

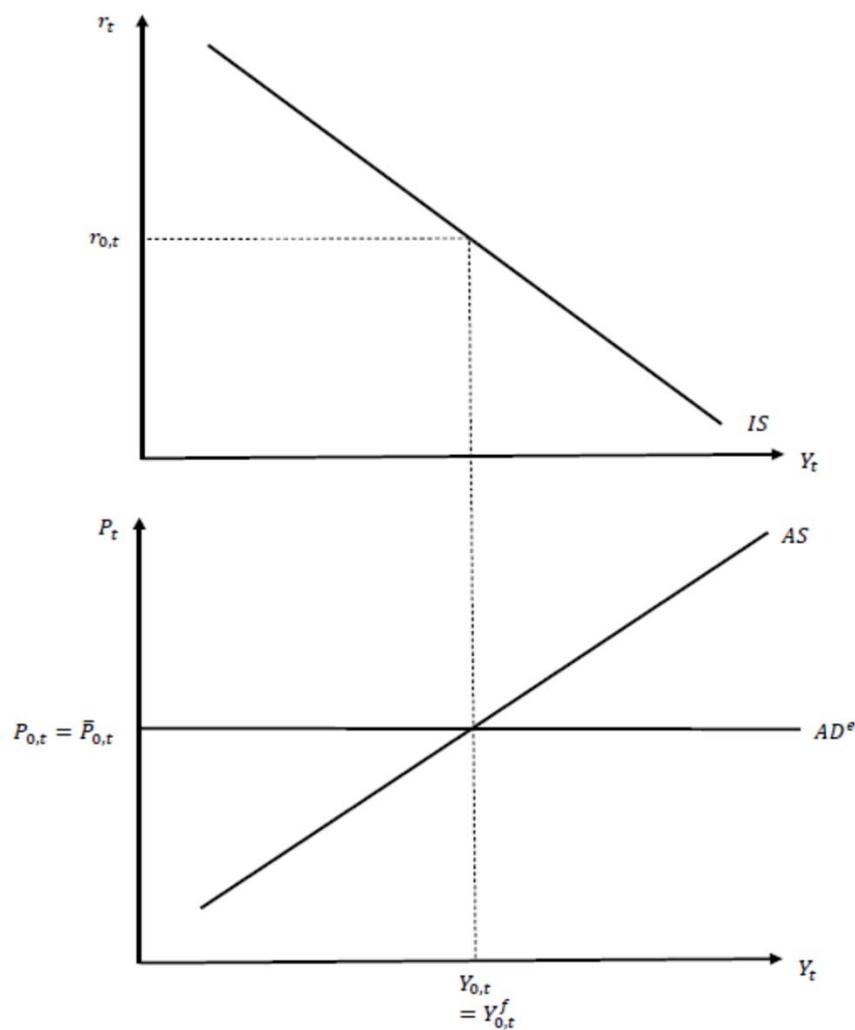
## Isn't Price Stability the Optimal Policy?

- Having price stability as a goal is sometimes termed an “inflation target”
- This can mean one goal, or the only goal
- In US, one goal is 2% inflation (Personal Consumption Expenditure deflator)
- Price stability could be optimal goal if exogenous shocks to price level are not too important
- Price stability is optimal by virtue of optimally reacting to IS or supply shocks

# Interpreting Strict Price Stability

Money supply is adjusted constantly to keep price level constant, so “effective AD” is flat

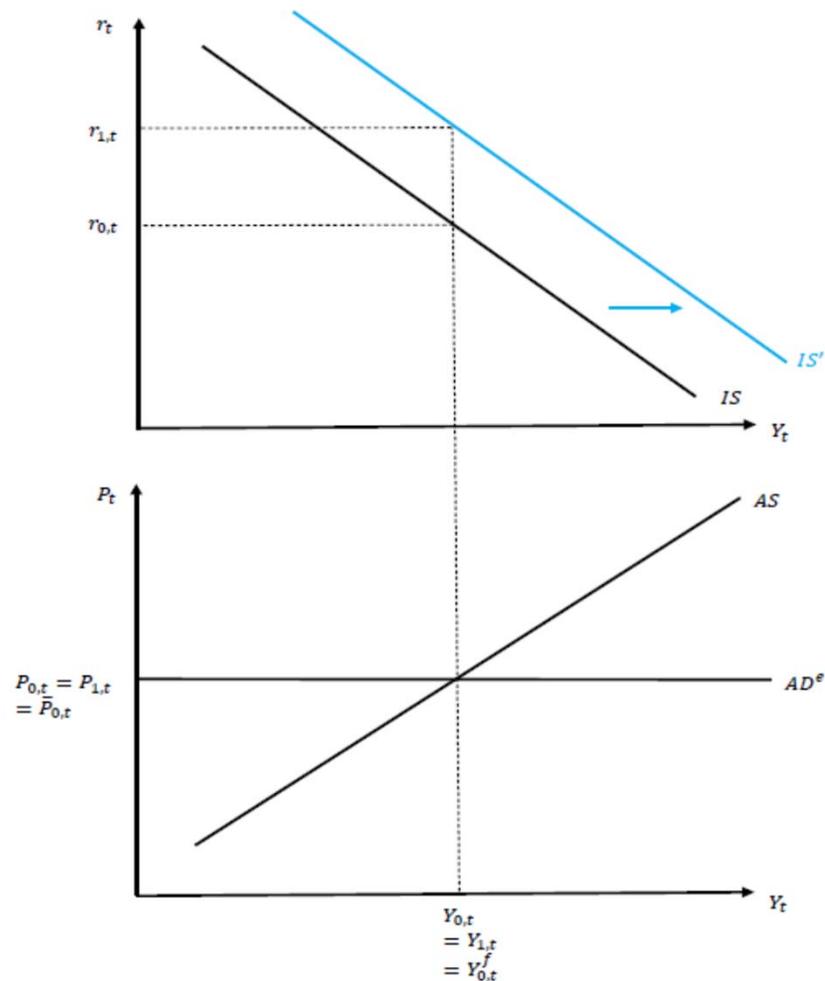
Figure 27.5: A Strict Inflation (Price Level) Target and the Effective AD Curve



