Economics 302 Intermediate Macroeconomic Theory and Policy (Fall 2010)

Lecture 8 Monday, October 4, 2010

<u>Outline</u>

- Recap
- Graphical depiction of policy
- Extreme cases
- Policy in a Liquidity Trap

IS-LM equations, solution

(12)
$$Y = \left(\frac{1}{1 - b(1 - t) + m}\right) [A_0 - (d + \widetilde{n})R]$$

(17)
$$R = \left(\frac{\mu_0}{h}\right) - \left(\frac{1}{h}\right)\left(\frac{M_0}{P_0}\right) + \left(\frac{k}{h}\right)Y \qquad$$

(21)
$$Y_0 = \hat{\alpha} \left[A_0 + \frac{(d+\widetilde{n})}{h} \left(\frac{M_0}{P_0} \right) - \frac{(d+\widetilde{n})\mu_0}{h} \right]$$

Where

$$\hat{\alpha} \equiv \frac{1}{1 - b(1 - t) + m + \frac{(d + \widetilde{n})k}{h}}$$

<u>Using Total Differentials</u>

(21)
$$Y_0 = \hat{\alpha} \left[A_0 + \frac{(d+\widetilde{n})}{h} \left(\frac{M_0}{P_0} \right) - \frac{(d+\widetilde{n})\mu_0}{h} \right]$$

(22)
$$\Delta Y = \hat{\alpha} \left[\Delta A + \frac{(d+\widetilde{n})}{h} \Delta \left(\frac{M}{P} \right) - \frac{(d+\widetilde{n})}{h} \Delta \mu \right]$$

$$\Delta Y = \hat{\alpha} \Delta GO \Rightarrow \frac{\Delta Y}{\Delta GO} = \hat{\alpha}$$

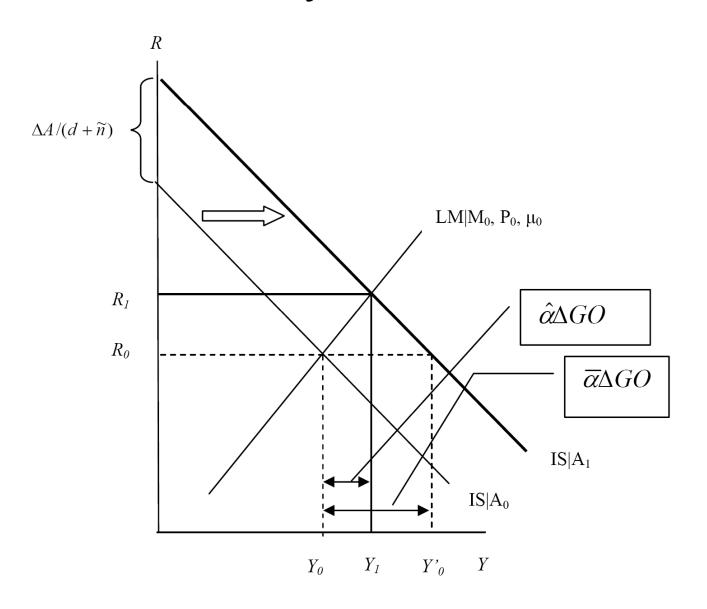
If it is lump sum taxes:

$$\Delta Y = -\hat{\alpha}b\Delta TA \Rightarrow \frac{\Delta Y}{\Delta TA} = -\hat{\alpha}b$$

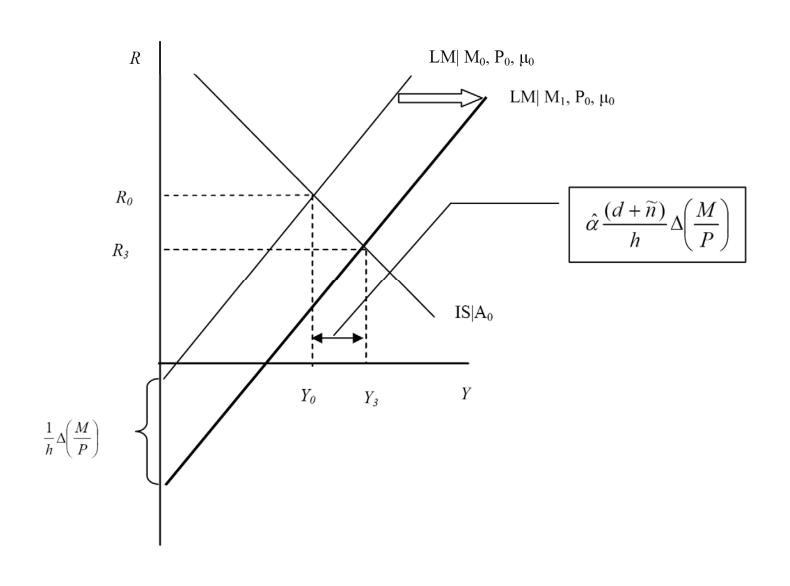
If monetary policy is being used, the $\Delta A = 0$, so:

$$\Delta Y = \hat{\alpha} \left(\frac{d + \widetilde{n}}{h} \right) \Delta \left(\frac{M}{P} \right) \Rightarrow \frac{\Delta Y}{\Delta (M/P)} = \hat{\alpha} \left(\frac{d + \widetilde{n}}{h} \right)$$

