
Expectations, Monetary Policy, and the Misalignment of Traded Goods Prices

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Between the last day of March 2002, and the last day of December 2004, the price of a barrel of crude oil rose from \$26.31 to \$43.45, a 65.1 percent increase. This represents a 55.1 percent real price increase, relative to the U.S. consumer price index (CPI). Over the same period, the price of a barrel of oil rose from €30.18 to €32.09, a 6.3 percent increase. Relative to the French CPI, this was a 0.7 percent increase, and relative to the German CPI, a 2.5 percent increase. Apparently, the United States experienced a major oil price increase, but Europe did not.

How can this be? Mechanically, these figures indicate that there was a very large depreciation of the real CPI dollar exchange rate relative to France and Germany. In fact, in nominal terms, the dollar depreciated 55.3 percent over this period, while inflation in the United States was only slightly higher than in France and Germany.

It would be absurd to attempt to explain these movements in a purely real, neoclassical model. Such an explanation would require a massive increase in the excess supply of goods that are weighted heavily in the U.S. consumption basket, relative to the excess supply of goods weighted heavily in the French and German baskets.

However, the movement in the nominal exchange rate does not seem as difficult to comprehend. Asset prices are known to be volatile. While there are difficulties reconciling the volatility of nominal exchange rates with the predictions of rational expectations present value models, these asset pricing models might be able to account for big swings in nominal exchange rates by appealing to changes in expectations about future inflation or money growth, for example.¹

If there are some nominal goods prices that are sticky in euros, and some that are sticky in dollars, these nominal exchange rate swings will lead to relative price changes that do not reflect efficient responses to relative scarcity. This is the point made by Devereux and Engel (2006, here-

inafter referred to as DE06)—when some goods prices are sticky, there is a conflict between the exchange rate's role as an asset price, and its role as a determinant of relative goods prices. As an asset price, the exchange rate might efficiently respond to news about future conditions that affect the value of one currency relative to the other. But these factors that determine the nominal exchange rate are unlikely to be the same factors that would yield efficient relative goods price changes. Goods prices should be determined by supply and demand, and not by expectations of future monetary conditions.

It is important to emphasize here that we are not referring to a situation in which foreign exchange is mispriced. In recent years, policymakers have examined the problems for monetary policy when asset prices contain bubbles or otherwise appear not to be priced rationally. Although such mispricing of exchange rates might lead to problems similar to the ones we examine here, we specifically only consider the case in which the nominal exchange rate is determined by a no-bubbles rational expectations equilibrium.

Devereux and Engel (2006) recommend that monetary policy be used to eliminate the effects of news of future fundamentals on exchange rates. Since exchange rates and other asset prices are primarily determined in the short run by reaction to news of the future rather than shocks to the current fundamentals, DE06 suggest that an optimal monetary policy would largely eliminate unanticipated exchange rate movements.

Our purpose in this paper is to enrich the model of DE06. Earlier work, which has not considered the effects of news on exchange rates, has emphasized the importance of the price-setting assumption for monetary policy rules in the open economy. Producers in each country set the price of their output in advance, but there are two different models of pricing behavior. If the price is set in the producer's currency and sold at the same price in the foreign country, the model assumes producer-currency pricing (PCP). If producers set a price in the home country for sale to home consumers, and a price in the foreign currency for sale to foreign households, we say there is local-currency pricing (LCP). The literature has emphasized that when pricing decisions are closer to the LCP configuration, optimal monetary policy stabilizes nominal exchange rates.²

Here, we build a model very similar to that in Devereux and Engel (2003), in which prices are set one period in advance. However, we show that optimal (cooperative) monetary policy rules should expunge the effects of news of future fundamentals on exchange rates, irrespective of

the assumption of price setting. We shall refer to this as stabilizing the exchange rate, because the optimal policy makes the conditional variance of exchange rates small. Exchange rate shocks should occur only when there are shocks to current fundamentals.

It is certainly true that stabilizing the nominal exchange rate is a more important consideration for more open economies. But some (for example, Kollmann 2004) have claimed that there is essentially no gain from stabilizing the exchange rate of the currency of two countries that trade very little. So, since U.S.-European trade represents a small fraction of their respective gross domestic products (GDPs), monetary policy can safely ignore the euro/dollar fluctuations according to this point of view.

But our view is that the volume of U.S.-European trade is a poor yardstick to gauge the impact of the exchange rate on the economies of the United States and Europe. A change in that exchange rate leads potentially to misalignments in the prices of all traded goods. The fraction of goods whose prices are set or strongly influenced by international markets is much larger than the import/GDP ratio. Oil prices are one example. The drop in the value of the dollar in 2002 to 2004 meant that Europe was insulated from the oil price shock that hit the United States. Or put another way, if the dollar had not depreciated, the price of oil in Europe would have risen also. A smaller dollar price increase would have equilibrated the oil market, reducing the oil shock for the United States.³

We do not attempt here to build and calibrate a realistic full macro model. We explore a series of toy models in this paper as a prelude to further work. We believe that this approach helps to isolate the important features of open economies that might influence monetary policy decisions.

As in DE06, it is helpful to conclude this introductory section with a discussion of how our arguments in this paper differ from the existing literature. First, the existing monetary policy literature does not explicitly consider the effect of news in open-economy models, except as agents learn from changes in current macro fundamentals. Second, optimal policy in this setting is not achieved simply by eliminating inflation. The sticky price distortion requires eliminating the effects of news on exchange rate changes, even if inflation is controlled. Third, the argument for stabilizing exchange rates is different than arguments put forth for stabilizing other asset prices. The only distortion in our stylized model is from sticky prices. We deliberately have eliminated all asset

market distortions to make our point clear. The reason that exchange rates need to be controlled even when inflation is driven to zero, even though the only distortion comes from sticky prices, is that prices are set in each currency so an exchange rate change leads to a potentially undesirable relative price movement.

The rest of the paper is organized as follows. The next section develops the basic model used throughout the paper. Section 3.2 derives the flexible price solution of the model and establishes the principle that efficient relative prices should depend only on contemporaneous fundamentals. Section 3.3 analyzes the solution under sticky prices, both with PCP and LCP pricing, and obtains the optimal monetary policy rules in each case, assuming money supply as an instrument of monetary policy. Section 3.4 shows the implications of the model for relative prices as well as some other extensions. Section 3.5 illustrates that the main results carry over to the more realistic case of interest rate targeting for monetary policy. Some conclusions then follow.

3.1 Model

There are two symmetric countries, each with a continuum of households normalized in size to equal one. In each country, a continuum of monopolists produces goods that are considered imperfect substitutes by consumer-households. Goods are produced using labor and a commodity. Each country is endowed with equal amounts of the nondurable commodity each period, and it is sold in a competitive market to producers in each country. Households consume output of both countries, but their preferences exhibit home bias—they weight goods produced in their own country more heavily than imported goods. We assume there is a complete market for state-contingent bonds.

3.1.1 Households

Households in each country maximize expected discounted utility over an infinite horizon. The preferences of the representative household in the home country are given by:

$$Y = E_0 \sum_{t=0}^{\infty} \beta^t v_t, \quad 0 < \beta < 1,$$

where

$$v_t = \frac{1}{1-\rho} C_t^{1-\rho} + \frac{\chi}{1-\varepsilon} \left(\frac{M_t}{P_t} \right)^{1-\varepsilon} - \eta L_t, \quad \rho > 0, \varepsilon > 0.$$

In this expression, C_t represents aggregate consumption, which is a Cobb-Douglas function of home- and foreign-produced consumption goods:

$$C_t = (C_{Ht})^{1-(\gamma/2)} (C_{Ft})^{\gamma/2}, \quad \gamma \leq 1.$$

Preferences exhibit home bias when $\gamma < 1$, so that home consumers put more weight $[1 - (\gamma / 2)]$ on consumption of the home good aggregate, C_{Ht} . Foreign households have symmetric, but not identical preferences. They put weight $1 - (\gamma / 2)$ on consumption of the foreign good aggregate, so that

$$C_t^* = (C_{Ht}^*)^{\gamma/2} (C_{Ft}^*)^{1-(\gamma/2)}.$$

(Throughout the paper, a * signifies the foreign country values.) In turn, C_{Ht} and C_{Ft} are Center for Economic Studies (CES) aggregates that equally weight the continuum of goods produced in each country, with elasticity of substitution equal to λ .

