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# Macroeconomic Measurement III: Price Level and Inflation

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## Chapter 6

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# Measuring the Price Level

- Price level
  - Average level of prices in the economy
- Used in at least 3 ways:
  - As a policy target (e.g. to monitor inflation rate)
  - To index payments (e.g. Social Security)
  - To translate from nominal to real variables (e.g. to calculate real wage growth)

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# How to Measure the Price Level?

- Want to summarize the overall price level of the economy into one number
- Challenge:
  - How should we weight the importance of various goods?
    - Price of gas has drastically increased over the last year, but price of computers has fallen...

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# Measuring the Price Level

- Two mainstream approaches
  - CPI method
    - Looks at goods that consumers buy
  - GDP price deflator method
    - Looks at goods that enter GDP

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# CPI Method

- CPI is calculated as a weighted average of prices entering a typical consumption basket of a US household
- Weights of various goods given by the corresponding shares of these goods in the basket

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# GDP Deflator Method

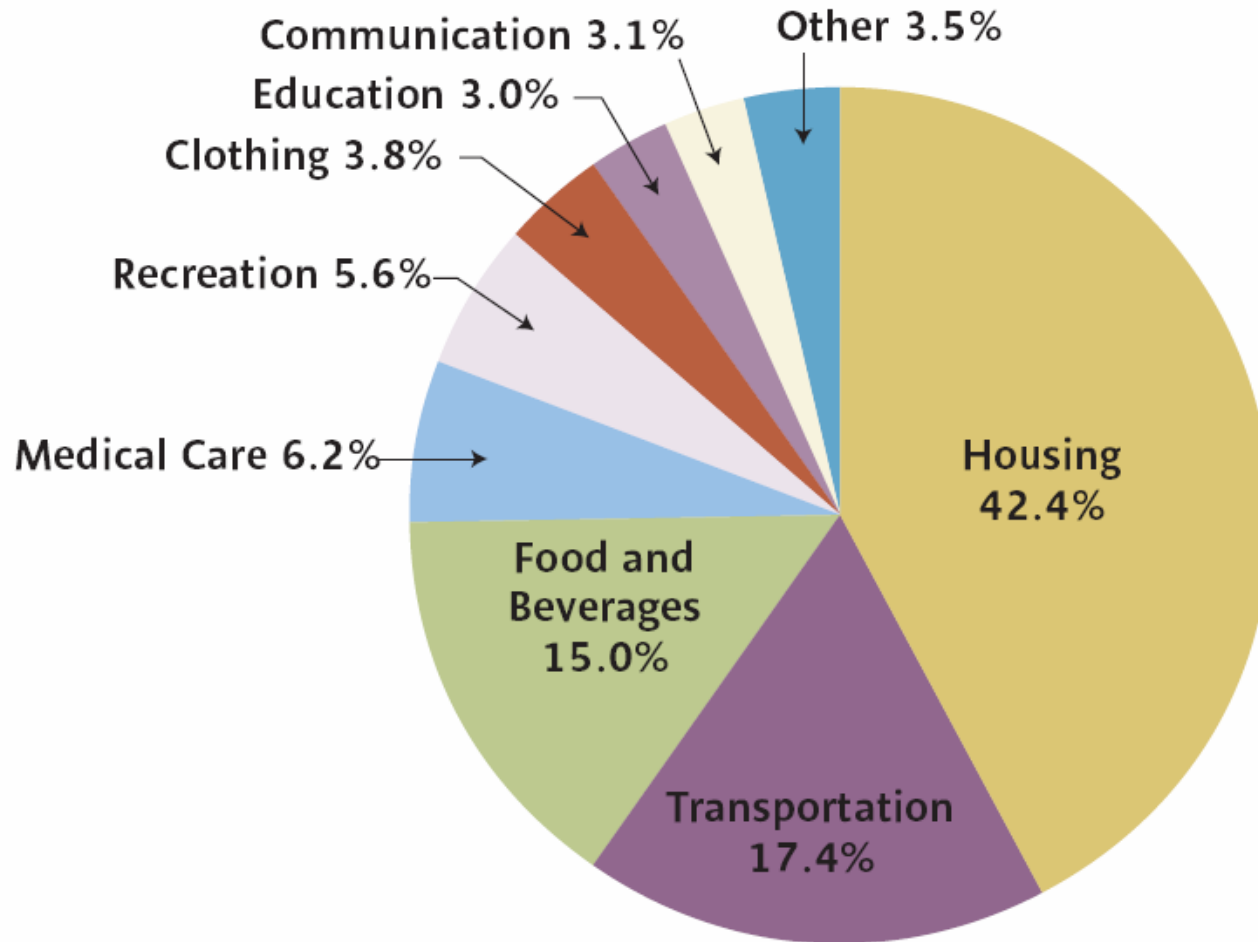
- GDP deflator is calculated as a weighted average of prices of goods entering GDP
- Weights given by the corresponding shares of these goods in GDP