# Interpreting Strict Price Stability

If there is an IS shock, central bank must raise real rate to keep price level constant

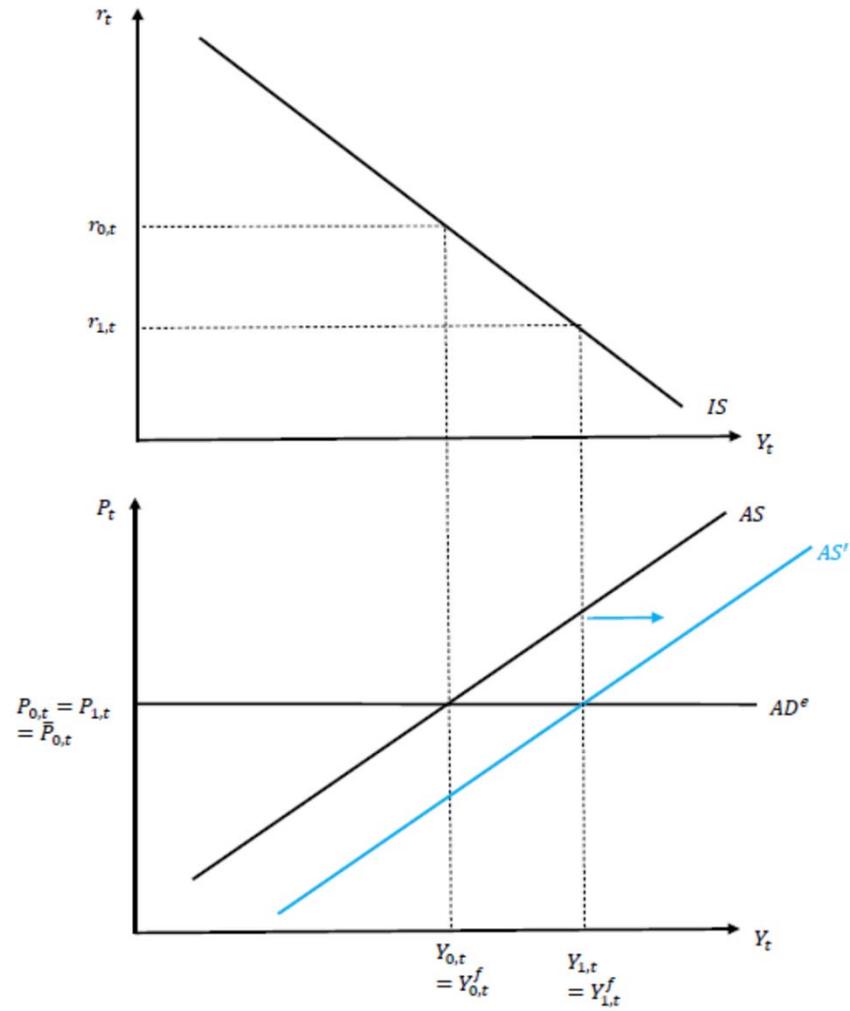
Figure 27.6: A Strict Inflation (Price Level) Target: Response to Positive IS Shock



# Interpreting Strict Price Stability

If there is a positive supply shock, then central bank has to lower real rate to keep price level constant

Figure 27.7: A Strict Inflation (Price Level) Target: Response to  $\uparrow A_t$  or  $\downarrow \theta_t$



“Divine Coincidence” (Blanchard, Gali, 2007)

- Strict price stabilization means the optimal equilibrium is achieved.
- Remarkably, one does not need to know full employment output (potential GDP) in order to achieve optimal equilibrium
- All one needs to observe is the price level (which is much easier to observe than full employment output)

“Divine Coincidence” (Blanchard, Gali, 2007)