The exact price index is given (up to a constant of proportionality) by:

$$P_t = (P_{Ht})^{1-(\gamma/2)} (P_{Ft})^{\gamma/2}.$$

Variables P_{Ht} and P_{Ft} are CES price indexes defined over the continuum of goods produced in the home country and the foreign country, respectively. These prices are expressed in nominal terms in the domestic currency.

We assume real balances appear in the utility function. We follow the blueprint of Devereux and Engel (2003), who in turn follow Obstfeld and Rogoff (1995, 2000, 2002), but generalize the model to include home bias in preferences and production that uses a commodity as an input. Monetary policy is expressed as a money supply rule. This is not a realistic description of how monetary policy is set by most central banks today, but this paper is not trying to deliver a policy rule that can be taken off the shelf and used by policymakers. The main ideas we are trying to convey hold whether the central bank controls interest rates directly, or controls them indirectly through the money supply. The last section of this paper shows how the results carry through when monetary policy is set by an interest rate rule (which is the case considered in DE06.) However, for pedagogical reasons, it is clearer to present the model initially using money supply rules.

Maximization is done subject to a standard budget constraint. Without loss of generality, home households can be assumed to own home firms. Households receive income from profits, wages, rents earned from their commodity endowment, and the payoffs from their state con-

tingent claims. They carry over money balances from the previous period, and receive lump-sum monetary transfers from the government. They use their resources to buy consumption goods, to acquire money balances to hold in the current period, and to acquire state contingent bonds (which can be held in negative quantities) that pay off in the next period.

Derivations in this model are quite straightforward, so in order to save space we will present only the log-linearized first-order conditions of the households (where the linearization is done around the nonstochastic steady state). Lowercase letters represent the logs of the corresponding uppercase letters.

The tradeoffs between leisure and consumption for home and foreign households, respectively, are given by:

$$w_t = p_t + \rho c_t \quad (1)$$

$$w_t^* = p_t^* + \rho c_t^*. \quad (2)$$

The log of the nominal wage in the home country is w_t .

The money demand functions are derived from the Euler equation for money balances, in the home and foreign countries:

$$m_t - p_t = \frac{\rho}{\varepsilon} c_t - \frac{1}{i\varepsilon} (E_t p_{t+1} + \rho E_t c_{t+1} - p_t - \rho c_t) \quad (3)$$

$$m_t^* - p_t^* = \frac{\rho}{\varepsilon} c_t^* - \frac{1}{i\varepsilon} (E_t p_{t+1}^* + \rho E_t c_{t+1}^* - p_t^* - \rho c_t^*). \quad (4)$$

Here, $i = (1 + \pi)/\beta - 1$ is the steady-state nominal interest rate, where π is the steady-state inflation rate, which will be the same in both countries under the following assumptions.

With Cobb-Douglas preferences, the ratio of expenditure on home and foreign aggregates is a constant in each country:

$$p_{Ft} + c_{Ft} = p_{Ht} + c_{Ht} \quad (5)$$

$$p_{Ft}^* + c_{Ft}^* = p_{Ht}^* + c_{Ht}^*. \quad (6)$$

The consumption aggregate in each country can be defined:

$$c_t = \left(1 - \frac{\gamma}{2}\right) c_{Ht} + \frac{\gamma}{2} c_{Ft} \quad (7)$$

$$c_t^* = \frac{\gamma}{2} c_{Ht}^* + \left(1 - \frac{\gamma}{2}\right) c_{Ft}^*. \quad (8)$$

The price indexes are:

$$p_t = \left(1 - \frac{\gamma}{2}\right)p_{Ht} + \frac{\gamma}{2}p_{Ft} \quad (9)$$

$$p_t^* = \frac{\gamma}{2}p_{Ht}^* + \left(1 - \frac{\gamma}{2}\right)p_{Ft}^* \quad (10)$$

Through trade in state-contingent bonds, households in each country equate the marginal utility of an additional dollar of consumption across all states at each time. These first-order conditions can be summarized by:

$$p_t + \rho c_t = s_t + p_t^* + \rho c_t^*, \quad (11)$$

where s_t is the log of the home currency price of foreign currency.

3.1.2 Firms

Output is produced using labor and a commodity in each country. In addition, there are country-specific productivity shocks.

As we have noted, in each country there is a continuum of monopolistic firms that each produces a final consumption good.

The production functions for representative firm i in each country are CES, with elasticity of substitution of θ :

$$Y_{Ht}(i) = \Psi_t \{ \alpha^{1/\theta} [L_t(i)]^{(\theta-1)/\theta} + (1-\alpha)^{1/\theta} [X_t(i)]^{(\theta-1)/\theta} \}^{\theta/(\theta-1)}$$

$$Y_{Ft}^*(i) = \Psi_t^* \{ \alpha^{1/\theta} [L_t^*(i)]^{(\theta-1)/\theta} + (1-\alpha)^{1/\theta} [X_t^*(i)]^{(\theta-1)/\theta} \}^{\theta/(\theta-1)}$$

Labor input in the home country for firm i is $L_t(i)$, $X_t(i)$ is the input of the commodity for firm i , and Ψ_t is the home productivity level, common to all home firms.

The log-linearized production functions (dropping the index i) are given by:

$$y_{Ht} = \psi_t + \alpha \ell_t + (1-\alpha)x_t \quad (12)$$

$$y_{Ft}^* = \psi_t^* + \alpha \ell_t^* + (1-\alpha)x_t^* \quad (13)$$

The log of the home productivity shock can be decomposed into two components:

$$\psi_t = u_t + v_{t-1}.$$

The notion is that agents receive news about productivity in advance. We express that by saying that the v_{t-1} component of time t productivity is observed one period in advance, at time $t - 1$. Similarly,

$$\Psi_t^* = u_t^* + v_{t-1}^*.$$

We will consider two different models for the evolution of shocks: one in which all components are purely independent and identically distributed (i.i.d.) so all shocks are temporary; and another in which all components are pure random walks, so that all shocks are permanent.

Factor demands are given by:

$$x_t - \ell_t = -\theta(p_{xt} - w_t) \quad (14)$$

$$x_t^* - \ell_t^* = -\theta(p_{xt}^* - w_t^*). \quad (15)$$

The nominal price of the commodity in the home country is P_{xt}

When goods prices are flexible, each firm sets its goods price as a markup over unit cost. We shall assume, however, that the government subsidizes output of each firm so that in fact it produces at an efficient level, and sets price equal to unit cost. This assumption will guarantee us that the flexible-price equilibrium is also efficient.⁴ The price equations are given by:

$$p_{Ht} = \alpha w_t + (1 - \alpha)p_{xt} - \Psi_t \quad (16)$$

$$p_{Ft}^* = \alpha w_t^* + (1 - \alpha)p_{xt}^* - \Psi_t^*. \quad (17)$$

Each of the unique consumption goods could, in principle, be priced differently in the home and foreign countries, because we will assume that firms can costlessly segment the markets. However, since the demand function for each good is the same among home and foreign households, the desired price set by each firm for the home and foreign market is identical. So we have that the law of one price holds for each good:

$$p_{Ht} = s_t + p_{Ht}^* \quad (18)$$

$$p_{Ft} = s_t + p_{Ft}^*. \quad (19)$$

While all of the other equations presented so far hold whether prices are flexible or set in advance, we emphasize that equations (16) and (17) pertain only to the flexible-price version of the model. Equations (18) and (19) will hold in the PCP version of the sticky-price model, but not in the LCP version.

3.1.3 Equilibrium

The commodity is freely traded on world markets, and so it has a single world price:

$$p_{xt} = s_t + p_{xt}^* \quad (20)$$

The world endowment of the commodity is \bar{x}_t , which is a random variable. We will assume that no information about \bar{x}_t is known until time t , at which time it is fully known.

The log-linearized commodity market resource constraint is:

$$\bar{x}_t = \frac{1}{2}x_t + \frac{1}{2}x_t^* \quad (21)$$

The weights are 1/2, on home and foreign log commodity demand because of the symmetry of the home and foreign country in the non-stochastic steady state.