# CPI Method

- '*Typical basket*' is constructed from a periodic survey of household expenditures
- Given the basket and prices of goods, the CPI price level index is calculated from the following formula

$$\text{CPI} = \frac{\text{Price of 'typical basket' in current period}}{\text{Price of 'typical basket' in base period}} \times 100$$

# Composition of the CPI in the US



## Example: CPI Method

- Typical consumption basket of a household is: 3 apples and 2 oranges. Compute the CPI Index and the inflation rate in year 1991 from the following price data:

	Year		
	1990	1991	1992
Apples	\$1	\$2	\$4
Oranges	\$2	\$1	\$1

# Solution

	Year		
	1990	1991	1992
Apples	\$1	\$2	\$4
Oranges	\$2	\$1	\$1

$$CPI_N = \frac{\text{value of the basket in prices from year N}}{\text{value of the basket in prices from base year}} * 100$$

$$CPI_{1990} = \frac{3 * \$1 + 2 * \$2}{3 * \$1 + 2 * \$2} * 100 = 100$$

$$CPI_{1991} = \frac{3 * \$2 + 2 * \$1}{3 * \$1 + 2 * \$2} * 100 = 114$$

$$\text{Inflation}_{1991} = \frac{114 - 100}{100} * 100\% = 14\%$$

# GDP Deflator Method

- The GDP deflator price index is calculated from the following formula:

$$\text{GDP deflator} = \frac{\text{Nominal GDP in year } t}{\text{Constant Price GDP in year } t} \times 100$$

# Example: GDP Deflator Method

- A country produces only 2 final goods: apples and oranges. Calculate GDP price deflator and inflation in year 1991 using the following data:

Year		Apples	Oranges
1990	<b>Quantity</b>	<b>2</b>	<b>2</b>
	Prices	\$5	\$2
1991	<b>Quantity</b>	<b>3</b>	<b>1</b>
	Prices	\$5	\$3
1992	<b>Quantity</b>	<b>3</b>	<b>2</b>
	Prices	\$5	\$4

# Solution

$$\text{Nominal GDP in 1990} = 2 * \$5 + 2 * \$2 = 14$$

$$\text{Real GDP in 1990 (in prices from 1990)} = 2 * \$5 + 2 * \$2 = 14$$

$$\text{Nominal GDP in 1991} = 3 * \$5 + 1 * \$3 = 18$$

$$\text{Real GDP in 1991} = 3 * \$5 + 1 * \$2 = 17$$

$$\text{GDP deflator in 1990} = \frac{14}{14} * 100 = 100$$

$$\text{GDP deflator in 1991} = \frac{18}{17} * 100 = 105.9$$

$$\text{Inflation}_{1991} = \frac{105.9 - 100}{100} * 100\% = 5.9\%$$

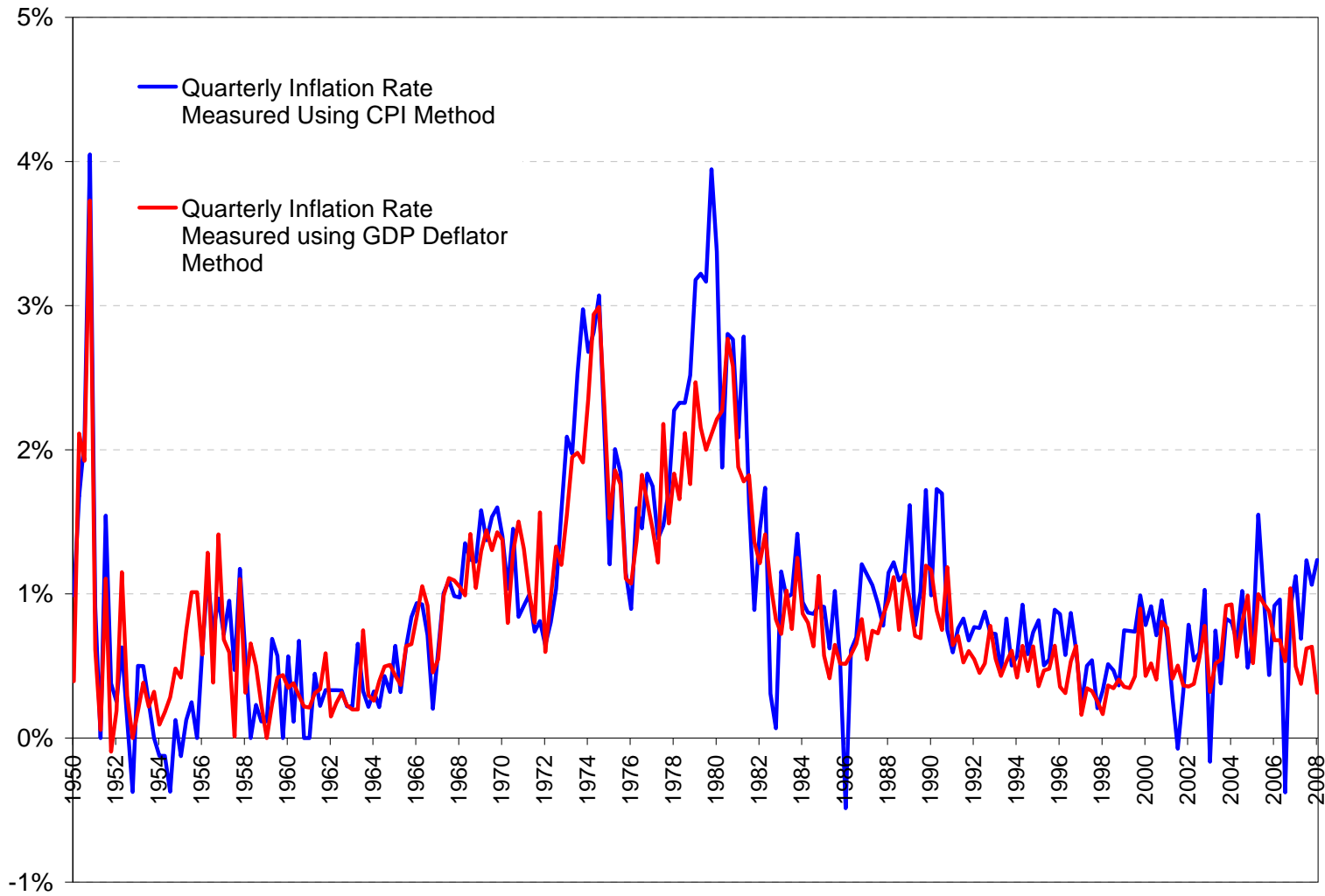
Year		Apples	Oranges
1990	Q	2	2
	P	\$5	\$2
1991	Q	3	1
	P	\$5	\$3
1992	Q	3	2
	P	\$5	\$4

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# Comparison

- **GDP deflator:** Includes all final goods produced by the economy; corresponding weights change from year-to-year depending on the weight in the GDP; excludes imported goods
- **CPI:** Includes household purchases of *some* goods that are part of GDP, but *additionally* includes used goods and imported goods; weights stay fixed for a longer period of time (usually for about 5 years)

# US Quarterly Inflation Rate, 1950-2008



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Application I:  
Using Price Indexes to Translate Nominal  
Variables to Real

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# Real Value of a Variable

- When referring to dollar value variables, **real** means that we correct for dollar's changing purchasing power
- Using the price index, we can easily obtain a measure of the real value of any variable:

$$\text{Real value} = \frac{\text{Nominal value}}{\text{Price index}} \times 100$$

# Example

- Calculate the real wage:

	1990	1991	1992
Nominal wage	\$60	\$66	\$72
CPI	100	110	120
Real Wage			

# Example

- Calculate the real wage:

	1990	1991	1992
Nominal wage	\$60	\$66	\$72
CPI	100	110	120
Real Wage	$60/100*100$ =60	$66/110*100$ =60	$72/120*100$ =60

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## Application II: Using Price Indexes to Calculate Real Rate of Interest

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# Nominal Interest Rate

- Nominal interest is a charge paid for having money (price of money)
- Typically it is quoted as a rate on a principal
  - Nominal interest rate of  $i\%$  means
    - For having  $\$X$  principal today, you will pay tomorrow:
      - $\$X$  principal
      - $i\%$  of  $\$X$  as nominal interest

# Real Interest Rate

- *Real* interest is also a charge for having money, but adjusted for dollar's purchasing power (*real* price of money)
  - Real interest of  $r\%$  means
    - For having  $\$X$  principal today, you will pay tomorrow:
      - $\$X * (\text{CPI}_{\text{tomorrow}} / \text{CPI}_{\text{today}})$  principal
      - $r\%$  of  $\$X * (\text{CPI}_{\text{tomorrow}} / \text{CPI}_{\text{today}})$  interest

# Example

- *Nominal interest rate 8% means:*
  - Have \$100, tomorrow you will have to pay back  $\$100 + 8\% \text{ of } \$100 = \$108$
- When inflation rate is 5% (i.e.  $\text{CPI}_{\text{tomorrow}}/\text{CPI}_{\text{today}}=1.05$ ), then the real interest rate of 3% means
  - Have \$100, tomorrow you will have to pay back  $\$105 + 3\% \text{ of } \$105 = \$108.15$

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# Calculating Real Rate of Interest $r$

- Suppose we are given nominal interest and the inflation rate
  - Nominal interest rate =  $i$
  - Inflation =  $\pi$
- How to calculate the *implied* real interest rate?

# Calculating Real Rate of Interest $r$

- Need to compare tomorrow's repayment
- If nominal interest rate is  $i$ , we have to repay:
  - $\$X + i\%$  of  $\$X = \$X(1+i)$  tomorrow
- If real interest rate is  $r$ , inflation rate is  $\pi$  we have to repay
  - $\$X(1 + \pi) + r\%$  of  $\$X(1 + \pi) = \$X(1 + \pi)(1+r)$  tomorrow

# Calculating Real Rate of Interest $r$

- Implied repayment is the same if and only if:
  - $\$X(1+i) = \$X(1+\pi)(1+r)$
- Thus  $r = (1+i)/(1+\pi) - 1$ 
  - The following approximation is valid when  $i$  and  $\pi$  are small (1%-10%)
    - $(1+i)/(1+\pi) - 1 \approx i - \pi$

# Calculating *Implied* Real Interest Rate

- Fill in the table (use the approximate formula)

	1990	1991	1992
Nominal Interest rate	7%	2%	3%
Inflation	5%	10%	-10%
Real interest rate			

# Calculating *Implied* Real Interest Rate

- Fill in the table (use the approximate formula)

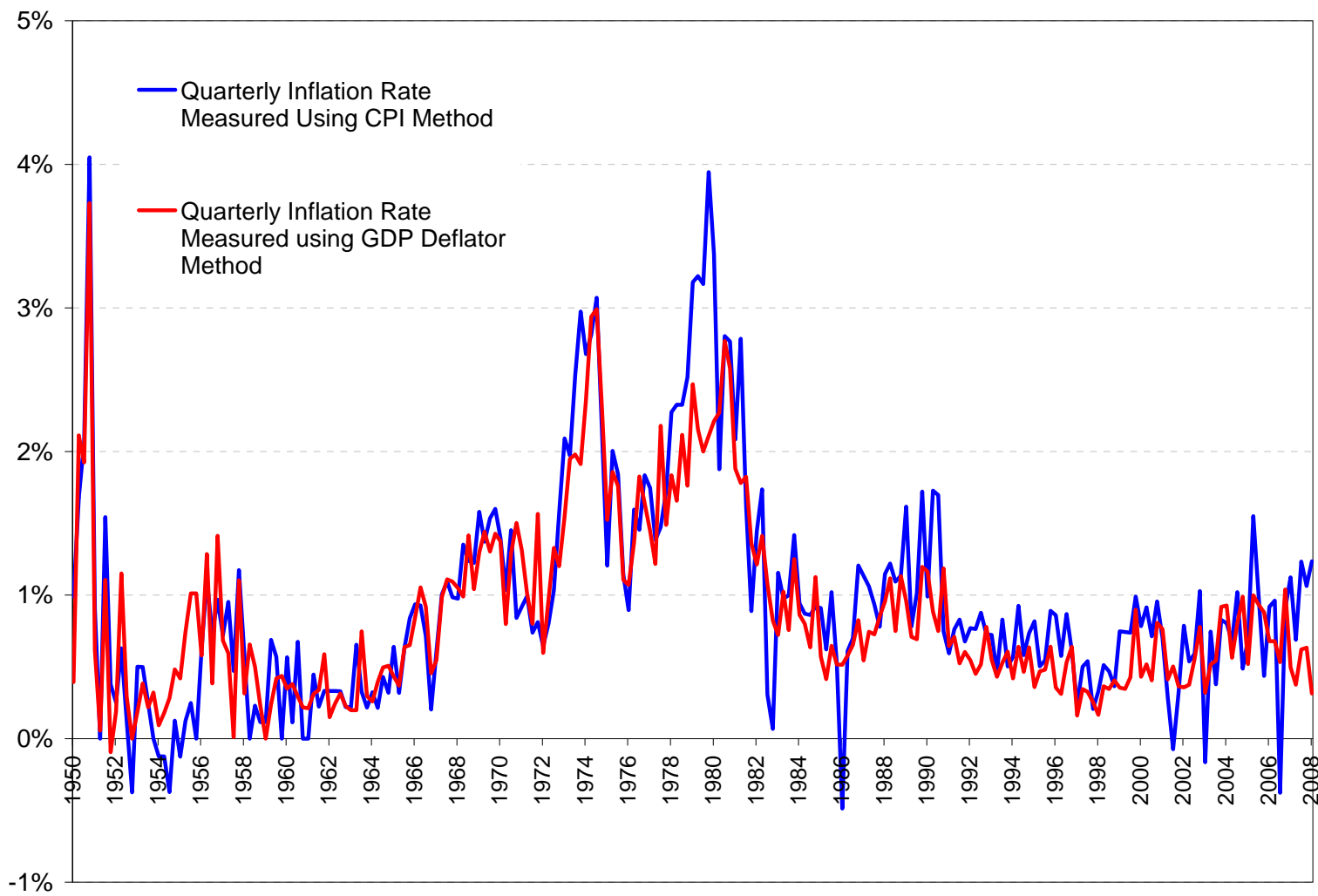
	1990	1991	1992
Nominal Interest rate	7%	2%	3%
Inflation	5%	10%	-10%
Real interest rate	2%	-8%	13%

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# Social Costs of Inflation

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# US Quarterly Inflation Rate, 1950-2008



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# Facts and Myths About Inflation

- Myths

- Inflation erodes the average purchasing power of income in the economy

- Facts

- Inflation redistributes income from one group to another
- Wastes resources devoted to mitigate its consequences

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# Redistributive Effects of Inflation

- *Unexpected* inflation can redistribute income
  - Away from those who are awaiting future payments
  - Toward those who are obligated to make future payments
- Accurately expected rate of inflation does *not* redistribute income, because an adjustment to the contract can be made ahead of time

# Example

- Mr. Wimpy wants to borrow from Mr. Watson
- Since expected inflation is 5%, they both agree on 20% nominal interest rate
  - Mr. Watson expects to get implied real interest rate of 15%
- Later, the inflation turns out to be 50%
  - Mr. Watson actual real return =  $20\% - 50\% = -30\%$

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# Unexpected vs. Expected Inflation

- Mr. Watson's decision was made on the basis of the expected real interest rate of 15%
- Ex-post real interest rate turned out to be -30%
  - If 50% inflation was correctly anticipated, Mr. Watson would request 65% nominal interest rate

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# Resource Cost of Inflation

- Inflation imposes an opportunity cost on the society and on each of its members
  - The cost is equal to the sacrificed goods and services to cope with inflation
  - Think about a restaurant that has to replace all menus to change prices

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# Conclusions

- If inflation is moderate and expected, the costs are low
  - Extremely high levels of inflation are still costly (referred to as **hyperinflation**)
- Unexpected inflation, due to its redistributive effects and uncertainty of redistribution it creates is not desirable
  - Can be avoided by indexing, but it is a somewhat costly solution due to measurement issues (e.g. US Social Security indexing)