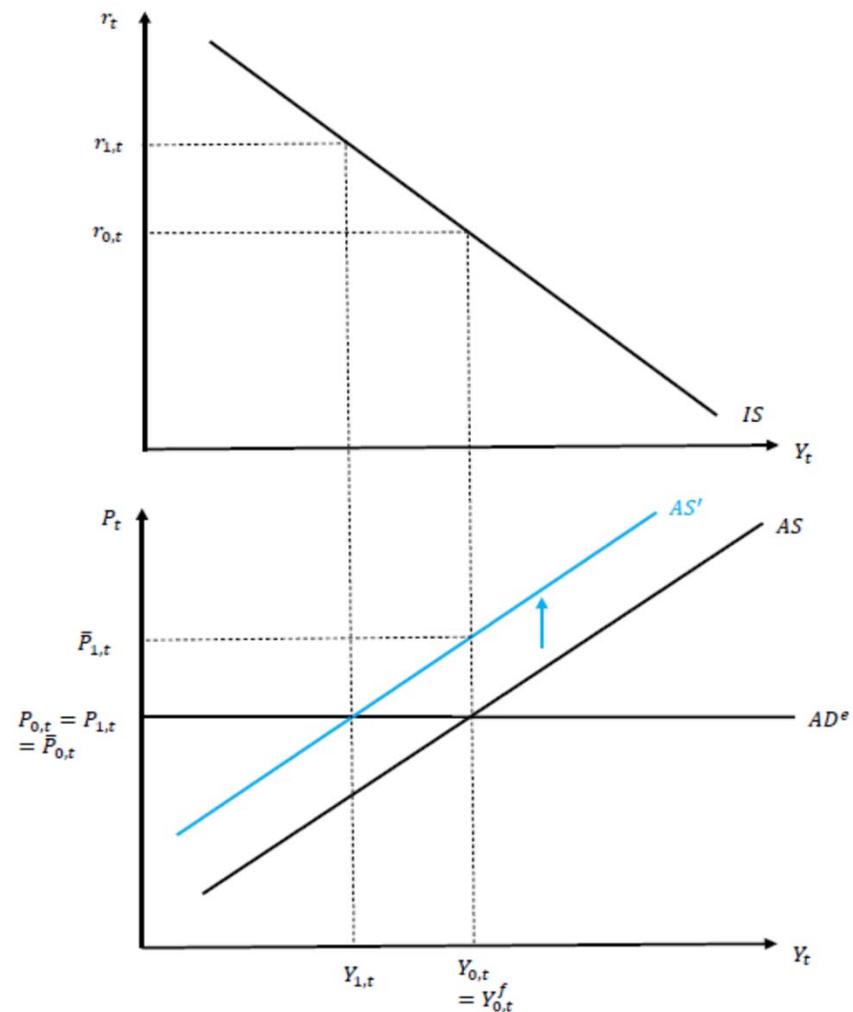
- More generally, does the “Divine Coincidence” hold?
- Or, is it likely to hold in the “real world”?
- The answer to the first question is “No”
- And to the second question is likely “No”



# Interpreting Strict Price Stability

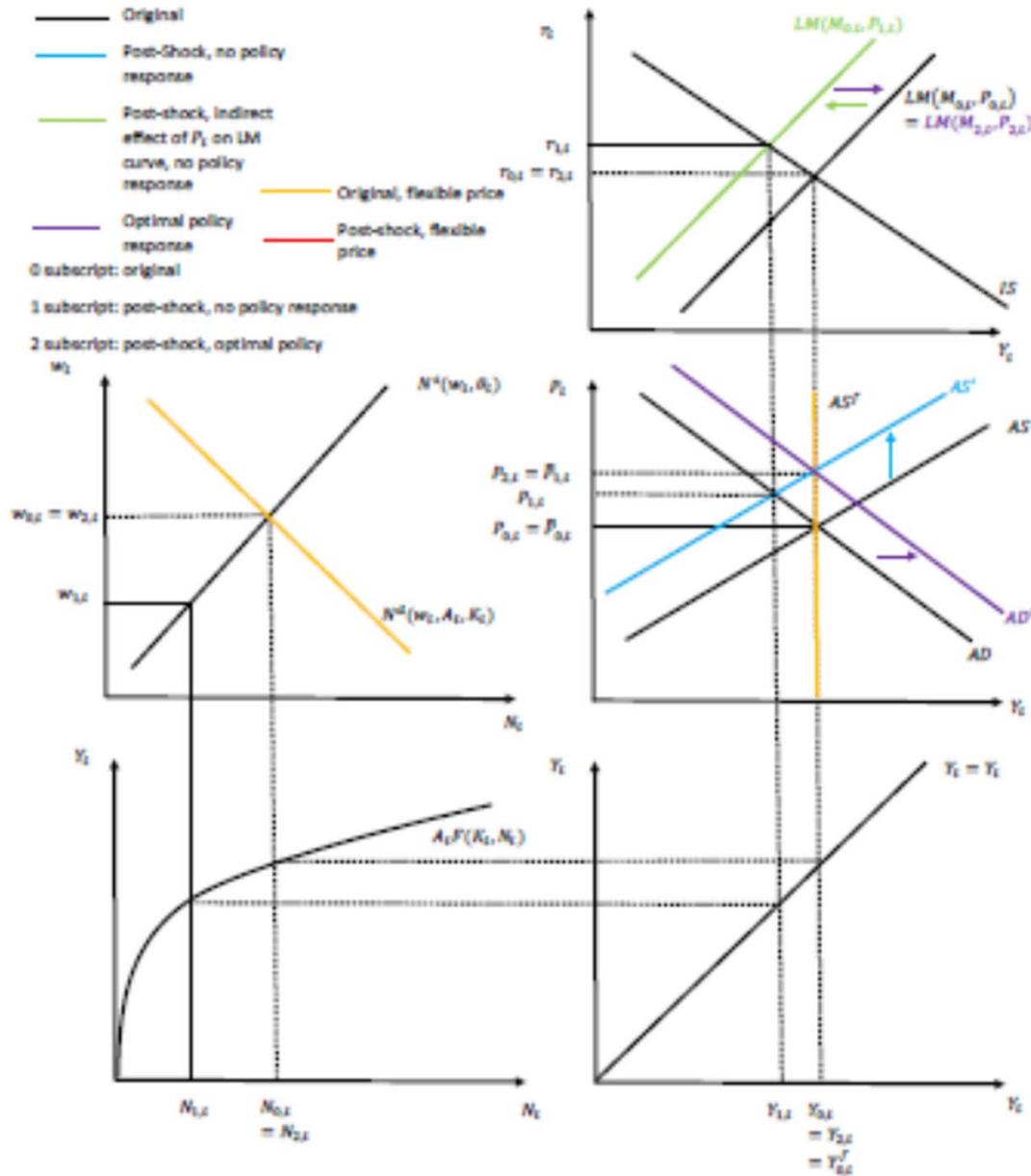
If there is an increase in the exogenous component of  $\bar{P}$ -bar (say materials price increase), then  $AS$  shifts up, output falls below potential

Figure 27.8: A Strict Inflation (Price Level) Target: Response to  $\uparrow \bar{P}_t$



# Trade-off in Price Stability, Output when Price Shocks

Keeping output constant in face of shock inevitably leads to price level increase



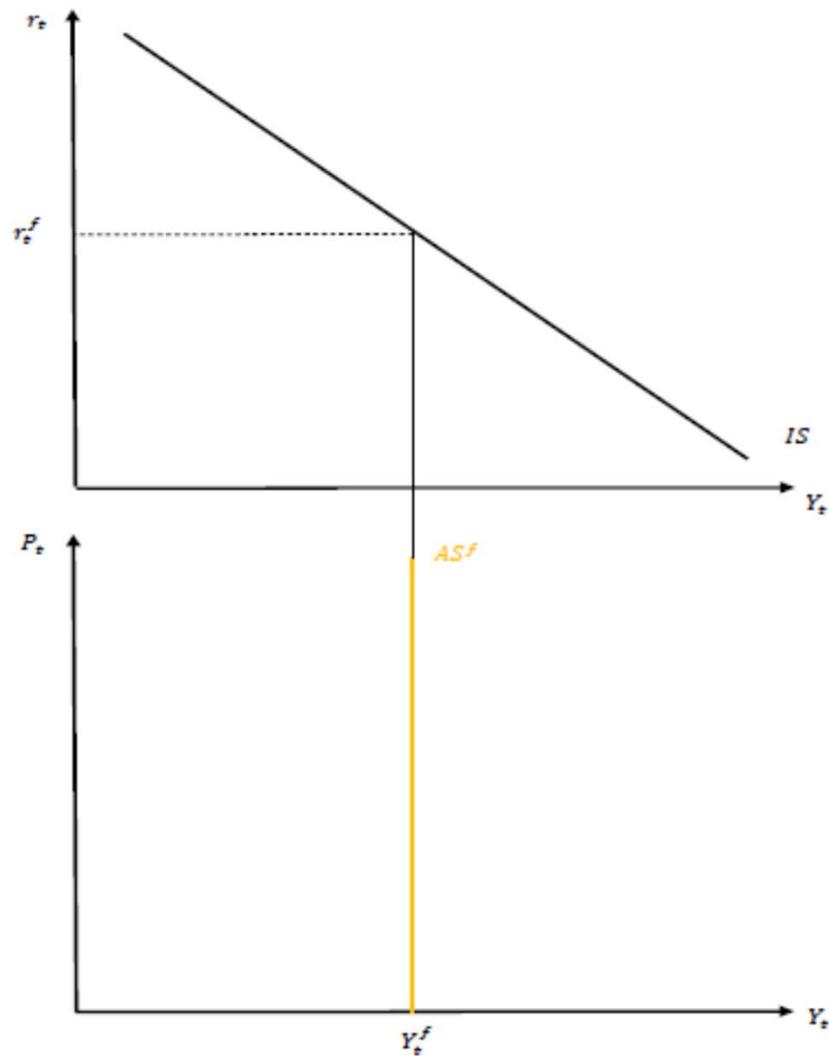
## The Natural Rate of Interest

- The real interest rate that sets output equal to full employment output
- The real rate that would be delivered in equilibrium in a neoclassical model
- Also known as “the neutral rate”
- Attributed to Wicksell (1898) and Woodford (2003).
- This concept is useful when monetary policy is couched in terms of interest rates
- (changing nominal rate = changing real rate when expected inflation is constant)

Def'n

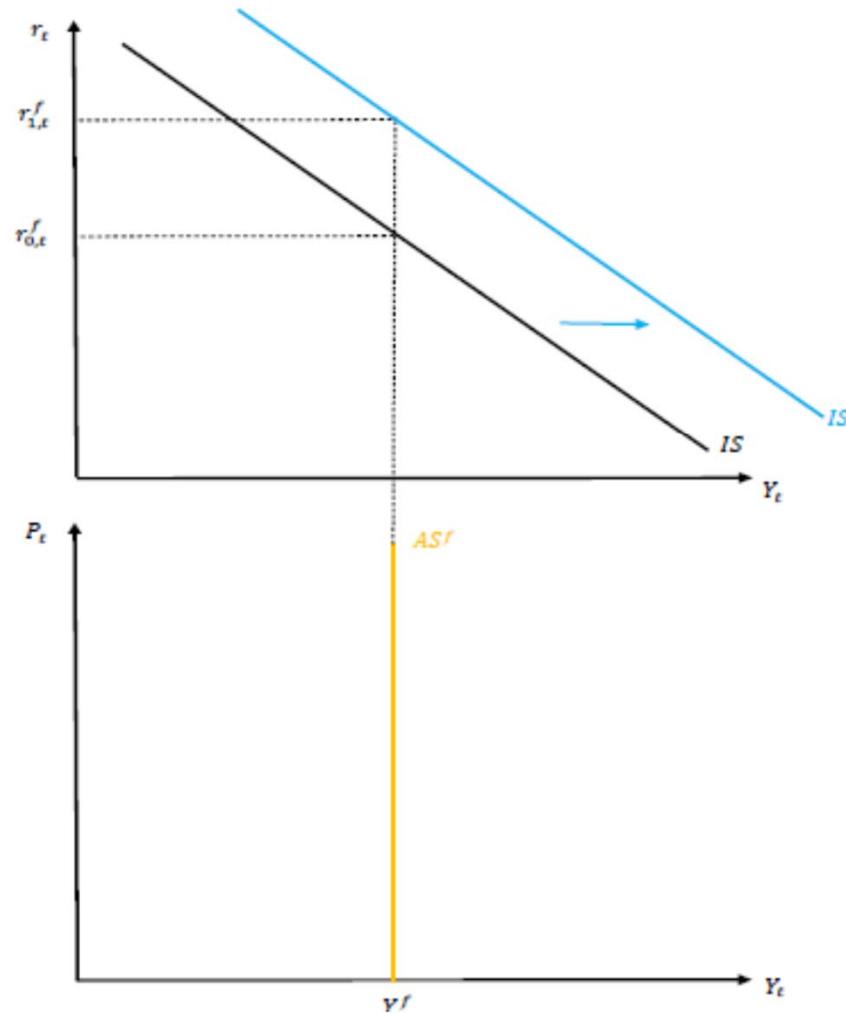
$$Y_t^f = C(Y_t^f - G_t, Y_{t+1} - G_{t+1}, r_t^f) + I^d(r_t^f, A_{t+1}, K_t) + G_t \quad (27.9)$$

Figure 27.9: The Natural Rate of Interest



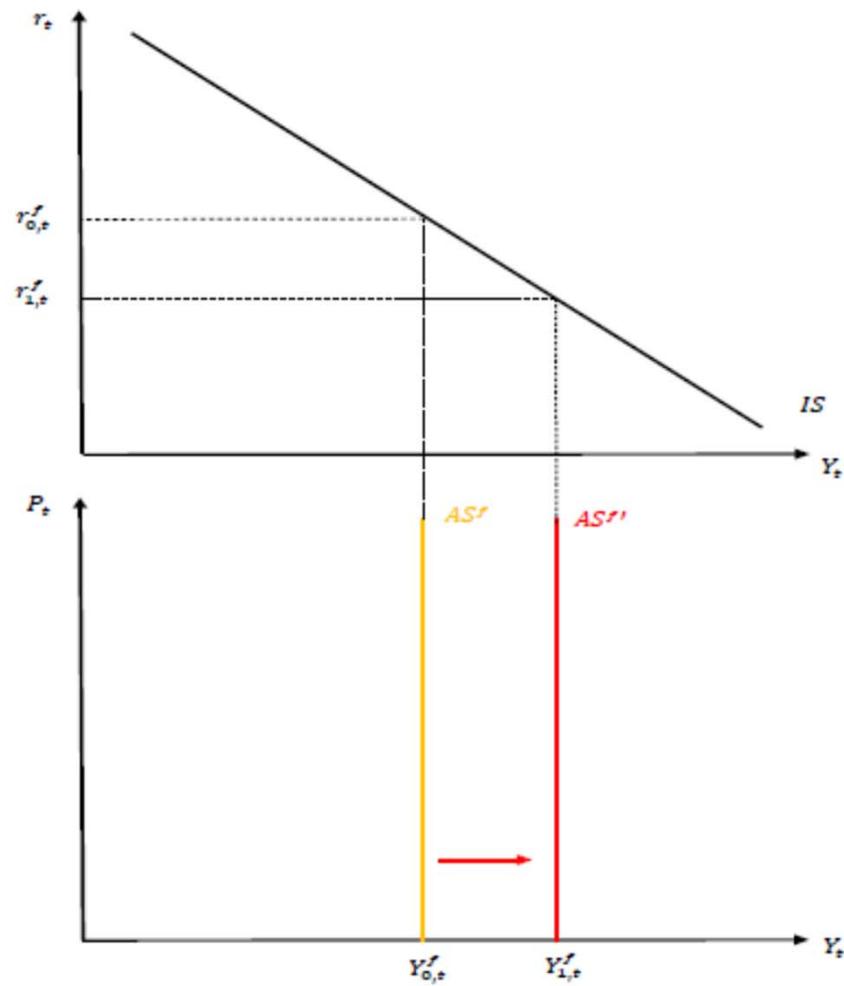
# Fiscal Policy Affects the Natural Rate