The log-linearized market clearing conditions for home and foreign goods can be summarized as:

$$y_{ht} = \left(1 - \frac{\gamma}{2}\right)c_{Ht} + \frac{\gamma}{2}c_{Ht}^* \quad (22)$$

$$y_{Ft}^* = \frac{\gamma}{2}c_{Ft} + \left(1 - \frac{\gamma}{2}\right)c_{Ft}^* \quad (23)$$

When prices are flexible, equations (1) through (23) determine the twenty-three variables: $w_t, w_t^*, y_{Ht}, y_{Ft}^*, \ell_t, x_t, \ell_t^*, x_t^*, c_t, c_{Ht}, c_{Ft}, c_t^*, c_{Ht}^*, c_{Ft}^*, p_t, p_{Ht}, p_{Ft}, p_{xt}, p_t^*, p_{Ht}^*, p_{Ft}^*, p_{xt}^*$, and s_t . In the PCP model, we have that p_{Ht} and p_{Ft}^* are set one period ahead, so that equations (16) and (17) do not hold. The remaining twenty-one equations determine the remaining twenty-one variables. In the LCP model, p_{Ht}, p_{Ft}, p_{Ht}^* , and p_{Ft}^* are set in advance. Equations (16) to (19) do not hold in the LCP model, and the remaining nineteen equations determine the remaining nineteen variables.

3.2 Flexible Price Solution

The solution to the model under the assumption of flexible prices provides a benchmark. We have noted that, with the optimal production subsidies to monopolists in place, the equilibrium under flexible prices is efficient. We will see that in some cases analyzed below, even with

sticky prices, the efficient allocation is obtainable with appropriate monetary policy.

For any variable z_t , and its foreign counterpart, z_t^* , we will define

$$z_t^R \equiv z_t - z_t^*,$$

$$\bar{z}_t = \frac{z_t + z_t^*}{2},$$

the relative and world values of these variables.⁵

Devereux and Engel (2006) emphasize that the theorem derived by Barro and King (1984) applies to this model: even though expectations are forward looking, because preferences are time separable, there are no durable goods (except the moneys), and markets are complete, the (real) prices and quantities depend only on the current period values of the exogenous variables— ψ_t , ψ_t^* , and \bar{x}_t —and not on the expected future values. The solutions do not depend on any assumptions about the stochastic processes for these exogenous variables.

This is a key insight: relative prices are determined by relative scarcity of goods or factors, not by expectations about the future. Expectations can play a role in determining money prices (and demand for money), because money is a durable asset. But under flexible prices, money is neutral in this model, so expectations of the future play no role in the determination of equilibrium relative prices or real allocations.

Here we present the solutions for aggregate consumption and output in each country, and the solutions for relative prices:

$$c_t = \frac{1 - \gamma}{2\rho} \psi_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{\psi}_t + \frac{1 - \alpha}{1 - \alpha(1 - \theta\rho)} \bar{x}_t \quad (24)$$

$$c_t^* = \frac{\gamma - 1}{2\rho} \psi_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{\psi}_t + \frac{1 - \alpha}{1 - \alpha(1 - \theta\rho)} \bar{x}_t \quad (25)$$

$$y_{Ht} = \psi_t - \frac{(\rho - 1)(1 - \gamma)^2}{2\rho} \psi_t^R + \frac{\alpha\theta(1 - \rho)}{1 - \alpha(1 - \theta\rho)} \bar{\psi}_t + \frac{1 - \alpha}{1 - \alpha(1 - \theta\rho)} \bar{x}_t \quad (26)$$

$$y_{Ft}^* = \psi_t^* + \frac{(\rho - 1)(1 - \gamma)^2}{2\rho} \psi_t^R + \frac{\alpha\theta(1 - \rho)}{1 - \alpha(1 - \theta\rho)} \bar{\psi}_t + \frac{1 - \alpha}{1 - \alpha(1 - \theta\rho)} \bar{x}_t \quad (27)$$

$$p_{Ft} - p_{Ht} = p_{Ft}^* - p_{Ht}^* = \psi_t^R \quad (28)$$

$$w_t - p_{Ht} = \frac{1}{2} \Psi_t^R + \frac{\rho(1 - \alpha(1 - \theta))}{1 - \alpha(1 - \theta\rho)} \bar{\Psi}_t + \frac{\rho(1 - \alpha)}{1 - \alpha(1 - \theta\rho)} \bar{x}_t \quad (29)$$

$$p_{xt} - p_{Ht} = \frac{1}{2} \Psi_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{\Psi}_t - \frac{\rho\alpha}{1 - \alpha(1 - \theta\rho)} \bar{x}_t. \quad (30)$$

Consumption and prices depend only on the current level of productivity and supply of the commodity. Note also, the log of the real exchange rate is proportional to the terms of trade:

$$q_t = s_t + p_t^* - p_t = (1 - \gamma) \Psi_t^R.$$

We could use equations (3) and (4) along with the solutions for consumption in (24) and (25), in conjunction with some assumptions about the money supply process to solve for nominal price levels. Because equations (3) and (4) are forward looking, the nominal price levels depend upon expectations of future consumption, and hence future productivity levels, as well as expectations about money supplies. However, the nominal price levels have no influence on real prices or allocations under flexible prices.

3.3 Sticky Prices Solution and Monetary Policy

We begin this section by making some assumptions about the money supply process. We assume that money supplies in each country are determined by:

$$m_t = m_{t-1} + \mu_t + \delta_{t-1} \quad (31)$$

$$m_t^* = m_{t-1}^* + \mu_t^* + \delta_{t-1}^*. \quad (32)$$

Monetary policy rules are designed to respond to unanticipated shocks, so $E_{t-1}(\mu_t) = E_{t-1}(\mu_t^*) = 0$, and $E_{t-2}(\delta_{t-1}) = E_{t-2}(\delta_{t-1}^*) = 0$ will hold. Here $\mu_t(\mu_t^*)$ is an addition to the time t information set, while $\delta_{t-1}(\delta_{t-1}^*)$ is an addition to the time $t - 1$ information set. Note that this assumption means that conditionally (on time t information) expected money growth will vary over time, although the unconditional expectation of money growth is zero. This monetary rule is designed so that the μ_t component reacts to the components of productivity, u_t and u_t^* , that are news in period t , while the δ_{t-1} component reacts to the components of this period's productivity, v_t or v_t^* , that were learned in period $t - 1$. In other words, the monetary authorities commit in period t to change the money supply between $t + 1$ and t by an amount that is expected to equal δ_t .

We introduce some new notation. For any variable z_{t+j} , $j \geq 0$ define

$$\hat{E}_t z_{t+j} = E_t z_{t+j} - E_{t-1} z_{t+j}.$$

In other words, $\hat{E}_t z_{t+j}$ is the news received at time t about variable z_{t+j} . When $j = 0$, we will write simply $\hat{z}_t = z_t - E_{t-1} z_t$ for innovations in z_t .⁶ Under this notation, $\hat{\psi}_t = u_t$, and $\hat{E}_t \psi_{t+1} = v_t$, for example.

We will assume that nominal prices are set one period in advance. Firms set prices to maximize the value of the firm. In the first case, we will consider PCP firms. Home firms set prices in home currency and foreign firms set prices in foreign currency. In that case, equations (16) and (17) are replaced by:

$$p_{Ht} = E_{t-1}[\alpha w_t + (1 - \alpha)p_{xt} - \psi_t] \quad (33)$$

$$p_{Ft}^* = E_{t-1}[\alpha w_t^* + (1 - \alpha)p_{xt}^* - \psi_t^*]. \quad (34)$$

We will also consider LCP firms. These firms set a price one period in advance in domestic currency for sale to households in the home country, and a price in foreign currency for sale to foreign households. Equations (33) and (34) determine p_{Ht} and p_{Ft}^* . In addition, for LCP firms, equations (18) and (19) are replaced by:

$$p_{Ht} = E_{t-1} s_t + p_{Ht}^* \quad (35)$$

$$p_{Ft} = E_{t-1} s_t + p_{Ft}^*. \quad (36)$$

In this section, we assume that the shocks— u_t , u_t^* , v_t , v_t^* , and \bar{x}_t —are purely transitory (mean zero, i.i.d.)