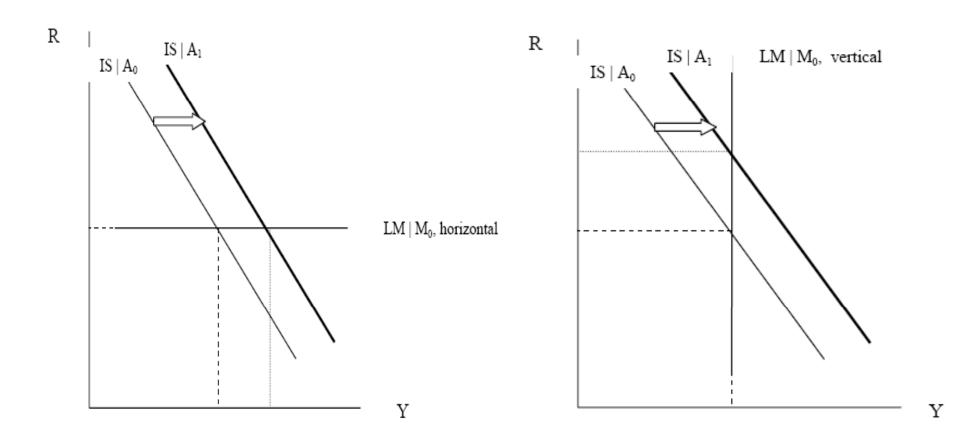
Fiscal Policy (Handout Figure 3)



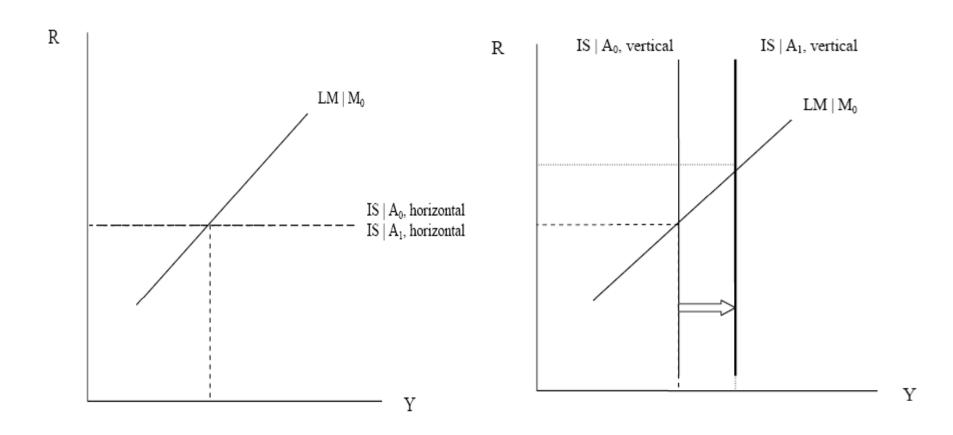
Monetary Policy (Handout Figure 4)



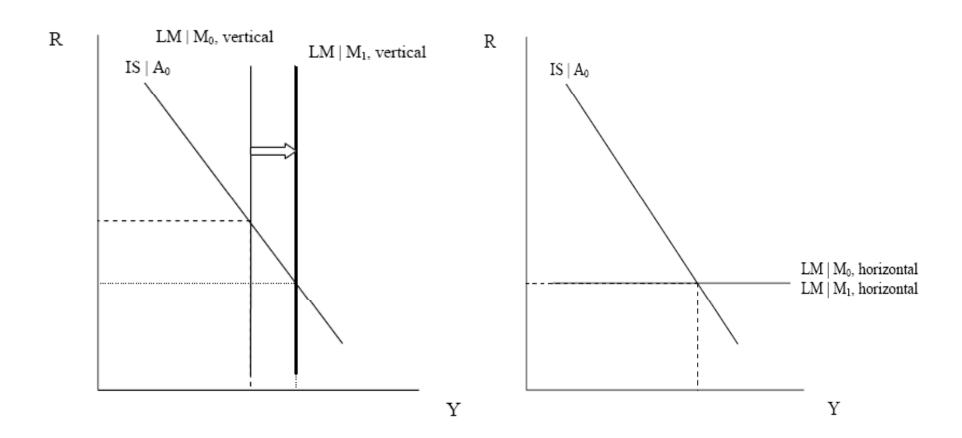
Extreme Cases: Fiscal (I)



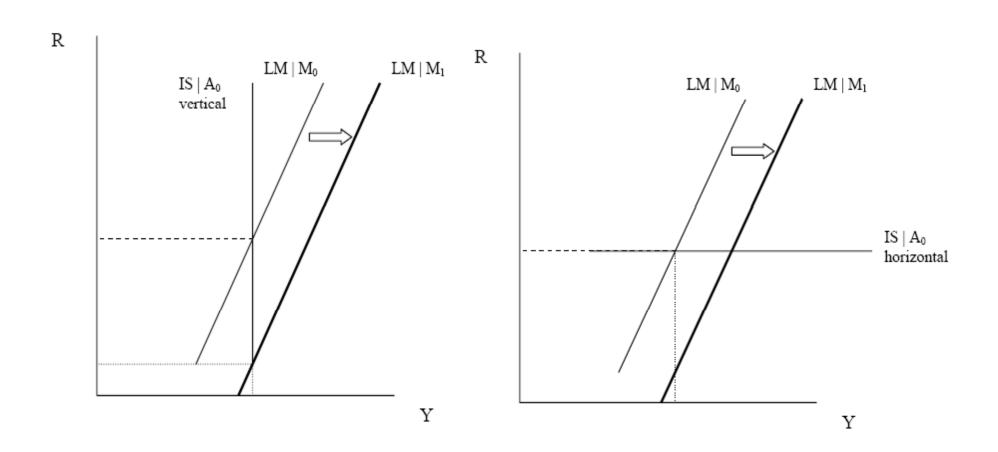
Extreme Cases: Fiscal (II)



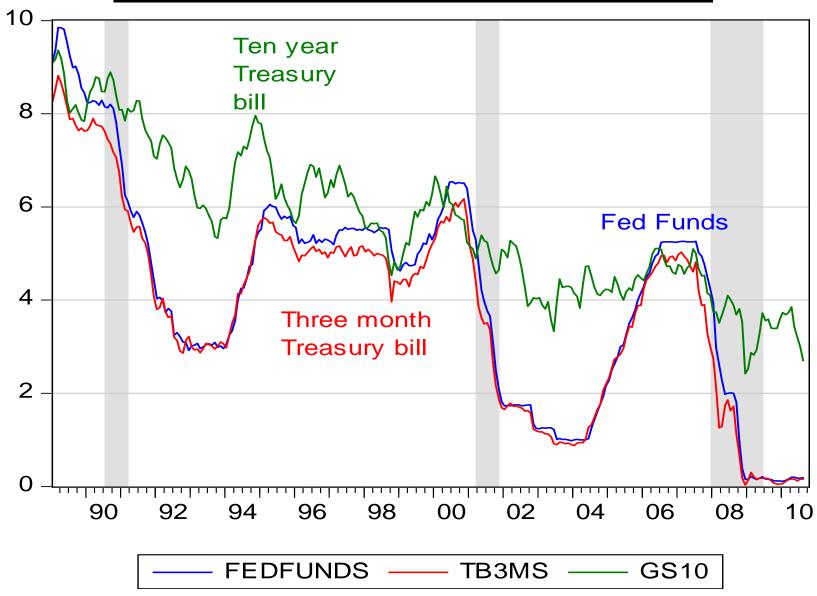
Extreme Cases: Monetary (I)



Extreme Cases: Monetary (II)

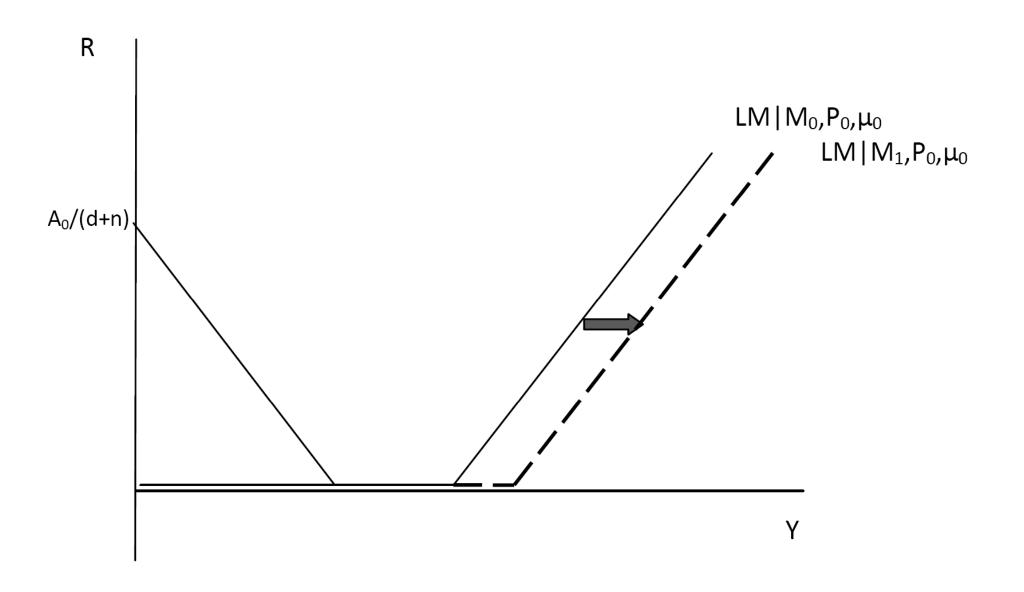


Zero Interest Rate Bound



Source: St. Louis Fed FREDII, accessed 10/3/10

Monetary Policy in a Liquidity Trap



Fiscal Policy in a Liquidity Trap