Figure 27.10: IS Shocks and the Natural Rate of Interest



# Supply Shocks Affect the Natural Rate

Figure 27.11:  $Y_t^f$  Shocks and the Natural Rate of Interest



So Move Interest Rates Instead of Money Supply to Hit Full Employment Output

$$\frac{M_t}{P_t} = M^d(r_t^f + \pi_{t+1}^e, Y_t^f) \quad (27.10)$$

By choosing M in order to make (27.10) hold

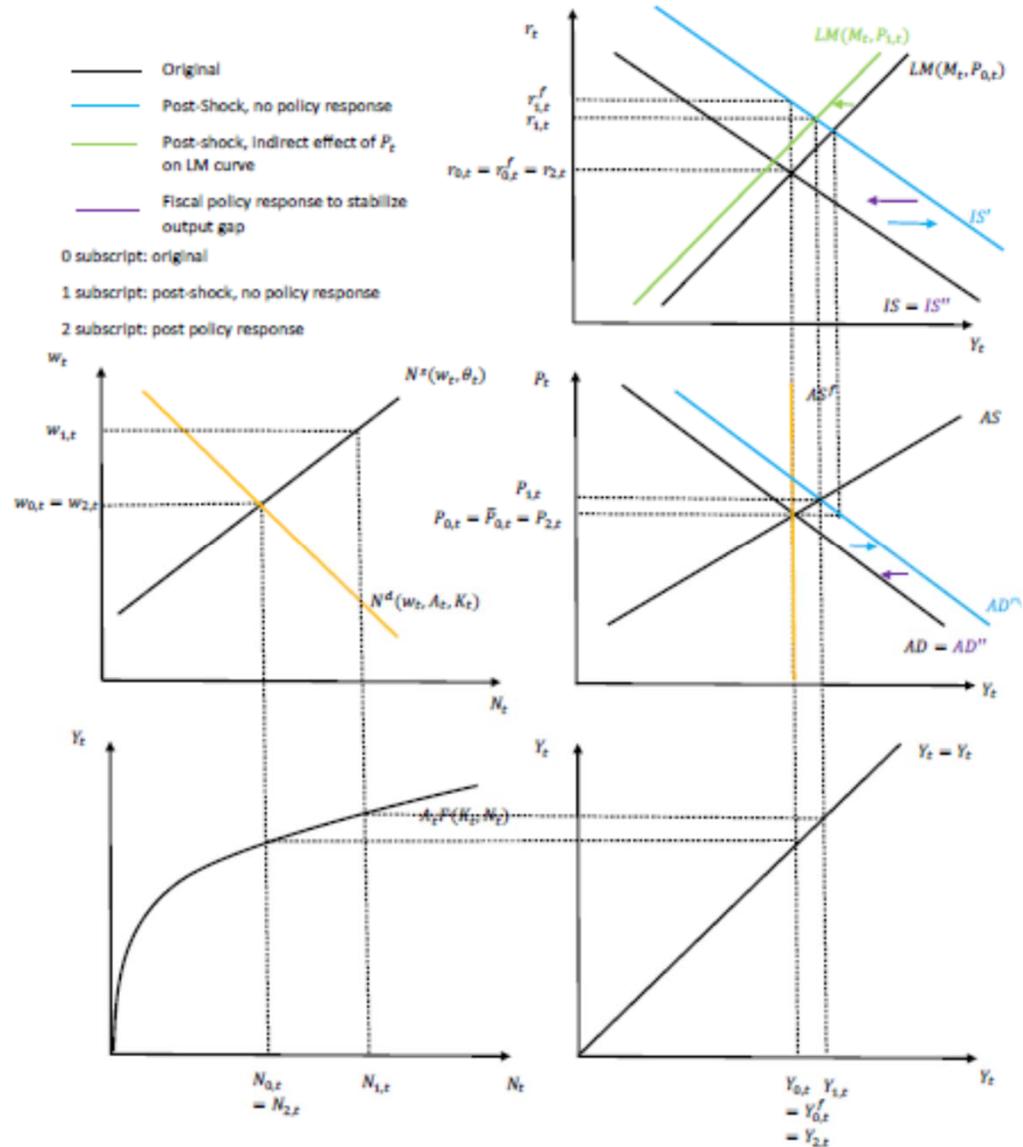
## Fiscal or Monetary Preferred?

- Fiscal affects the natural rate
- Monetary does not
- Fiscal has long inside lag (proposal, legislation, implementation)
- But monetary has a long outside lag (interest rates affect investment, consumption)

# Example Why Monetary to Be Preferred

Figure 27.12: Using Fiscal Policy to Combat an IS Shock

Keeping output constant by reducing  $G$  in face of positive IS shock results in  $r_{2,t} < r_{1,t}^f$   $\Rightarrow$  Changes composition of output at  $Y = Y^f$



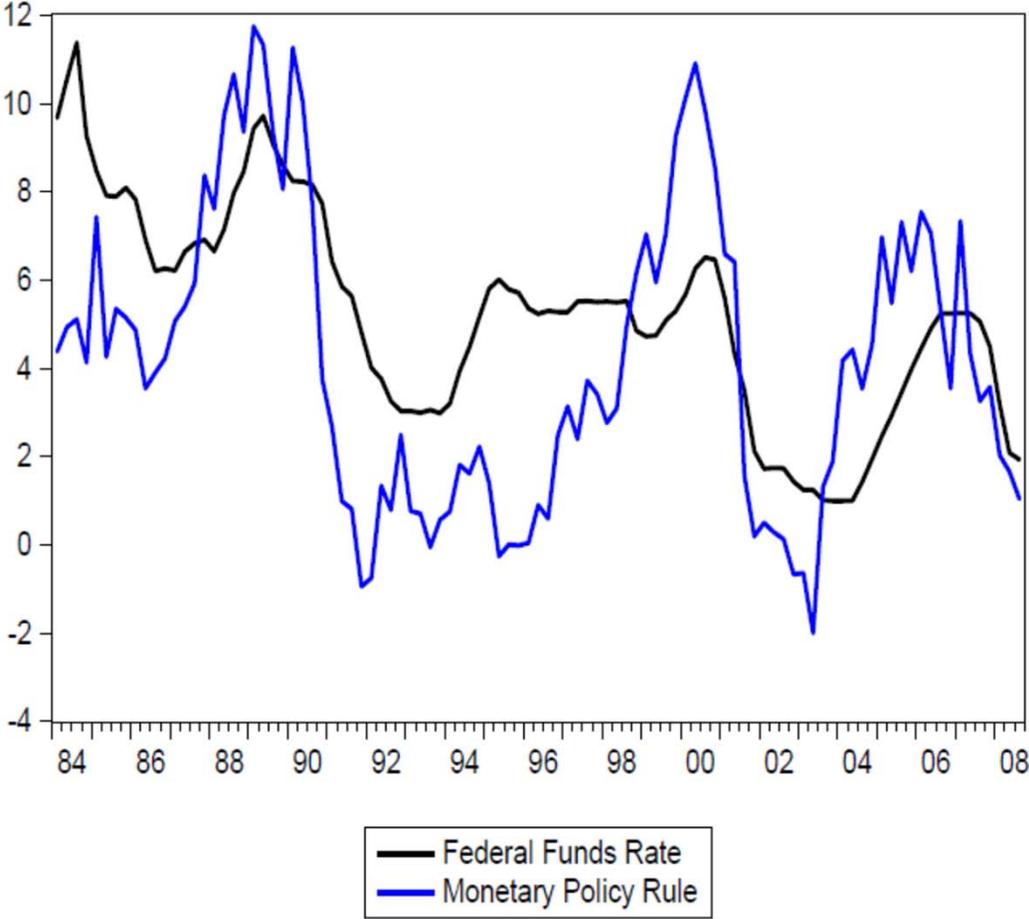
## Taylor Rules (Taylor, 1993)

$$i_t = r^* + \pi^* + \phi_\pi(\pi_t - \pi^*) + \phi_y(Y_t - Y_t^f) \quad (27.11)$$

Textbook uses some standard assumptions

- $r^*$  (assumed) at 2.5%
- $\pi^*$  at 2%
- $\phi_\pi = 1.5$
- $\phi_y = 0.5$

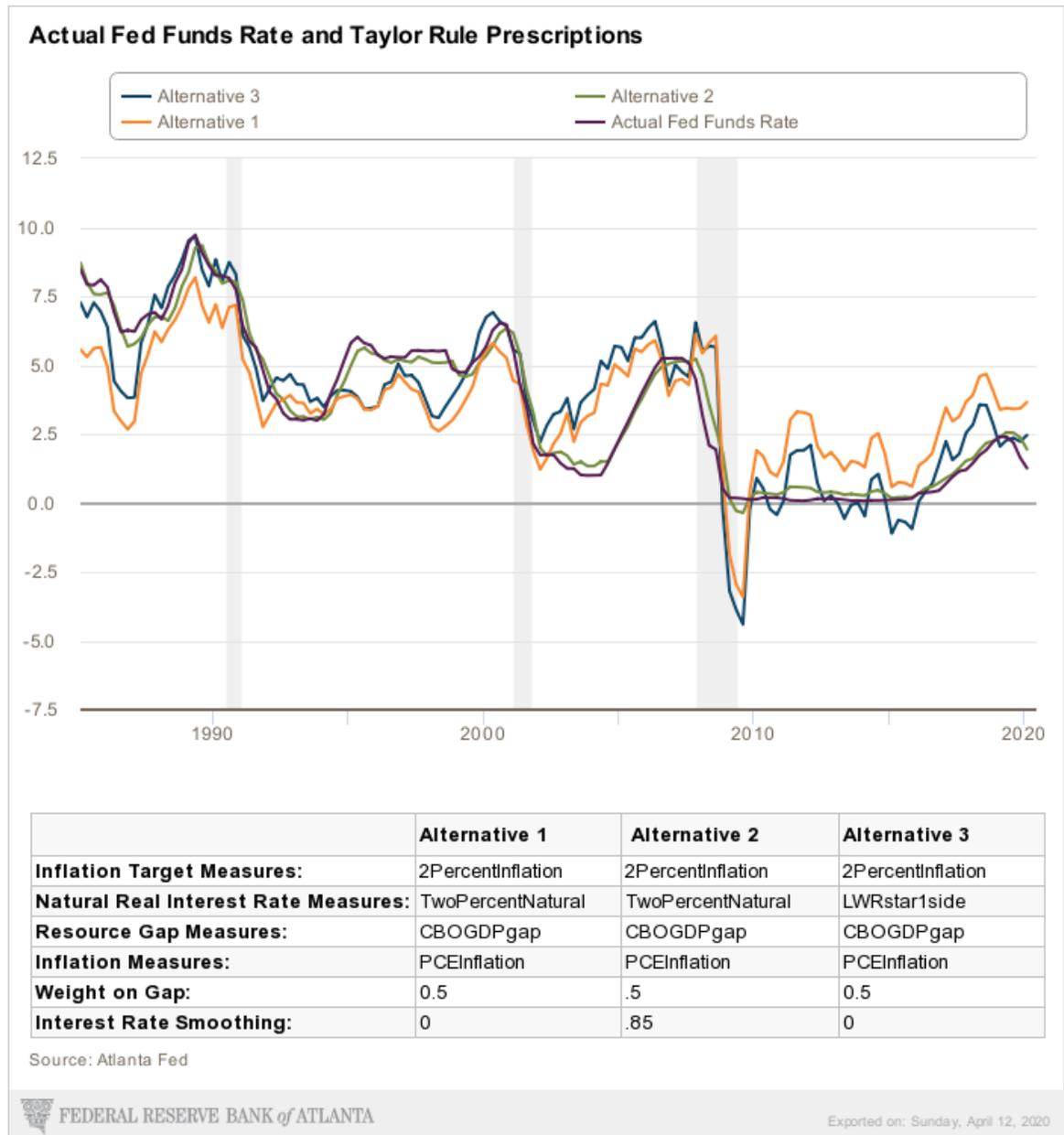
Figure 27.13: Actual and Monetary Policy Rule Implied Fed Funds Rate



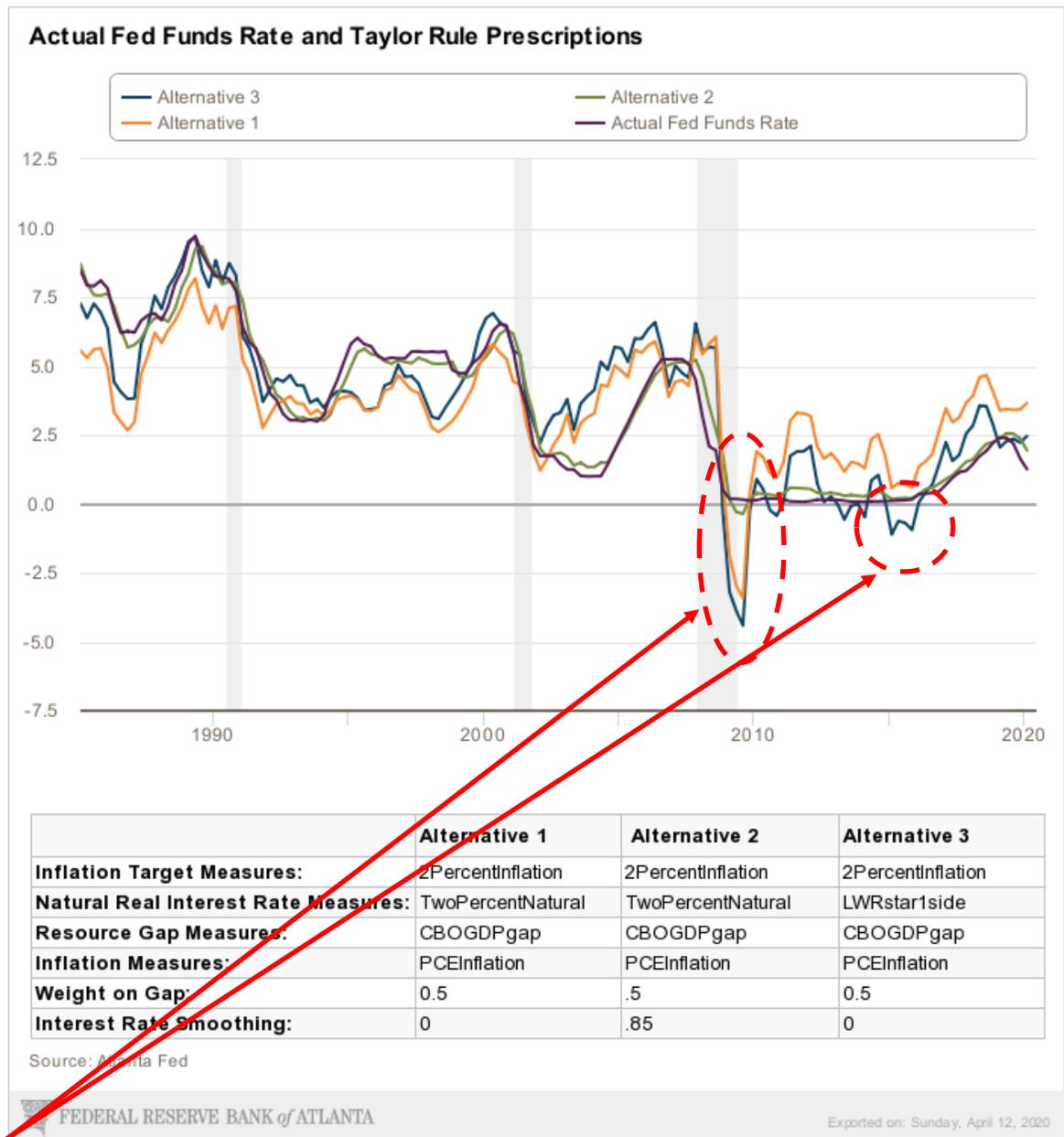
## In Reality, Central Banks “Smooth”

- One can add an autoregressive feature, letting current policy rate depend on lagged policy rate in eqn (27.11)
- This will produce a better fit to the actual data
- Show this using Atlanta Fed Taylor Rule app <https://www.frbatlanta.org/cqer/research/taylor-rule>

- Alt 1: Eqn 27.11 except  $r^* = 2\%$
- Alt 2: Eqn 27.11, but w/smoothing parameter = 0.85
- Alt 3: Eqn 27.11, except  $r^*$  estimated



- Alt 1: Eqn 27.11 except  $r^* = 2\%$
- Alt 2: Eqn 27.11, but w/smoothing parameter = 0.85
- Alt 3: Eqn 27.11, except  $r^*$  estimated



Notice that at certain points, during the Great Recession and 2015, implied rate under Alt 1 and Alt 3 was below 0%

## Next Steps

- Discuss formally monetary policy with Taylor rule imbedded New Keynesian model
- Empirical estimation of real rate
- More on policy at the zero lower bound (Chapter 28, next Monday)