Because prices are expected (at time t) to be at their flexible price equilibrium levels at time $t + 1$ (compare equations (33) through (34) to (16) through (17), and additionally for the LCP case, (35) to (36) to (18) to (19)), consumption in period $t + 1$ is expected to be at its efficient level. From equation (26) we have:

$$\hat{E}_t c_{t+1} = \frac{1 - \gamma}{2\rho} v_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{v}_t \quad (37)$$

$$\hat{E}_t c_{t+1}^* = \frac{\gamma - 1}{2\rho} v_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{v}_t \quad (38)$$

It is useful to note that $\hat{E}_t m_{t+k} = \hat{E}_t m_{t+1}$, and $\hat{E}_t c_{t+k} = 0$, $k \geq 2$. It follows from pushing equation (3) ahead two periods that $\hat{E}_t p_{t+2} = \hat{E}_t m_{t+2} = \hat{E}_t m_{t+1}$. Then pushing equation (3) ahead one period, we have

$$\hat{E}_t m_{t+1} - \hat{E}_t p_{t+1} = \frac{\rho}{\varepsilon} \hat{E}_t c_{t+1} - \frac{1}{i\varepsilon} (\hat{E}_t p_{t+2} + \rho \hat{E}_t c_{t+2} - \hat{E}_t p_{t+1} - \rho \hat{E}_t c_{t+1}).$$

We can solve this out to write:

$$\hat{E}_t p_{t+1} = \hat{E}_t m_{t+1} - \frac{\rho(1+i)}{1+i\varepsilon} \hat{E}_t c_{t+1}. \quad (39)$$

3.3.1 PCP

Recall $p_t = (1-\gamma/2)p_{Ht} + (\gamma/2)(s_t + p_t^*)$, so under PCP we have $\hat{p}_t = (\gamma/2)\hat{s}_t$. Also note $\hat{E}_t m_{t+1} = \hat{m}_t + \delta_t$. Taking innovations in equation (3), we get

$$\hat{m}_t - \hat{p}_t = \frac{\rho}{\varepsilon} \hat{c}_t - \frac{1}{i\varepsilon} (E_t \hat{p}_{t+1} + \rho E_t \hat{c}_{t+1} - \hat{p}_t - \rho \hat{c}_t).$$

Using these relationships along with equation (39) to get:

$$\hat{c}_t = \phi \left(\hat{m}_t - \frac{\gamma}{2} \hat{s}_t \right) + \frac{1}{\rho(1+i)} \delta_t + \frac{i(\varepsilon-1)}{(1+i)(1+i\varepsilon)} \hat{E}_t c_{t+1}, \quad (40)$$

where $\phi \equiv (1+i\varepsilon)/[\rho(1+i)]$.

The analogous expression for innovations in foreign consumption is given by

$$\hat{c}_t^* = \phi(\hat{m}_t^* + \frac{\gamma}{2}\hat{s}_t) + \frac{1}{\rho(1+i)} \delta_t^* + \frac{i(\varepsilon-1)}{(1+i)(1+i\varepsilon)} \hat{E}_t c_{t+1}^*. \quad (41)$$

From the risk-sharing condition (11) we have

$$(1-\gamma)\hat{s}_t = \rho(\hat{c}_t - \hat{c}_t^*).$$

Taking the difference between equations (40) and (41), and using the difference between equations (37) and (38), we can derive:

$$\begin{aligned} \hat{s}_t &= \frac{1+i\varepsilon}{1+i[1-\gamma(1-\varepsilon)]} \hat{m}_t^R + \frac{1}{1+i[1-\gamma(1-\varepsilon)]} \delta_t^R \\ &\quad + \frac{\rho i(\varepsilon-1)}{(1+i\varepsilon)\{1+i[1-\gamma(1-\varepsilon)]\}} \hat{E}_t c_{t+1}^R \\ &= \frac{1+i\varepsilon}{1+i[1-\gamma(1-\varepsilon)]} \hat{m}_t^R + \frac{1}{1+i[1-\gamma(1-\varepsilon)]} \delta_t^R \\ &\quad + \frac{(1-\gamma)i(\varepsilon-1)}{(1+i\varepsilon)\{1+i[1-\gamma(1-\varepsilon)]\}} v_t^R. \end{aligned} \quad (42)$$

The last term shows the influence of expected future fundamentals on the nominal exchange rate. Substituting (42) and (37) into equation (41), we can also see the influence of expected future fundamentals on current consumption.

The exchange rate is the sum of revisions to current fundamentals and expectations of future fundamentals. Current fundamentals are unanticipated movements in relative money growth across the home and foreign country. Expectations of future productivity shocks, however, affect the exchange rate currently. This is explained as follows. When $v_t > v_t^*$, there is a shock to future home productivity that exceeds that to future foreign productivity. If in addition $\gamma < 1$, this must increase anticipated consumption at home more than in the foreign country, since home residents' consumption is more sensitive to home productivity in the presence of home bias in preferences. From (3), holding the current monetary innovation constant, a rise in expected future home relative consumption will increase the home nominal interest rate, relative to the foreign nominal interest rate, when $\epsilon > 1$. This will reduce demand for money at home relative to the foreign country, and as a result there is an unanticipated home currency depreciation. Finally, future fundamentals also incorporate future changes in the relative money supplies, $\delta_t - \delta_t^*$, which can be forecasted based on announcements of future relative technology growth rates.

Note that the key feature of this mechanism is that the exchange rate responds to future fundamentals. That is, the time $t + 1$ productivity shock becomes known at time t , and generates news, which leads the current exchange rate to move, and the resulting changes in the expected future money supply have a similar effect.

Using equations (5)–(11), we can derive:

$$\hat{y}_{Ht} - y_{Ft}^* = \frac{(1 - \gamma)^2 + \rho\gamma(2 - \gamma)}{\rho} \hat{s}_t. \quad (43)$$

A future productivity boom in the home country or anticipated future money growth in the home country (in both cases, relative to the foreign counterpart) will lead to a home depreciation ($\epsilon > 1$). From the risk-sharing condition, home consumption rises relative to foreign consumption when s rises. This is associated with a boom in domestic output relative to foreign.

It is well known that in this setting, when no shocks are anticipated, a monetary rule can be established that replicates the flexible price alloca-

tions.⁷ Suppose $m_t - m_{t-1} = \mu_t$ and $\psi_t = u_t$. Then with a bit of work, equations (40) through (42) can be solved to give:

$$c_t = \phi \left\{ \frac{2(1-\gamma)(1+i) + \gamma(1+i\epsilon)}{2 + 2i[1-\gamma(1-\epsilon)]} \mu_t + \frac{\gamma(1+i\epsilon)}{2 + 2i[1-\gamma(1-\epsilon)]} \mu_t^* \right\} \quad (44)$$

$$c_t^* = \phi \left\{ \frac{\gamma(1+i\epsilon)}{2 + 2i[1-\gamma(1-\epsilon)]} \mu_t + \frac{2(1-\gamma)(1+i) + \gamma(1+i\epsilon)}{2 + 2i[1-\gamma(1-\epsilon)]} \mu_t^* \right\}. \quad (45)$$

These two equations give c_t and c_t^* as linear functions of μ_t and μ_t^* . The optimal solutions for c_t and c_t^* , given in equations (24) and (25), have home and foreign consumption solved as functions of u_t , u_t^* , and x_t . So, monetary policy can replicate the optimal consumption levels using a policy that equates the right-hand sides of equations (44) and (45) with the right-hand sides of equations (24) and (25), respectively, and then solves for μ_t and μ_t^* as linear functions of u_t , u_t^* , and x_t . It is tedious but straightforward to confirm that the policies that solve these equations will also yield solutions for relative prices under PCP that replicate the flexible price solutions given in equations (28) through (30). We shall not elaborate on this aspect of the optimal monetary policy further.

What is of interest, here, however, is the distortion caused by the effect of anticipated future disturbances—anticipated future productivity and money growth—on current output, consumption, and price levels. Can we design a policy that eliminates these effects as well, and delivers the flexible price allocation? What are the properties of such a policy?

In the PCP model, the sticky price distortion manifests itself through terms of trade movements that do not replicate the optimal reaction of the terms of trade to current productivity levels, as given in equation (28). If there were no anticipated shocks, the optimal exchange rate policy would deliver an exchange rate that mimicked the terms of trade. That is, with p_{Ft}^* and P_{Ht} fixed one period in advance, innovations in the terms of trade, $s_t + p_{Ft}^* - P_{Ht}$, are just determined by innovations in the nominal exchange rate. Common wisdom (supported by the empirical work of DE06) is that short-run exchange rate movements are largely driven by news about the future. In the context of this model, this means that the variances of v_t , v_t^* , δ_t , and δ_t^* are much larger than the variances of μ_t , μ_t^* , u_t , u_t^* , and x_t . Therefore, the policies that target news about the future are far more important in delivering desirable terms of trade movements and real exchange rate movements than the policies that target current fundamentals.

PROPOSITION 1. *The optimal monetary policy sets*

$$\delta_t = -\frac{\rho i(\varepsilon - 1)}{(1 + i\varepsilon)} \hat{E}_t c_{t+1} = -\frac{\rho i(\varepsilon - 1)}{(1 + i\varepsilon)} \left[\frac{1 - \gamma}{2\rho} v_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{v}_t \right]$$

$$\delta_t^* = -\frac{\rho i(\varepsilon - 1)}{(1 + i\varepsilon)} \hat{E}_t c_{t+1}^* = -\frac{\rho i(\varepsilon - 1)}{(1 + i\varepsilon)} \left[\frac{\gamma - 1}{2\rho} v_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{v}_t \right].$$

This policy eliminates the effects of news on nominal exchange rates.

PROOF. It follows directly from equations (40) and (41) that these policies eliminate the influence of news on current consumption. Inspection of equation (42) shows that it also eliminates the effects of news on exchange rates.

In practical terms, a policy that eliminates the effects of news on exchange rates will substantially stabilize exchange rates (making the conditional variance of exchange rates very small). Notice if the home country follows the policy set out in the Proposition for δ_t , the foreign country could set its policy to drive the effect of news on exchange rates to zero. That is, from (42), the foreign country could eliminate the impact of news on the exchange rate by setting

$$\delta_t^* = \delta_t + \frac{\rho i(\varepsilon - 1)}{(1 + i\varepsilon)} \hat{E}_t c_{t+1}^R.$$

With the home country setting δ_t as given in the Proposition, this policy for the foreign country would be identical to the optimal rule for the foreign country given in the Proposition. Ignoring the effects of contemporary shocks to the fundamentals on exchange rates, the optimal cooperative policy could be implemented by having the home country follow the policy that delivers its individually optimal level of consumption, and having the foreign country target shocks to exchange rates.

3.3.2 LCP

Under LCP we have $\hat{p}_t = 0$. Following the steps used to derive equation (40), but with this expression for the innovation in the consumer price level, we find under LCP:

$$\hat{c}_t = \phi \hat{m}_t + \frac{1}{\rho(1 + i)} \delta_t + \frac{i(\varepsilon - 1)}{(1 + i)(1 + i\varepsilon)} \hat{E}_t c_{t+1}. \quad (46)$$

$$\hat{c}_t^* = \phi \hat{m}_t^* + \frac{1}{\rho(1+i)} \delta_t^* + \frac{i(\varepsilon-1)}{(1+i)(1+i\varepsilon)} \hat{E}_t c_{t+1}^*. \quad (47)$$

From the risk-sharing condition (11) we have under LCP

$$\hat{s}_t = \rho(\hat{c}_t - \hat{c}_t^*).$$

As with the derivation of equation (42), take the difference between equations (46) and (47), and use the difference between equations (37) and (38), to derive:

$$\begin{aligned} \hat{s}_t &= \frac{1+i\varepsilon}{1+i} \hat{m}_t^R + \frac{1}{1+i} \delta_t^R + \frac{\rho i(\varepsilon-1)}{(1+i\varepsilon)(1+i)} \hat{E}_t c_{t+1}^R \\ &= \frac{1+i\varepsilon}{1+i} \hat{m}_t^R + \frac{1}{1+i} \delta_t^R + \frac{(1-\gamma)i(\varepsilon-1)}{(1+i\varepsilon)(1+i)} v_t^R. \end{aligned} \quad (47)$$

Qualitatively, news has a similar impact under local-currency pricing as it does under producer-currency pricing. We also now have:

$$\hat{y}_{Ht} - y_{Ft}^* = \frac{(1-\gamma)}{\rho} \hat{s}_t. \quad (49)$$

But we can make an even stronger statement about optimal policy:

PROPOSITION 2. *The optimal rules for δ_t and δ_t^* are the same as under PCP. They also eliminate the effects of news on exchange rates, as under PCP.*

PROOF. This comes from inspection of (46) through (48).

Devereux and Engel (2003, 2007), Monacelli (2005), Sutherland (2005), and Corsetti and Pesenti (2005) have emphasized that under LCP, monetary policy's response to shocks to the current fundamentals cannot replicate the flexible-price equilibrium. That result holds in this model as well. But if exchange rates are primarily driven by news, the optimal response to news will involve stabilizing the exchange rate. In contrast to what previous studies have emphasized, in response to news, the optimal policy is identical under PCP and LCP.

Standard Optimal Currency Area (OCA) reasoning suggests that it is efficient to allow the exchange rate to respond to country-specific productivity shocks. We find, in the absence of a monetary response, that indeed the exchange rate will respond to announcements of country-specific productivity shocks. The direction of movement depends on the size of ε . For $\varepsilon > 1$, the exchange rate will depreciate in response to an

announced future home productivity expansion. It is tempting to interpret this movement along efficiency (or OCA) lines—the future home productivity expansion should cause a home-country terms of trade deterioration. Hence, the response of agents forecasting this in financial markets leads to an immediate nominal exchange rate depreciation.

But the problem with this reasoning is that the immediate response of the current nominal exchange rate causes a change in the current real exchange rate (by different degrees in the PCP and LCP environments), because current nominal prices cannot respond to the announced future shock. In the absence of a *current* (as opposed to future) productivity shock, however, there is no efficiency reason for the real exchange rate to move at all. In fact, movements in the real exchange rate are associated with welfare losses since they push consumption and employment away from their efficient levels.

Thus, in a sticky price environment, when the exchange rate responds to news, there is no guarantee that it will do so in an efficient manner. Indeed, in our model, the optimal monetary rule should prevent the exchange rate from responding to news about future fundamentals at all. The critical requirement is that there not be any *unanticipated* movements in the exchange rate. That is, the time t exchange rate will be known in time $t - 1$.

Of course the model is quite stylized, since we have assumed that all prices can adjust before the news takes effect. But this is not necessarily unrealistic. At an anecdotal level, we see the exchange rate responding to all types of potential events (e.g., effects of Social Security changes that may affect the budget deficit in five or more years' time) that may occur much further in the future than would be relevant for business cycle frequencies. These exchange rate movements are not necessarily desirable, because we have to recognize that the response to future shocks may not be consistent with the currently desired structure of relative prices.

3.4 International Goods Prices and Extensions

From equations (1) through (2), (7) through (8), and (11) through (15), we can write in all models of price setting:

$$p_{xt} - p_t = \rho c_t + \frac{1}{\alpha\theta} (\bar{c}_t - \bar{\psi}_t - \bar{x}_t) \quad (50)$$

$$p_{xt}^* - p_t^* = \rho c_t^* + \frac{1}{\alpha\theta} (\bar{c}_t - \bar{\psi}_t - \bar{x}_t). \quad (51)$$

Holding consumption levels and current productivity levels constant, a decline in the world supply of the commodity raises the relative CPI price of the commodity in both countries.

Solving out for consumption, in a flexible price world, we find:

$$p_{xt} - p_t = \frac{1 - \gamma}{2} \Psi_t^R + \frac{1 - \alpha\rho(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{\Psi}_t - \frac{\alpha\rho}{1 - \alpha(1 - \theta\rho)} \bar{x}_t \quad (52)$$

$$p_{xt}^* - p_t^* = \frac{\gamma - 1}{2} \Psi_t^R + \frac{1 - \alpha\rho(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{\Psi}_t - \frac{\alpha\rho}{1 - \alpha(1 - \theta\rho)} \bar{x}_t. \quad (53)$$

Optimally, relative prices should reflect only current productivity levels and the current supply of the commodity.

Under sticky prices, relative prices do not respond optimally to productivity levels or scarcity of the commodity. If there were no news about the future, the relative prices would still not be optimal under nominal price stickiness, unless monetary policy can deliver the correct levels of consumption in equations (50) and (51) that allow the economy to replicate the relative price solutions given in (52) through (53). We have noted that optimal monetary policy can achieve this allocation under PCP but not under LCP.

As we emphasized in the introduction, we are concerned with the large swings in $P_{xt} - p_t$ relative to $p_{xt}^* - p_t^*$ —a difference that does not seem by changes in relative current productivity levels in final goods. This difference is equal to the real exchange rate, and the swings may be driven by the expectations of future productivity or monetary growth that influence the nominal exchange rate.

The following example illustrates the issue. Suppose the commodity supply follows an i.i.d. process, and there is an unexpected decline in the supply of commodities, so \bar{x}_t is negative. Assume there are no innovations in the current productivity levels: $u_t = u_t^* = 0$. From (52) and (53), under flexible prices we have:

$$\hat{p}_{xt} - \hat{p}_t = - \frac{\alpha\rho}{1 - \alpha(1 - \theta\rho)} \bar{x}_t \quad \hat{p}_{xt}^* - \hat{p}_t^* = - \frac{\alpha\rho}{1 - \alpha(1 - \theta\rho)} \bar{x}_t.$$

Under sticky prices, the actual innovations in relative prices in each country depend on expectations and monetary policy rules. Suppose, for example under PCP, that μ_t and μ_t^* are set optimally to respond to current commodity supply disturbances, but the rules for δ_t and δ_t^* deviate from the optimal rules set forth in proposition 1. Specifically, define the deviations from optimal policy:

$$\xi_t \equiv \delta_t + \frac{\rho i(\varepsilon - 1)}{(1 + i\varepsilon)} \hat{E}_t C_{t+1} \quad \xi_t^* \equiv \delta_t^* + \frac{\rho i(\varepsilon - 1)}{(1 + i\varepsilon)} \hat{E}_t C_{t+1}^*$$

Then, we can write:

$$\begin{aligned} \hat{p}_{xt} - \hat{p}_t &= -\frac{\alpha\rho}{1 - \alpha(1 - \theta\rho)} \bar{x}_t + \frac{1}{1 + i} \xi_t \\ &\quad - \frac{\gamma(1 + i\varepsilon)}{2(1 + i)\{1 + i[1 - \gamma(1 - \varepsilon)]\}} \xi_t^R + \frac{1}{\alpha\theta\rho(1 + i)} \bar{\xi}_t \\ \hat{p}_{xt} - \hat{p}_t^* &= -\frac{\alpha\rho}{1 - \alpha(1 - \theta\rho)} \bar{x}_t + \frac{1}{1 + i} \xi_t^* \\ &\quad + \frac{\gamma(1 + i\varepsilon)}{2(1 + i)\{1 + i[1 - \gamma(1 - \varepsilon)]\}} \xi_t^R + \frac{1}{\alpha\theta\rho(1 + i)} \bar{\xi}_t. \end{aligned}$$

Under this policy, the relative prices respond correctly (by construction) to the supply shock, but their value also depends on anticipated future productivity and money growth. The difference between the two relative prices is given by:

$$\hat{p}_{xt} - \hat{p}_t - (\hat{p}_t^* - \hat{p}_t^*) = (1 - \gamma)\hat{s}_t = \frac{1 - \gamma}{1 + i[1 - \gamma(1 - \varepsilon)]} \xi_t^R,$$

and thus will be influenced by anticipated future shocks, unless monetary policy is set optimally as in proposition 1.

Examination of these equations show how a commodity supply shock, \bar{x}_t , could have different effects on relative prices in the two countries if optimal monetary policies are not followed. Depending on the policy errors, ξ_t and ξ_t^* , we could see a situation where the entire price effect of a decline in commodity supply is felt in the home country—a positive $\hat{p}_{xt} - \hat{p}_t$ —with no change in the foreign country ($\hat{p}_{xt}^* - \hat{p}_t^* = 0$). That is precisely the situation that could lead to a situation in which the United States experienced the large increase in the relative price of oil in 2002 to 2004, while the relative price increase in Europe was minimal.

3.4.1 Permanent Shocks

We have assumed so far that productivity shocks are transitory, but nothing depends on that assumption. Here we turn briefly to the case of permanent productivity shocks.

The derivations of equations (1) through (38) are unaffected by this as-

sumption. However, now we have $\hat{E}_t c_{t+k} = \hat{E}_t c_{t+1}$ and (as before) $\hat{E}_t m_{t+k} = \hat{E}_t m_{t+1}$, $k \geq 2$. It follows from equation (3) pushed ahead one period that

$$\hat{E}_t p_{t+1} = E_t \hat{m}_{t+1} - \frac{\rho}{\varepsilon} \hat{E}_{t+1} \hat{c}_{t+1}.$$

It is straightforward to verify under the PCP assumption that:

$$\hat{c}_t = \phi \left(\hat{m}_t - \frac{\gamma}{2} \hat{s}_t \right) + \frac{1}{\rho(1+i)} \delta_t + \frac{\varepsilon - 1}{\varepsilon(1+i)} \hat{E}_t c_{t+1}$$

$$\hat{c}_t^* = \phi \left(\hat{m}_t^* + \frac{\gamma}{2} \hat{s}_t \right) + \frac{1}{\rho(1+i)} \delta_t^* + \frac{\varepsilon - 1}{\varepsilon(1+i)} \hat{E}_t c_{t+1}^*$$

$$\begin{aligned} \hat{s}_t &= \frac{1 + i\varepsilon}{1 + i[1 - \gamma(1 - \varepsilon)]} \hat{m}_t^R + \frac{1}{1 + i[1 - \gamma(1 - \varepsilon)]} \delta_t^R \\ &\quad + \frac{\rho(\varepsilon - 1)}{\varepsilon\{1 + i[1 - \gamma(1 - \varepsilon)]\}} \hat{E}_t c_{t+1}^R. \end{aligned}$$

Proposition 1 still holds, however, with the optimal policies modified to:

$$\delta_t = -\frac{\rho(\varepsilon - 1)}{\varepsilon} \hat{E}_t c_{t+1} = -\frac{\rho(\varepsilon - 1)}{\varepsilon} \left[\frac{1 - \gamma}{2\rho} v_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{v}_t \right]$$

$$\delta_t^* = -\frac{\rho(\varepsilon - 1)}{\varepsilon} \hat{E}_t c_{t+1}^* = -\frac{\rho(\varepsilon - 1)}{\varepsilon} \left[\frac{\gamma - 1}{2\rho} v_t^R + \frac{1 - \alpha(1 - \theta)}{1 - \alpha(1 - \theta\rho)} \bar{v}_t \right].$$

Under LCP, we have:

$$\hat{c}_t = \phi \hat{m}_t + \frac{1}{\rho(1+i)} \delta_t + \frac{\varepsilon - 1}{\varepsilon(1+i)} \hat{E}_t c_{t+1}$$

$$\hat{c}_t^* = \phi \hat{m}_t^* + \frac{1}{\rho(1+i)} \delta_t^* + \frac{\varepsilon - 1}{\varepsilon(1+i)} \hat{E}_t c_{t+1}^*$$

$$\hat{s}_t = \frac{1 + i\varepsilon}{1 + i} \hat{m}_t^R + \frac{1}{1 + i} \delta_t^R + \frac{\rho(\varepsilon - 1)}{\varepsilon(1+i)} \hat{E}_t c_{t+1}^R.$$

Proposition 2 still holds as stated.

3.5 Interest Rate Rules

Devereux and Engel (2006) examine a model similar to the one presented previously. However, instead of one-period ahead pricing, DE06

assume prices are set according to a modified Calvo rule.⁸ That leads to asynchronized price setting—firms with identical costs and facing identical demand curves will have different market prices because they have adjusted prices at different dates. Devereux and Engel (2006) consider the optimal interest rate rule in this setting. The production structure is a simplified version of the model here, because in DE06 only labor is used as an input, and the optimal interest rate rule is derived only when prices are set by PCP and productivity shocks are transitory.

The standard result in this literature is that with PCP firms, policymakers have an incentive to eliminate the price distortion by driving inflation to zero, and the resulting allocation is efficient.⁹ Distortions are eliminated if policy eliminates changes in p_{Ht} and p_{Ft}^* . Indeed, if there were no news about the future, policies that drive producer-price inflation to zero in each country allow the economy to achieve the first-best allocation. The nominal exchange rate would adjust endogenously to achieve the optimal terms of trade.

However, in the set up of DE06, when news affects exchange rates, then simply targeting inflation is not sufficient. Monetary policy must act in a way to eliminate the effects of anticipated future changes on current allocations. Such a policy, DE06 show, implies stabilizing the exchange rate response to news.

We have examined optimal money supply rules, but here we shall discuss interest rate rules, and show that our central conclusions are not altered.¹⁰ We shall follow DE06, and consider only the case of PCP with transitory productivity shocks. It is straightforward to go through the entire taxonomy of other cases. We will also follow DE06 and focus on the effects of anticipated future productivity shocks, and accordingly set $u_t = u_t^* = 0$, so that all productivity changes are foreseen one period in advance. Analogously, we will hold the supply of the commodity constant. As such, we are now essentially considering a special case of DE06, one where the fraction of firms that adjust prices each period is one.¹¹ Obviously the general results of DE06 go through in this case, but it is worthwhile to draw the link explicitly.

Suppose the home and foreign interest rate rules are given by:

$$\dot{i}_t = \sigma \pi_t + \delta_t \quad (54)$$

$$i_t^* = \sigma \pi_t^* + \delta_t^*, \quad (55)$$

where $\pi_t \equiv p_{Ht} - p_{H,t-1}$ and $\pi_t^* \equiv p_{Ft}^* - p_{F,t-1}^*$. We want to consider the form of the “placeholder” variables δ_t and δ_t^* that achieve optimal policy.

In DE06, part of an optimal rule requires setting σ to be very large, to eliminate the distortion caused by asynchronous price setting in each country. With one period ahead price setting, all price setting is synchronized. But we note here that the Taylor principle holds even in this context: we need $\sigma > 1$ for price-level determinacy.

The first-order conditions for the households' optimization problems in the home and foreign country yield, respectively:

$$i_t = \rho(E_t c_{t+1} - c_t) + E_t p_{t+1} - p_t \quad (56)$$

$$i_t^* = \rho(E_t c_{t+1}^* - c_t^*) + E_t p_{t+1}^* - p_t^*. \quad (57)$$

The optimal allocations are then given by equations (24) through (30), recognizing that we are assuming $\psi_t = v_{t-1}$ and $\psi_t^* = v_{t-1}^*$.

Under PCP, prices are set according to (33) and (34). If we use these equations in conjunction with (54) to (57), the risk-sharing condition (11), and the definitions of the price indexes (9) and (10), the model can be solved.

First, suppose that the central banks target only inflation, so that $\delta_t = \delta_t^* = 0$. Use the notation for the terms of trade, $\tau_t \equiv s_t + p_{Ft}^* - p_{Ht}$. Under PCP, innovations in the terms of trade are equivalent to innovations in the nominal exchange rate.

Equating the right-hand sides of (54) and (56), and taking expectations at time $t-1$, we get a solution for π_t :

$$\sigma \pi_t = -\rho E_{t-1} c_t - \frac{\gamma}{2} E_{t-1} \tau_t = \frac{-1}{2} v_{t-1}^R - \frac{\rho[1 - \alpha(1 - \theta)]}{1 - \alpha(1 - \theta\rho)} \bar{v}_{t-1}, \quad (58)$$

where the second equality follows from equations (24) and (28). The equation for the foreign interest rate is symmetric, so that

$$\sigma(\pi_t - \pi_t^*) = -v_{t-1}^R.$$

We have $i_t - i_t^* = E_t \tau_{t+1} - \tau_t + E_t(\pi_{t+1} - \pi_{t+1}^*)$, since interest parity holds to a first-order approximation. Using $E_t \tau_{t+1} = v_t - v_t^*$, we get:

$$\tau_t = -(i_t - i_t^*) + v_t - v_t^* + E_t(\pi_{t+1} - \pi_{t+1}^*). \quad (59)$$

Combining this with (58) and its foreign counterpart, we find

$$\tau_t = v_{t-1} - v_{t-1}^* + \frac{\sigma - 1}{\sigma} (v_t - v_t^*). \quad (60)$$

Recall that the optimal terms of trade are given by $\tau_t = v_{t-1} - v_{t-1}^*$. We see in (60) that no matter what the degree of inflation targeting, the terms of

trade respond optimally to the current productivity level. But for all admissible values of σ (since we must have $\sigma > 1$), expected future productivity levels also influence the terms of trade.

It is apparent from inspection of equation (59) that the general form of the interest rate rules (54) and (55) that will eliminate the effects of anticipated shocks on the terms of trade require:

$$\delta_t - \delta_t^* = \frac{\sigma - 1}{\sigma}(v_t - v_t^*).$$

Under this type of rule, we arrive at $\tau_t = v_{t-1} - v_{t-1}^*$. Such a policy eliminates innovations in exchange rates:

$$\hat{s}_t = \hat{\tau}_t = 0.$$

We have so far discussed only the properties of the relative interest rate rules, and their implications for relative prices and exchange rates. Equating the right-hand sides of (54) and (56), we have:

$$\sigma\pi_t + \delta_t = \rho(E_t c_{t+1} - c_t) + E_t p_{t+1} - p_t.$$

To find the optimal value of δ_t , we note that at the optimum, $c_t = E_{t-1}c_t$ and $\tau_t = E_{t-1}\tau_t$. Then, using (58), we get:

$$\begin{aligned} \delta_t &= \rho E_t c_{t+1} + E_t \tau_{t+1} + E_t \pi_{t+1} = (1 - \sigma)E_t \pi_{t+1} \\ &= \frac{-(1 - \sigma)}{2} v_t^R - \frac{\rho(1 - \sigma)[1 - \alpha(1 - \theta)]}{1 - \alpha(1 - \theta\rho)} \bar{v}_t. \end{aligned}$$

By symmetry, the optimal foreign monetary policy sets:

$$\delta_t^* = \frac{1 - \sigma}{2} v_t^R - \frac{\rho(1 - \sigma)[1 - \alpha(1 - \theta)]}{1 - \alpha(1 - \theta\rho)} \bar{v}_t.$$

The message is unchanged from the model with money supply rules: Monetary policy should target anticipated future shocks in such a way as to eliminate unanticipated changes in nominal exchange rates.

3.6 Conclusions

An optimally designed monetary policy must react differentially to changes in fundamentals that are anticipated and changes that are unanticipated. In practice, of course, such a policy is not practical to imple-

ment. Our point here, however, is to stress that under the optimal policy, unanticipated changes to exchange rates are largely eliminated. There should only be shocks to exchange rates when the current fundamentals change unexpectedly. But it is widely recognized that most exchange rate changes are in response to news about the future, not in response to the current levels of productivity or monetary policy. However we might in practice implement the optimal policy, a gauge of its success is that the effects of news on exchange rates is eliminated.

We should emphasize that we are not attempting here to develop a new insight about the deep properties of monetary policymaking in sticky-price models. We have deliberately built a series of models in which the only distortion is nominal price stickiness, and the optimal policy is to replicate the flexible price equilibrium. The contribution is a practical one. By and large, the flexible price equilibrium will not be one in which anticipated future shocks, which determine the relative prices of two currencies, should determine relative goods prices. Optimal policy should attempt to eliminate unanticipated shocks to exchange rates.

We note, however, that our model also has several unrealistic features. We have no durable goods—either capital, storable inputs, or durable consumption goods. Our economy has complete and unrestricted capital markets. Our future work aims to assess realistic policy rules not only in economies that have these realistic features, but also in economies in which agents receive signals about future fundamentals.

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Notes

1. Engel and West (2004) and Engel, Mark, and West (2007) have recently argued that present-value models of exchange rates can account for a large fraction of the volatility of exchange rates, and potentially all of the volatility if we could measure such unobserved fundamentals as money demand errors or monetary policy shocks.
2. See, for example, Smets and Wouters (2002), Devereux and Engel (2003, 2007), Sutherland (2005), Corsetti and Pesenti (2005), Monacelli (2005), and Duarte and Obstfeld (2007).

3. Although it is frequently stated that oil is priced in dollars, there is no real significance to that statement since crude oil is priced on a spot market. It is not a sticky price in any currency.
4. This statement is not quite true, because a fully efficient allocation would require that interest rates be set by the Friedman rule. But, as is standard in the literature, we will assume that the weight on real balances in the utility function, χ , is vanishingly small, so that the utility from real balances is insignificant.
5. Note that we have defined \bar{x}_t to be the world endowment of the commodity, but by equation (21), it still fits our definition of a world variable.
6. Since all variables with a t subscript are known at time t , \hat{z}_t means the same thing as $\hat{E}_t z_t$. We introduce the \hat{z}_t because it is used a lot and is less cumbersome.
7. See, for example, Obstfeld and Rogoff (2000, 2002), Devereux and Engel (2003), and Corsetti and Pesenti (2005).
8. The rule is modified because it is assumed that even when firms are allowed to change prices, the price change is not implemented for one period.
9. For example, see Clarida, Gali, and Gertler (2001, 2002), Kollmann (2002), Benigno and Benigno (2003, 2006), and Gali and Monacelli (2005).
10. If we do not alter the model, and leave real balances in the utility function (with a very small weight), then when an interest rate rule is followed we assume the central banks adjust the money supplies endogenously so that money market equilibrium attains the desired interest rate.
11. One small difference is that our production function does not have output proportional to labor input, since we still assume a (now constant) input of the commodity.

References

- Barro, R. G., and R. G. King. 1984. Time separable preferences and intertemporal substitution models of the business cycle. *Quarterly Journal of Economics* 99:817–39.
- Benigno, G., and P. Benigno. 2003. Price stability in open economies. *Review of Economic Studies* 70:743–64.
- . 2006. Designing targeting rules for international monetary policy coordination. *Journal of Monetary Economics* 53:473–506.
- Clarida, R., J. Gali, and M. Gertler. 2001. Optimal monetary policy in open versus closed economies: An integrated approach. *American Economic Review, Papers and Proceedings* 91:248–52.
- . 2002. A simple framework for international monetary policy analysis. *Journal of Monetary Economics* 49:879–904.
- Corsetti, G., and P. Pesenti. 2005. International dimensions of optimal monetary policy. *Journal of Monetary Economics* 52:281–305.
- Devereux, M. B., and C. Engel. 2003. Monetary policy in the open economy revisited: Exchange rate flexibility and price setting behavior. *Review of Economic Studies* 70:765–783.
- . 2006. Expectations and exchange rate policy. CEPR Paper no. 5743.

———. 2007. Expenditure switching versus real exchange rate stabilization: Competing objectives for exchange rate policy. *Journal of Monetary Economics* 54:2346–74.

Duarte, M., and M. Obstfeld. Forthcoming. Monetary policy in the open economy revisited: The case for exchange-rate flexibility restored. *Journal of International Money and Finance*.

Engel, C., and K. D. West. 2004. Accounting for exchange rate variability in present value models when the discount factor is near one. *American Economic Review, Papers and Proceedings* 94:119–25.

Engel, C., N. C. Mark, and K. D. West. Forthcoming. Exchange rate models are not as bad as you think. *NBER Macroeconomics Annual, 2007*.

Gali, J., and T. Monacelli. 2005. Monetary policy and exchange rate volatility in a small open economy. *Review of Economic Studies* 72:707–34.

Kollman, R. 2002. Monetary policy rules in the open economy: Effects on welfare and business cycles. *Journal of Monetary Economics* 49:989–1015.

———. 2004. Welfare effects of a monetary union: The effects of trade openness. *Journal of the European Economic Association* 2:289–301.

Monacelli, T. 2005. Monetary policy in a low pass-through environment. *Journal of Money, Credit, and Banking* 37:1047–66.

Obstfeld, M., and K. Rogoff. 1995. Exchange rate dynamics redux. *Journal of Political Economy* 103:624–60.

———. 2000. New directions for stochastic open economy models. *Journal of International Economics* 50:117–53.

———. 2002. Risk and exchange rates. In *Contemporary economic policy: Essays in honor of Assaf Razin*, ed. E. Helpman and E. Sadka, 401–51. Cambridge: Cambridge University Press.

Smets, F., and R. Wouters. 2002. Openness, imperfect exchange-rate pass-through and monetary policy. *Journal of Monetary Economics* 49:947–81.

Sutherland, A. 2005. Incomplete pass-through and the welfare effects of exchange-rate variability. *Journal of International Economics* 65:375–99.

Comment

Gianluca Benigno, London School of Economics, CEP and CEPR

This is a very nice and elegant paper by Michael Devereux and Charles Engel. The main objective of the paper is to examine how optimal monetary policy and exchange rate policy are affected by the presence of news shocks. The model that the authors propose belongs to the New Open Economy Macro (NOEM) literature, which builds models following the New Keynesian tradition along with rigorous microfoundations. This work follows a previous contribution of the same authors (Devereux and Engel 2006) in which the key modification with respect to the conventional NOEM framework is constituted by the introduction of news shocks. In my comments I will summarize briefly Devereux and Engel's contribution, analyze their results in the context of a related framework, and discuss the design of optimal policy.

Summary of the Paper

As I mentioned earlier, the setup of the paper is similar to many NOEM models. The authors present a two-country stochastic dynamic general equilibrium model with nominal price rigidities and monopolistic competition. The model differs from the standard framework (see Devereux and Engel 2003; and Obstfeld and Rogoff 2002) in few aspects:

1. It allows for home bias in preferences
2. It considers a commodity input (as oil for example) that is traded internationally at freely flexible prices
3. It introduces news productivity shocks: this means that at time t , agents become aware of productivity shift at time $t + 1$ ¹

The preference specification implies that, in this two-country setting, there are no gains from cooperation (see Devereux and Engel 2003, and Obstfeld and Rogoff 2002).

The authors then proceed in analyzing the implications of news shocks for optimal monetary policy. In particular, they examine how domestic and foreign policy rules (money supply or interest rate rules) should be set to optimally respond to anticipated future shocks under producer and local currency pricing. The main results of the paper are that:

- For the given model specification, the flexible price allocation is efficient even in the presence of anticipated future shocks.
- Optimal policy should react to anticipated future shocks in such a way that the nominal exchange rate should not move following news about future fundamentals. If policy is conducted optimally then news shocks will not generate any misalignments in relative commodity prices across countries.

Analysis

My focus in this discussion will be to examine the interaction between news shocks and optimal policy in a simple framework by looking at the implications of anticipated future productivity shocks for the conduct of optimal policy in a closed economy setting and in a small open economy setting. Since the introduction of a commodity input does not play any role for the determination of optimal policy I will abstract from it in the analysis that follows. In doing so I will use the De Paoli's (2004) small open economy model: in this framework, the small open economy is obtained as a limit case of a two-country framework in which price-setting behavior is modeled through a partial adjustment rule à la Calvo.² For simplicity I will analyze only the producer currency pricing case. Since there are no gains from cooperation in the framework proposed by Devereux and Engel, focusing on the small open economy case does not imply any loss of generality. The economy produces traded goods and imports different goods from the rest of the world and international asset markets are complete. The model can be summarized by the following set of equations in log-linear form:

$$\hat{\pi}_t^H = k[\eta(\hat{Y}_t - \hat{Y}_t^T) + (1 - \lambda)^{-1}(\widehat{RS}_t - \widehat{RS}_t^T) + u_t] + \beta E_t \hat{\pi}_{t+1}^H \quad (1)$$

$$(\hat{Y}_t - \hat{Y}_t^T) = c(\widehat{RS}_t - \widehat{RS}_t^T) + \chi u_t \quad (2)$$

$$\widehat{RS}_t = E_t \widehat{RS}_{t+1} + \hat{i}_t - E_t \hat{\pi}_{t+1} - u_t^* + E_t u_{t+1}^* \quad (3)$$

where (1) represents the small open economy Phillips curve while (2) is the aggregate demand and (3) is the Euler equation for the consumer maximization problem in which the risk-sharing condition from market

completeness has been substituted. In these equations $\hat{\pi}_t^H$ denotes domestic producer inflation, $\hat{\pi}_t$ denotes consumer price inflation, $\hat{Y}_t - \hat{Y}_t^T$ denotes the deviation of domestic output from the policy target, $\widehat{RS}_t - \widehat{RS}_t^T$ the deviations of the real exchange rate from the policy target, u_t is a linear combination of various types of domestic shocks (productivity, government expenditure, markup, and foreign shocks) while u_t^* represents foreign real shocks. The parameter that captures the degree of openness of the small open economy is λ , so that as $\lambda \rightarrow 0$ the economy converge to a closed economy, while k is a constant that depends on the degree of the nominal rigidity ($k \rightarrow \infty$ when prices are flexible). The variables η , β , c and χ are constant, which are functions of the structural parameters. The model is closed by a monetary policy rule. In what follows I will consider two types of policy behavior:

1. Taylor-type rule in which $\hat{i}_t = \phi \hat{\pi}_t^H + \psi (\hat{Y}_t - \hat{Y}_t^T)y$
2. Optimal policy behavior in which the policy authority maximize the expected utility of agents belonging to the economy.

The Transmission Mechanism of News Shocks

To understand the transmission mechanism of the news shock I will start by focusing on the closed economy case (i.e., $\lambda = 0$). The aim of this section is to highlight how news shock will propagate under different assumptions: flexible prices, sticky prices with Taylor-rule, and sticky prices with optimal policy. As a starting point, I will consider the special case of a closed economy and quasi-flexible prices.³ Figure 3C1.1 reports the impulse response following a productivity shock that last only one period in the case in which the shock is anticipated (continuous line) and nonanticipated (dotted line). When the shock is anticipated, in the quasi-flexible price allocation the nominal interest rate and domestic inflation will adjust such that the real interest rate does not vary and domestic demand and output are unchanged. In figure 3C1.2 the same experiment is replicated for the case in which prices are sticky and monetary policy is conducted following a Taylor-type rule.⁴ The anticipated shock will have real effects in the current period since agents will increase consumption (and output) and the nominal interest rate accommodates (i.e., decreases) the anticipated shock. