

Economics 442
Macroeconomic Policy
(Spring 2016)
3/9-14/2016

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UW Madison

Countercyclical Fiscal Policy

- Complicating the basic IS-LM model
- Analyzing the ARRA, using our tools
- CEA, CBO estimates
- Interpreting the multiplier debate in AD-AS

Solving for Multipliers, in general

$$(21) \quad Y_0 = \hat{\gamma} \left[\Lambda_0 + \frac{b_2}{h} \left(\frac{M_0}{P} \right) - \frac{b_2 \mu_0}{h} \right] \quad \text{<equilibrium income>}$$

$$(22) \quad \Delta Y = \hat{\gamma} \left[\Delta \Lambda + \frac{b_2}{h} \Delta \left(\frac{M}{P} \right) - \frac{b_2}{h} \Delta \mu \right]$$

For Fiscal Policy

$$\Delta Y = \hat{\gamma} \Delta GO \Rightarrow \frac{\Delta Y}{\Delta GO} = \hat{\gamma}$$

If it is lump sum taxes:

$$\Delta Y = -\hat{\gamma} c_1 \Delta t_0 \Rightarrow \frac{\Delta Y}{\Delta t_0} = -\hat{\gamma} c_1$$

The “Multiplier”

$$\hat{\gamma} \equiv \frac{1}{1 - c_1(1 - t_1) - b_1 + \frac{b_2}{h}}$$

This could fall during financial distress

Interest semi-elasticity, goes to infinity in liquidity trap

Endogenous Monetary Supply

Suppose money supply is increased with the interest rate.

$$\frac{M^s}{P} = \omega_0 + \theta i$$

Then:

$$\hat{\gamma}' \equiv \frac{1}{1 - c_1(1 - t_1) - b_1 + \frac{b_2}{h + \theta}}$$

As θ goes to infinity, then multiplier goes to γ

Non-partisan and Partisan Analyses

- The CBO is the Congress's nonpartisan economic/budget analytical arm
- Other agencies include General Accountability Office (GAO) and Congressional Research Service (CRS)
- Mirrors the Executive Branch's Office of Management and Budget (OMB) and Council of Economic Advisers (CEA) in White House
- Always think about who's writing what you read

Did the Stimulus “Work”

- What does “work” mean?
- We’ll interpret “work” to mean increase aggregate demand, output, employment
- One has to be careful about over what period one talks about “working”
- Uncertainty pervades all these analyses (real world vs. textbook)

Estimates of the Impact of ARRA

Table 8. Estimates of the Effects of the ARRA on the Level of GDP

| | 2009:Q2 | 2009:Q3 | 2009:Q4 | 2010:Q1 | 2010:Q2 | 2010:Q3 |
|----------------------------------|---------|---------|---------|---------|---------|---------|
| | Percent | | | | | |
| CEA: Model Approach | +0.8 | +1.7 | +2.1 | +2.5 | +2.7 | +2.7 |
| CEA: Projection Approach | +0.7 | +1.1 | +2.1 | +2.7 | +2.7 | +2.7 |
| CBO: Low | +0.8 | +1.2 | +1.4 | +1.7 | +1.7 | +1.5 |
| CBO: High | +1.3 | +2.4 | +3.3 | +4.1 | +4.5 | +4.2 |
| Goldman Sachs | +0.5 | +1.4 | +1.9 | +2.3 | +2.6 | +2.4 |
| IHS/Global Insight | +0.5 | +1.2 | +1.7 | +2.0 | +2.2 | +2.3 |
| James Glassman, J.P.Morgan Chase | +1.3 | +1.8 | +2.6 | +3.2 | +3.7 | +3.5 |
| Macroeconomic Advisers | +0.5 | +1.0 | +1.4 | +1.7 | +2.1 | +2.1 |
| Mark Zandi, Moody's Economy.com | +0.8 | +1.6 | +2.2 | +2.5 | +2.7 | +2.7 |

Sources: See text for details.

Table 9. Estimates of the Effects of the ARRA on the Level of Employment

| | 2009:Q2 | 2009:Q3 | 2009:Q4 | 2010:Q1 | 2010:Q2 | 2010:Q3 |
|---------------------------------------|----------|------------|------------|------------|------------|------------|
| CEA: Model Approach | +399,000 | +1,120,000 | +1,747,000 | +2,223,000 | +2,547,000 | +2,673,000 |
| CEA: Projection Approach ^a | +318,000 | +1,010,000 | +1,844,000 | +2,701,000 | +3,376,000 | +3,668,000 |
| CBO: Low | +300,000 | +700,000 | +1,000,000 | +1,200,000 | +1,400,000 | +1,400,000 |
| CBO: High | +500,000 | +1,300,000 | +2,100,000 | +2,800,000 | +3,400,000 | +3,700,000 |
| IHS/Global Insight | +228,000 | +689,000 | +1,245,000 | +1,696,000 | +2,107,000 | +2,342,000 |
| Macroeconomic Advisers | +248,000 | +623,000 | +1,057,000 | +1,462,000 | +1,847,000 | +2,119,000 |
| Mark Zandi, Moody's Economy.com | +500,000 | +1,008,000 | +1,486,000 | +1,893,000 | +2,249,000 | +2,522,000 |

Sources: See text for details.

Notes: a. Estimates are for the middle month of the quarter.

Source: CEA, *Fifth Quarterly Report on the Economic Impact of ARRA* (Nov. 18, 2010)

http://www.whitehouse.gov/sites/default/files/cea_5th_arra_report.pdf

How Did They Estimate This Effect?

- Use the multiplier model we have learned
- Figure out how much tax payments have been reduced, how much transfers have increased
- Figure out how much government spending on goods and services
- Apply multipliers, then add up effects, compare to GDP
- Annualize to get growth rates
- Caveat: Have to account for time dimension (impact takes time)

Quantities (Cumulative)

Table 2. Fiscal Stimulus by Functional Category

| | Through the end of ^a | | | | | | |
|---|---------------------------------|-------------------|------------------------|-----------------------|--------------------|-------------------|------------------------|
| | 2009:Q1 (March) | 2009:Q2 (June) | 2009:Q3 (September) | 2009:Q4 (December) | 2010:Q1 (March) | 2010:Q2 (June) | 2010:Q3 (September) |
| | Billions of Dollars | | | | | | |
| Individual Tax Cuts | 2.3 | 28.4 | 42.1 | 55.0 | 98.6 | 120.7 | 130.9 |
| AMT Relief | 0.0 | 7.0 | 12.4 | 15.5 | 25.7 | 68.0 | 74.5 |
| Business Tax Incentives | 0.1 | 10.9 | 20.0 | 28.0 | 34.1 | 38.5 | 36.2 |
| State Fiscal Relief | 8.5 | 28.2 | 43.8 | 59.3 | 75.5 | 92.1 | 107.1 |
| Aid to Directly Impacted Individuals | 0.1 | 9.8 | 32.2 | 56.2 | 72.8 | 78.3 | 83.3 |
| Public Investment Outlays | 0.0 | 7.4 | 24.9 | 41.5 | 59.2 | 86.3 | 119.3 |
| Total^b | 11.0 | 91.7 | 175.4 | 255.6 | 365.9 | 484.0 | 551.2 |
| Change in Total (from End of Previous Quarter) | 11.0 | 80.7 | 83.7 | 80.2 | 110.2 | 118.1 | 67.3 |

Sources: Agency Financial and Activity Reports to the Office of Management and Budget; simulations from the Department of the Treasury (Office of Tax Analysis) based on the FY2011 Mid-Session Review.

Notes: a. Data on outlays and obligations are for the last day of each calendar quarter.

b. Items may not add to total due to rounding.

Source: CEA, *Fifth Quarterly Report on the Economic Impact of ARRA* (Nov. 18, 2010)

http://www.whitehouse.gov/sites/default/files/cea_5th_arra_report.pdf

Apply Multipliers (for '09Q2)

IMPACT MULTIPLIERS (within the quarter)

- Tax cuts: \$28.4 bn × 0
 - AMT relief: \$7.0 bn × 0
 - Bus. Tax incentives: \$10.9 bn × 0
 - State fiscal relief: \$28.2 bn × 0.5
 - Aid to directly impacted: \$9.8 bn × 1
 - Govt. investment outlays: \$7.4 bn × 1
- = (28.4 × 0) + (7.2 × 0) + (10.9 × 0) + (28.2 × 0.5) + (9.8 × 1) + (7.4 × 1)
- = \$31.3 bn**

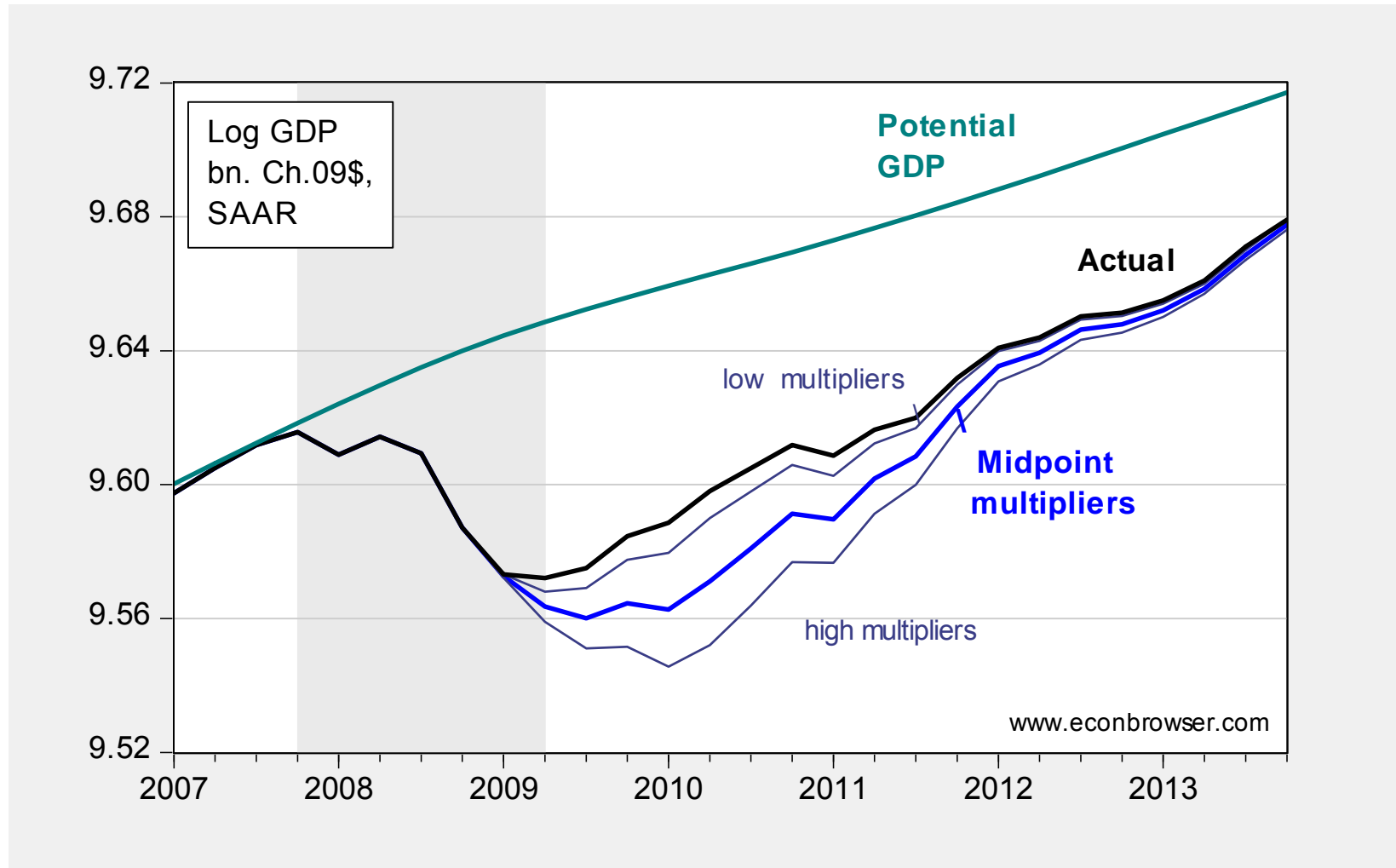
Deflate, calculate q/q impact

- GDP deflator in 2009Q2: $109.555 \approx \underline{110}$
- $\$31.3 \text{ bn}/1.10 = \underline{28.57} \text{ Ch.2005\$}$
- '09Q2 real GDP SAAR: $12810.45 - 28.57 = \underline{12781.88}$
- '09Q2 real GDP: $12781.88/4 = \underline{3195.47}$
- Impact 2009Q2: $28.57/3195.47 = \underline{0.00894}$
- Annualize impact: $(1.00894)^4 = \underline{1.0362}$
- Impact on growth: $(1.0362 - 1) \times 100\% = \underline{3.6 \text{ ppts}}$
(q/q, annualized)

Comparisons, Complications

- Impact of 3.6 ppts vs. CEA 2.8 ppts.
- Impact vs. dynamic multipliers
- In our math, we assume everything happens with “a period”
- In reality, impact is different from cumulative long run
- In 2009Q3, some of the tax cuts in 2009Q2 will have an impact: how much?

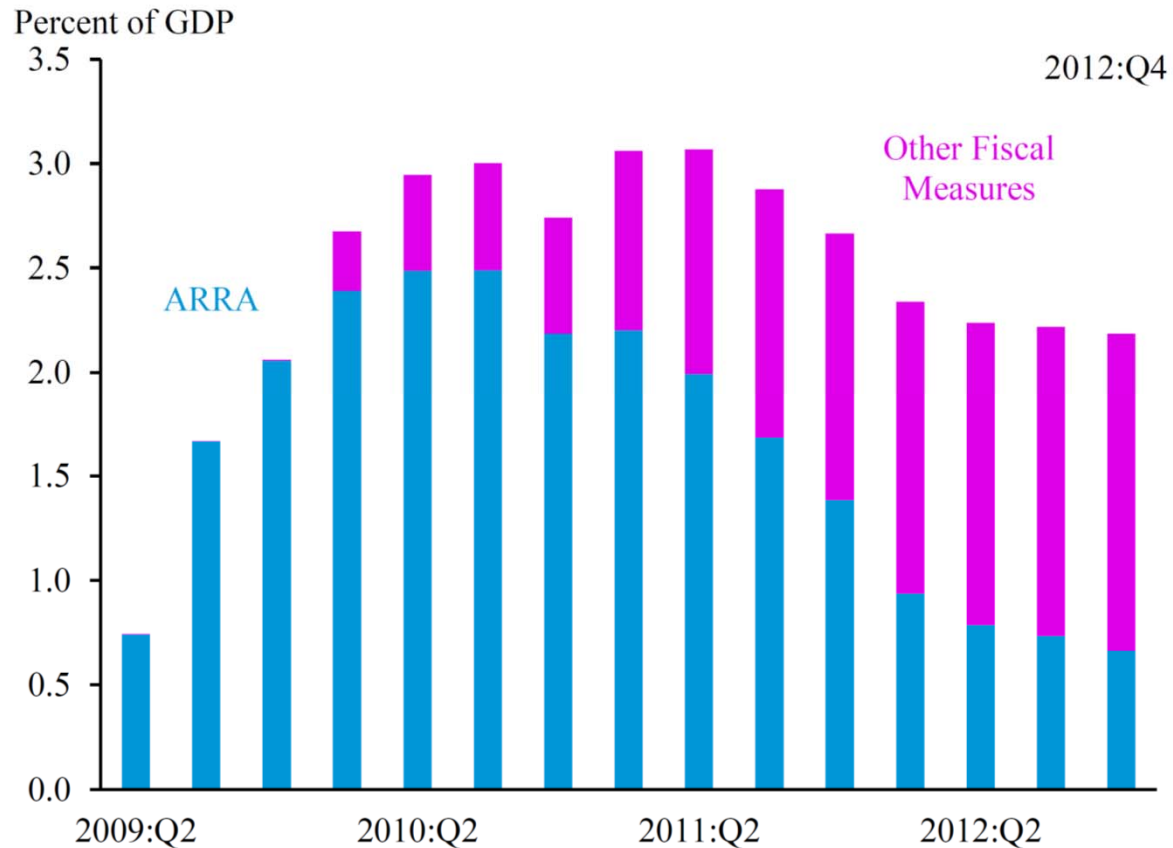
ARRA and What Could Have Been



CEA, The Economic Impact of the American Recovery and Reinvestment Act Five Years Later (Feb. 2014)

ARRA and Other Fiscal

Figure 7
Quarterly Effect of the Recovery Act and Subsequent Fiscal Measures on GDP, 2009–2012



Source: Bureau of Economic Analysis, National Income and Product Accounts; Congressional Budget Office; CEA calculations.

CEA, The Economic Impact of the American Recovery and Reinvestment Act Five Years Later (Feb. 2014)

Where Do the Multiplier Estimates Come From?

- Macroeconometric models (essentially IS-LM, AD-AS with estimated equations)
- Vector AutoRegressions (VARs)
- Dynamic Stochastic General Equilibrium (DSGE) models

Large Scale Macroeconometric Models

- Examples: Global Insight (subsumes Wharton Econometrics), Standard and Poors (subsumes Data Resources, Inc.), Macroeconomic Advisers, MiniMOD, FRB/US
- Most of these models developed in 1960s-1970s.
- In the 1980s and 1990s, implemented model consistent expectations, as opposed to adaptive expectations.

FRB/US Model

- Used at the Federal Reserve
- Typical of macroeconometric models
- But US focused
- All described here:

<http://www.federalreserve.gov/econresdata/frbus/us-models-about.htm>

- Will describe in terms of AD, AS

Table 3: Aggregate Consumption Equation (c)

equilibrium

relationship: $c^* = 1.0v + .62s_{trans} - .15s_{prop} + .52s_{stock} + 1.28s_o + .013\tilde{x}$.

dynamic

adjustment: $\Delta c_t = -.12(c_{t-1} - c_{t-1}^*) + .17 \text{lags}_1(\Delta c_{t-i}) + .75 \text{leads}_\infty(\Delta c_{t+i}^e) + .09\Delta y_t$.

span: 63q1-95q4 R^2 : .54 SEE: .0032 MRL ^a: 7.9 quarters

definitions: c - log consumption (including service flow of stock of durables).

Y - income (labor + transfer + property).

y - log Y .

V - wealth = $\text{leads}_\infty(Y^e)$.

v - log V .

s_{trans} - transfer wealth / V .

s_{prop} - property wealth / V .

s_{stock} - value of corp. equity / V .

s_o - other net financial and tangible assets / V .

\tilde{x} - aggregate output gap.

^a Mean response lag to a surprise.

Table 5: Business Investment Equations (i_{pd} and k_i)

equilibrium

relationships: $i_{pd}^* = 1.0x_b - 1.0r_{pd} + 1.0z_{pd} + 19.5\Delta x_b$.

$$k_i^* = 1.0x_b.$$

dynamic

adjustment: $\Delta i_{pd,t} = -.07(i_{pd,t-2} - i_{pd,t-2}^*) + .26 \text{ lags}_2(\Delta i_{pd,t-i}) + .47 \text{ leads}_\infty(\Delta i_{pd,t+i-1}^{*e}) + .22 \text{ lags}_2(\Delta cf_{t-i})$.

span: 64q1-94q4 R^2 : .40 SEE: .0022 MRL ^a: 7.0 quarters

$\Delta k_{i,t} = -.23(k_{i,t-1} - k_{i,t-1}^*) + .47 \text{ lags}_3(\Delta k_{i,t-i}) + .53 \text{ leads}_\infty(\Delta k_{i,t+i}^{*e})$.

span: 62q3-94q4 R^2 : .42 SEE: .0065 MRL ^a: 1.3 quarters

remarks:

- dynamic equation for i_{pd} is a weighted average of adjustment model (.78) and cash flow model (.22).
- adjustment model component for i_{pd} includes 1-quarter delivery lag.

definitions:

i_{pd} - log investment in producers' durable equipment (constant dollars).

k_i - log stock of manufacturing and trade inventories (constant dollars).

x_b - log output, business sector (constant dollars).

r_{pd} - log user cost of capital, producer durables.

z_{pd} - log(depreciation rate + mean of Δx_b).

cf - log corporate cash flow (constant dollars).

^a Mean response lag to a surprise.

Table 2: Aggregate Price Equation (p)

equilibrium

relationship: $p^* = .98(w - \rho) + .02p_e - .003u$.

remarks: • equilibrium condition includes also effects of farm and import prices.

dynamic

adjustment: $\Delta p_t = -.10(p_{t-1} - p_{t-1}^*) + .57\text{lags}_2(\Delta p_{t-i}) + .43\text{leads}_\infty(\Delta p_{t+i}^{*e})$. $R^2 .88$

SEE .0025

properties: mean response lag to surprise = 3.3 quarters.

span: 63q1-94q4

remarks: • dynamic equation includes an accelerated response to energy price inflation.

definitions: p - log price of final sales plus imports
less gov't labor and indirect business taxes.

w - log compensation per hour (ECI).

ρ - log trend labor productivity.

p_e - log crude energy price.

u - demographically-weighted unemployment rate.

Table 6: Aggregate Labor Hours, Wages, and Prices (h , w , and p)

equilibrium

relationship: $h^* = 1.0x_g - .0069t_{47} + .0042t_{73}$.

$$w^* = 1.0\rho + 1.02p_g - .02p_e - .01u.$$

$$p^* = .98(w - \rho) + .02p_e - .003u.$$

remark: • equilibrium condition for p also includes effects of farm and import prices.

dynamic

adjustment: $\Delta h_t = -.15(h_{t-1} - h_{t-1}^*) + .38 \text{ lags}_1(\Delta h_{t-i}) + .41 \text{ leads}_\infty(\Delta h_{t+i}^{*e})$
 $+ .31 \Delta h_t^* - .12 \text{ lags}_1(\Delta h_{t-i}^*)$.

span: 63q1-94q4 R^2 : .76 SEE: .0046 MRL ^a: 0.7 quarters

$$\Delta w_t = -.03(w_{t-1} - w_{t-1}^*) + .71 \text{ lags}_3(\Delta w_{t-i}) + .29 \text{ leads}_\infty(\Delta w_{t+i}^{*e}).$$

span: 63q1-94q4 R^2 : .82 SEE: .0028 MRL ^a: 8.7 quarters

$$\Delta p_t = -.10(p_{t-1} - p_{t-1}^*) + .57 \text{ lags}_2(\Delta p_{t-i}) + .43 \text{ leads}_\infty(\Delta p_{t+i}^{*e}).$$

span: 63q1-94q4 R^2 : .88 SEE: .0025 MRL ^a: 3.3 quarters

remarks:

- dynamic equation for h is a weighted average of standard adjustment model (.69) and immediate response model (.31)
- dynamic equation for w also includes variables for wage and price controls, employer social insurance contributions, and the minimum wage.
- dynamic equation for p also includes an accelerated response to energy price inflation.

definitions: h - log hours, nonfarm business sector (employees and self-employed).

w - log compensation per hour (ECI).

p - log price of final sales plus imports

less gov't labor and indirect business taxes.

x_g - log output, nonfarm business sector plus oil imports

less housing product (constant dollars).

t_{47} and t_{73} - quarterly time trends starting 47q1 and 73q1.

ρ - log trend labor productivity.

p_g - log price of x_g less indirect business taxes.

p_e - log crude energy price.

u - demographically-weighted unemployment rate.

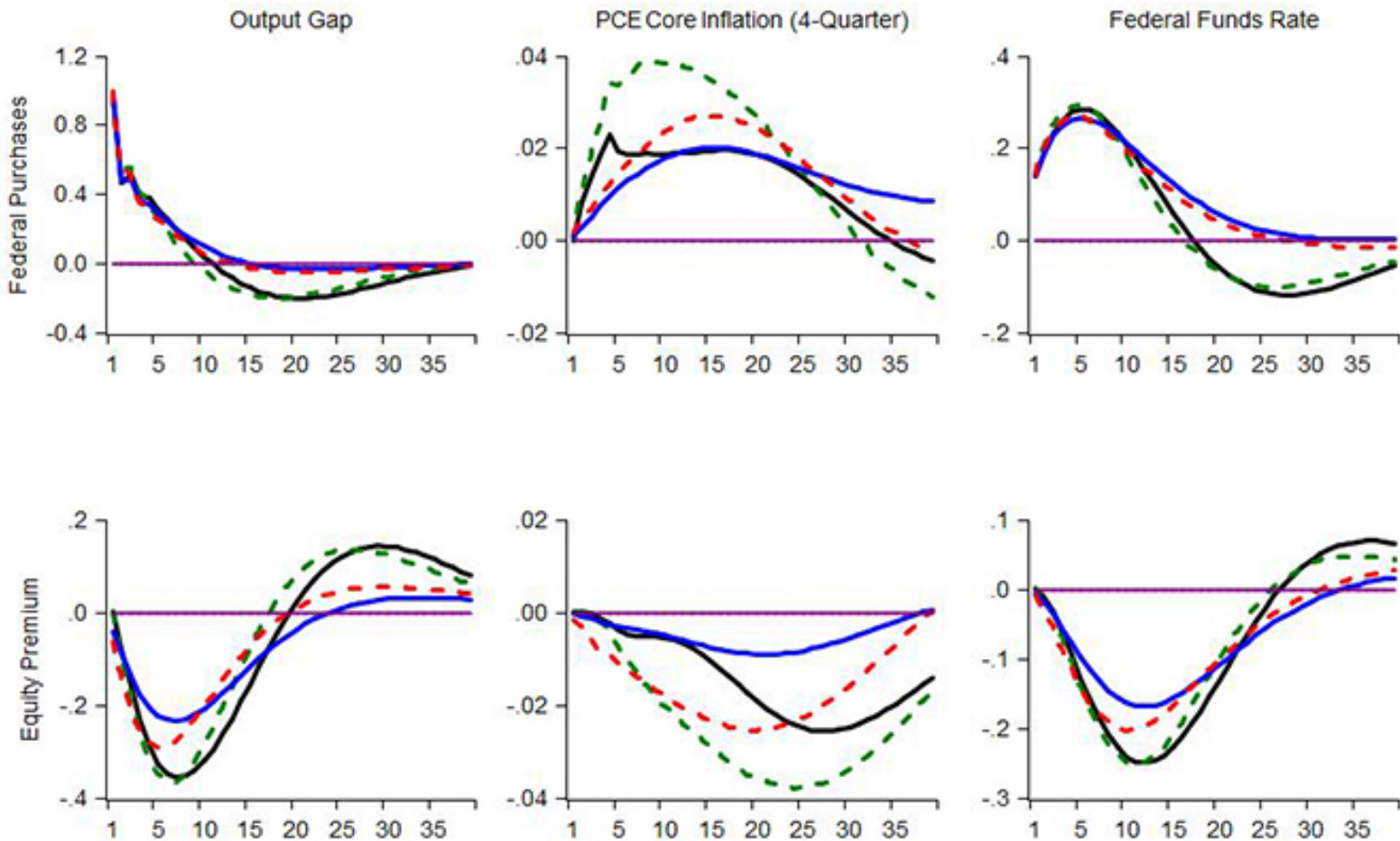
^a Mean response lag to a surprise.

| Table 7: Financial Sector Equations (r_5, r_{10}, r_{cb}, and v_s) | |
|--|--|
| 5-year gov't bond rate ^a : | $r_{5,t} = .34 + 1.0 \text{ leads}_{20}(r_{t+i}^e) - .62 \text{ leads}_{20}(\tilde{x}_{t+i}^e) + .83 \text{ lag}_1(\tilde{\mu}_{5,t-i})$ <p style="text-align: center;">span: 63q1-94q4 R²: .97 SEE: .47 MRL ^b: 0 quarters</p> |
| 10-year gov't bond rate ^a : | $r_{10,t} = .46 + 1.0 \text{ leads}_{40}(r_{t+i}^e) - .79 \text{ leads}_{40}(\tilde{x}_{t+i}^e) + .85 \text{ lag}_1(\tilde{\mu}_{10,t-i})$ <p style="text-align: center;">span: 63q1-94q4 R²: .99 SEE: .32 MRL ^b: 0 quarters</p> |
| corporate bond rate ^a : | $r_{cb,t} = 1.21 + 1.0 \text{ leads}_{120}(r_{t+i}^e) - 1.21 \text{ leads}_{120}(\tilde{x}_{t+i}^e) + .87 \text{ lag}_1(\tilde{\mu}_{30,t})$ <p style="text-align: center;">span: 63q1-94q4 R²: .99 SEE: .27 MRL ^b: 0 quarters</p> |
| stock market wealth: | $v_{s,t} - p_{g,t} = 4.7 + d_t + 50 \text{ leads}_{\infty}(\Delta d_{t+i}^e) - 50((r_{cb,t}/400) - \text{leads}_{120}(\Delta p_{c,t+i}^e))$ <p style="text-align: center;">span: 65q1-95q4 R²: .97 SEE: .20 MRL ^b: 0 quarters</p> |
| definitions: | <p>r - federal funds rate. \tilde{x} - output gap. $\tilde{\mu}_5$, $\tilde{\mu}_{10}$, and $\tilde{\mu}_{30}$ - term premium residuals for r_5, r_{10}, and r_{cb}. v_s - log stock market wealth (current dollars, flow of funds accounts). d - log national income dividends (constant dollars, deflated by p_g). p_g - log price, business sector output.^c Δp_c - inflation rate, household consumption price.^c</p> |
| <p>^a For the three bond equations, the reported SEE and R² are computed after adjustment for first-order serial correlation of the term-premium residuals. ^b Mean response lag to a surprise. ^c Price indexes divided by 100 before taking logarithms.</p> | |

Expectations

- Model consistent expectations (the closest that one can come to rational expectations)
- Learning is built in
- Or, use a VAR

Impulse Response Function



November 2014 VAR version: black; March 2014 VAR version: green-dashed
November 2014 MCE version: blue; March 2014 MCE version: red-dashed

VARs

- The various equations are estimated using OLS, etc.
- Obtaining unbiased or consistent estimates of the coefficients requires correct identification so error term is uncorrelated the RHS variables
- But in principle all equations should have same RHS variables, so omitted variables bias
- Sims: “Incredible identification”

VARs

The mathematical representation of a VAR is:

$$y_t = A_1 y_{t-1} + \dots + A_p y_{t-p} + B x_t + \epsilon_t \quad (18.1)$$

where y_t is a k vector of endogenous variables, x_t is a d vector of exogenous variables, A_1, \dots, A_p and B are matrices of coefficients to be estimated, and ϵ_t is a vector of innovations that may be contemporaneously correlated but are uncorrelated with their own lagged values and uncorrelated with all of the right-hand side variables.

Example of bivariate VAR, using industrial production, money, with 2 lags

$$\begin{aligned} IP_t &= a_{11} IP_{t-1} + a_{12} M1_{t-1} + b_{11} IP_{t-2} + b_{12} M1_{t-2} + c_1 + \epsilon_{1t} \\ M1_t &= a_{21} IP_{t-1} + a_{22} M1_{t-1} + b_{21} IP_{t-2} + b_{22} M1_{t-2} + c_2 + \epsilon_{2t} \end{aligned} \quad (18.2)$$

where a_{ij} , b_{ij} , c_i are the parameters to be estimated.

VARs

- Standard approach: recursive, via Cholesky decomposition of the residual covariance matrix
- Can identify shocks using theory (long run/short run, e.g., Blanchard-Quah)
- No instantaneous impact (Blanchard-Perrotti)
- Can identify shocks using narrative approach (Romer-Romer)

Multipliers in Advanced Economies (panel)

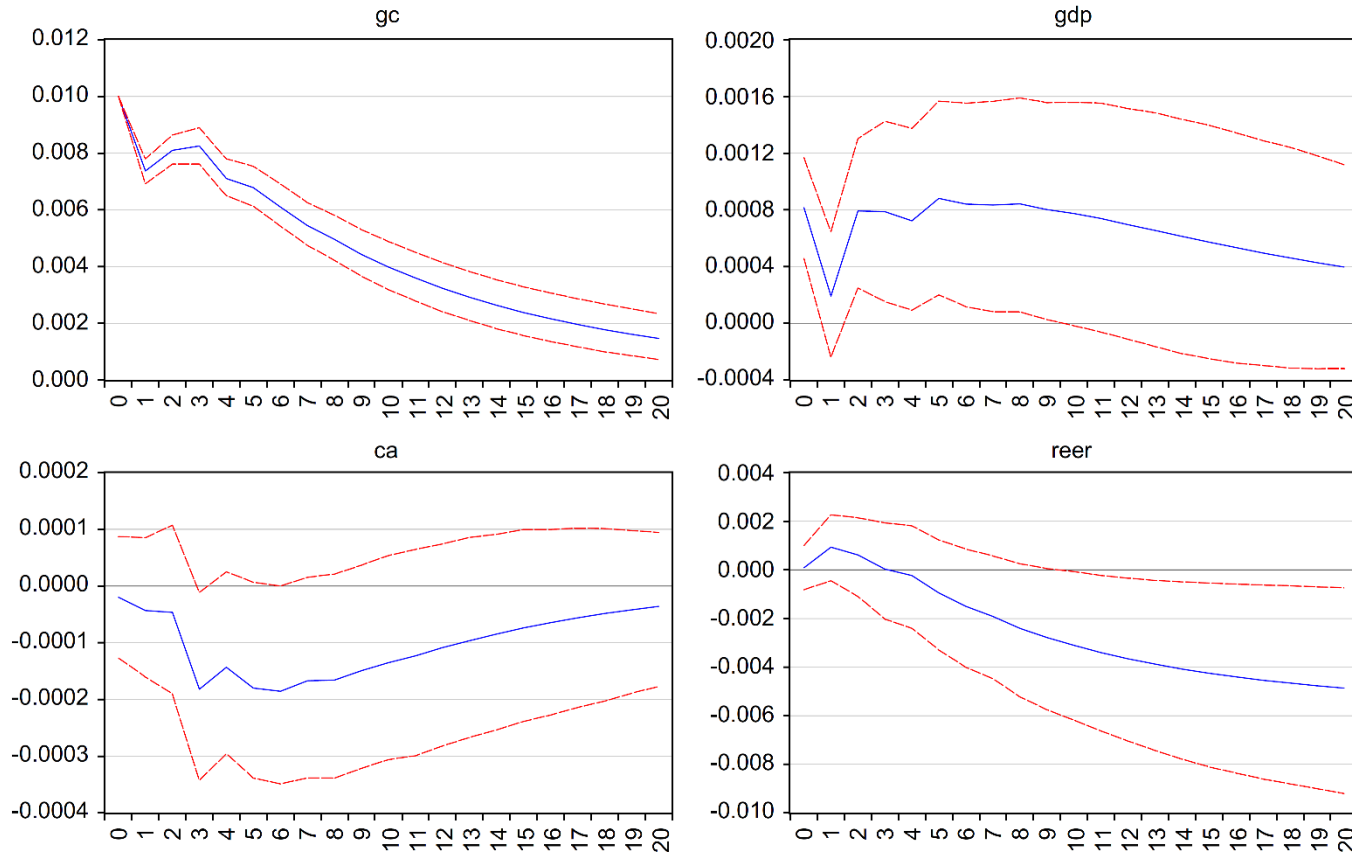


Fig. 1. Impulse responses to a 1% shock to government consumption in high-income countries. Responses are: gc, government consumption; gdp, real gross domestic product; ca, the current account as a percentage of GDP; reer, the real effective exchange rate. Dotted lines represent 90% confidence intervals based on Monte Carlo simulations.

Cumulative Multipliers

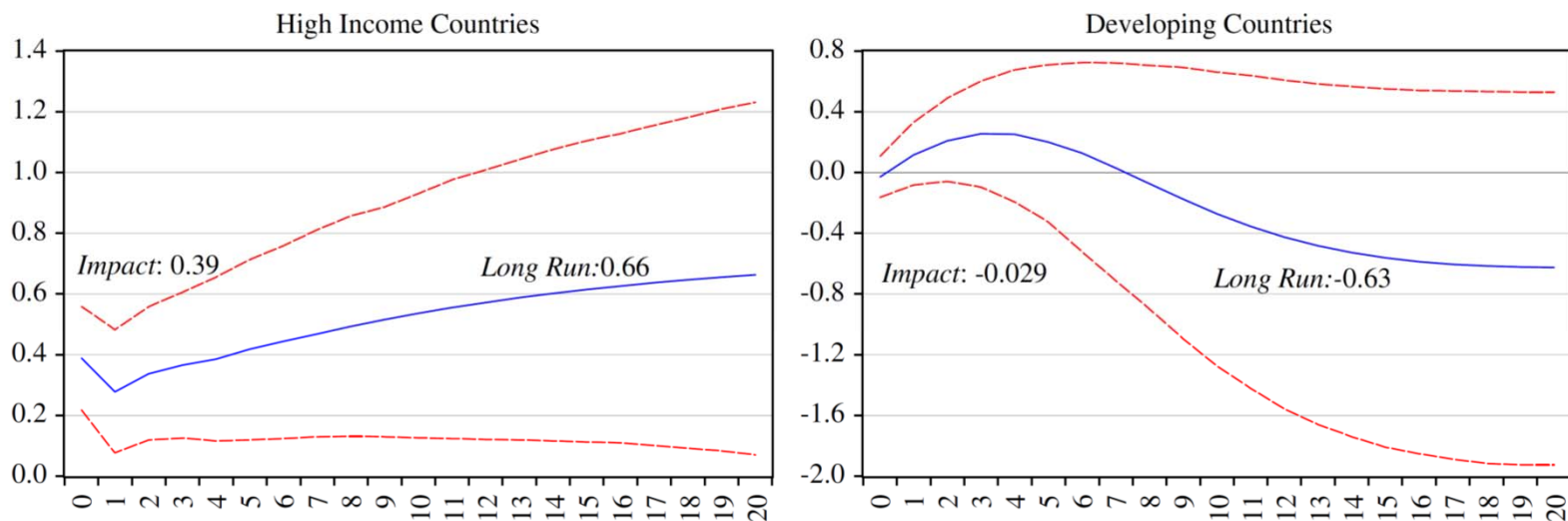


Fig. 3. Cumulative multiplier: high-income and developing countries. Ratio of the cumulative increase in the net present value of GDP and the cumulative increase in the net present value of government consumption, triggered by a shock to government consumption. Dotted lines represent 90% confidence intervals based on Monte Carlo simulations.

$$\text{impact multiplier} = \frac{\Delta y_0}{\Delta g_0}$$

$$\text{cumulative multiplier}(T) = \frac{\sum_{t=0}^T (1+i)^{-t} \Delta y_t}{\sum_{t=0}^T (1+i)^{-t} \Delta g_t}$$

Cumulative Multipliers: Govt Investment

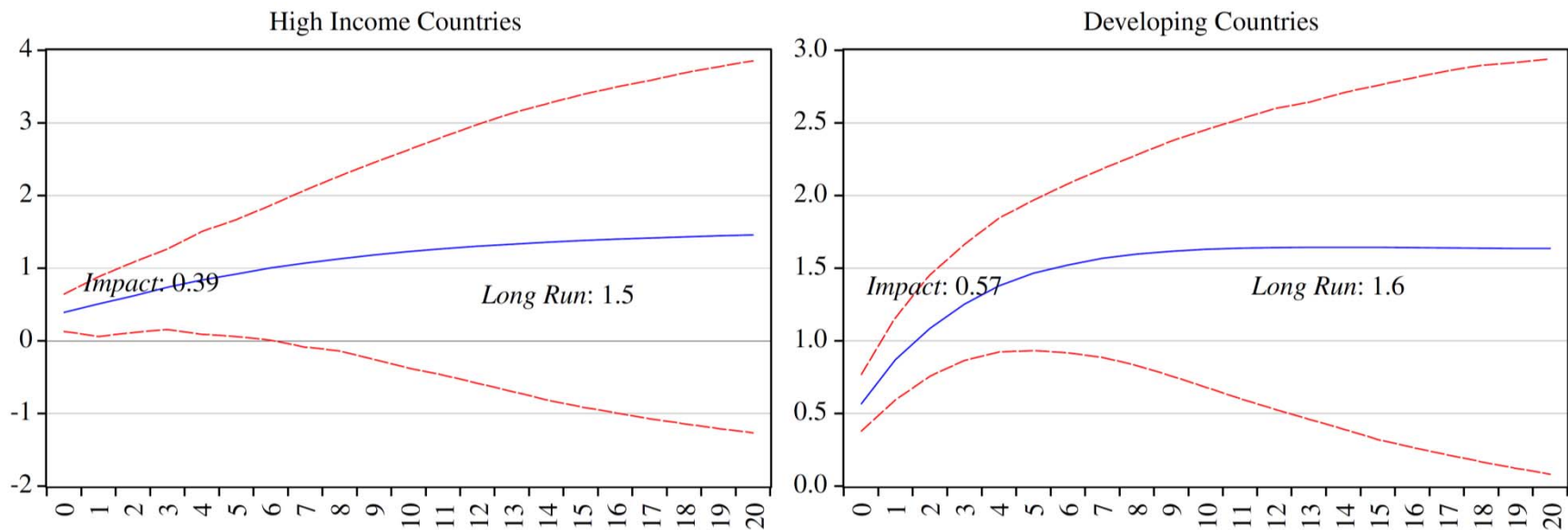
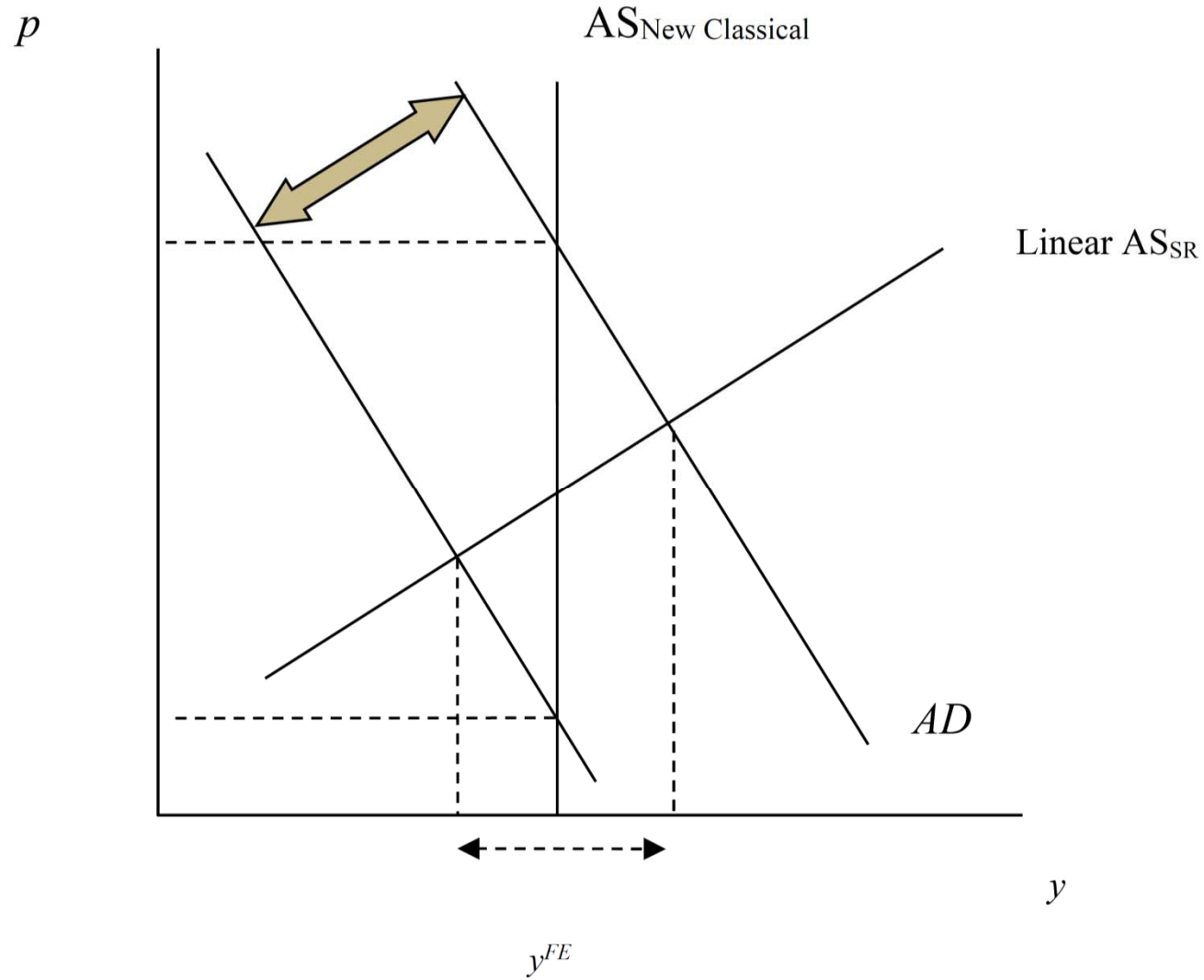


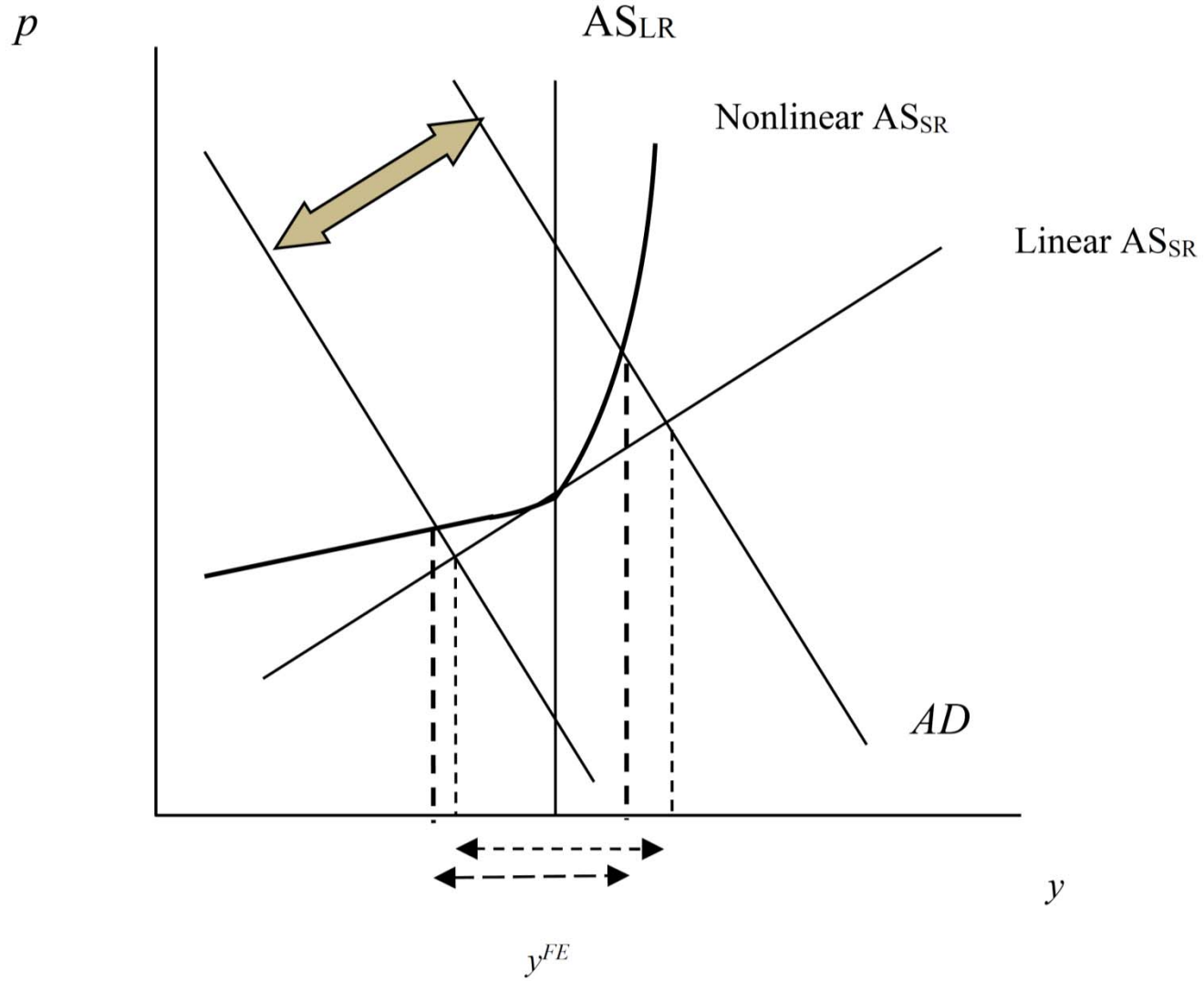
Fig. 9. Cumulative multiplier to a “pure” public investment shock: high-income and developing countries. Ratio of the cumulative increase in the net present value of GDP and the cumulative increase in the net present value of government investment, triggered by a shock to government investment. This response controls for public consumption, but does not allow for endogenous responses of GDP or public investment to government consumption. Dotted lines represent 90% confidence intervals based on Monte Carlo simulations.

Ilzetzki, et al. (2012)

Keynesian vs. New Classical



Kinked AS



Asymmetry

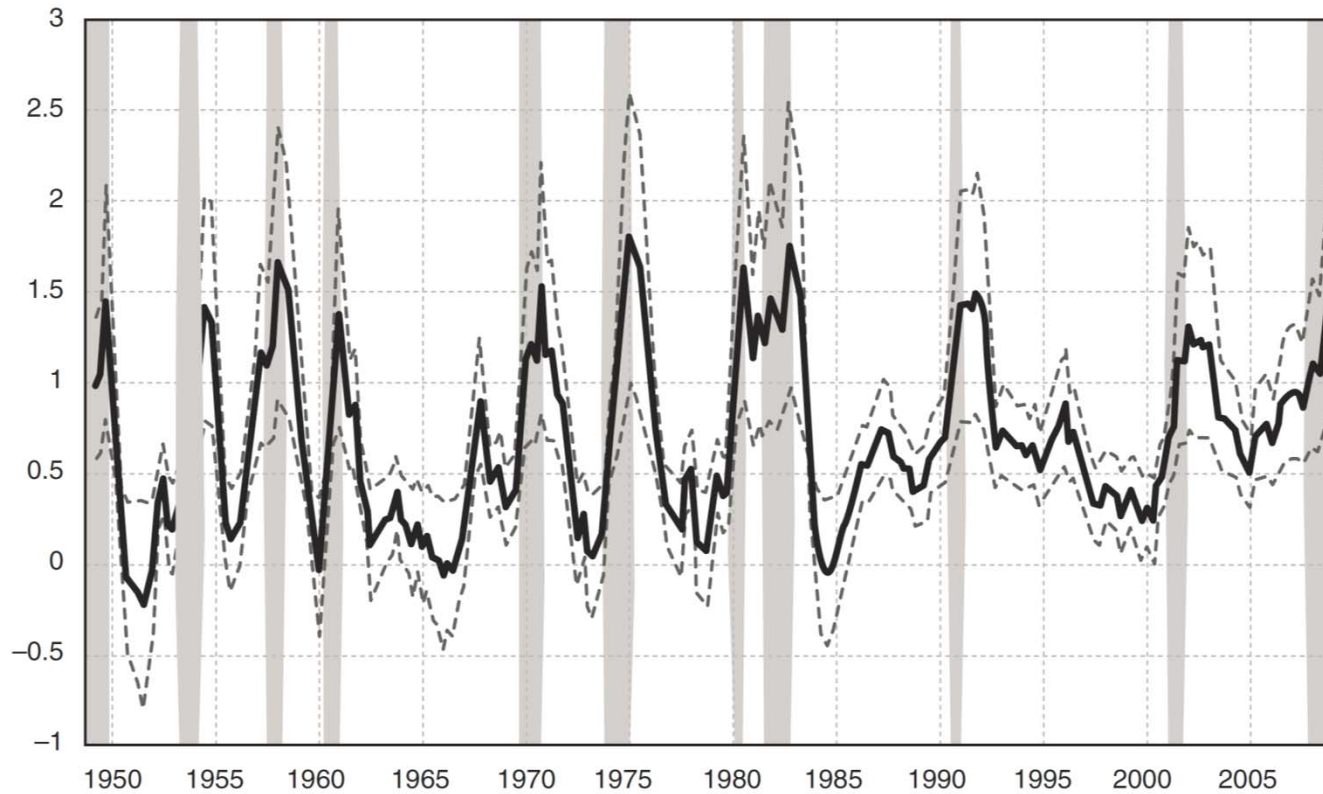


Figure 1 Historical multiplier for total government spending (Source: Auerbach and Gorodnichenko (2012b)).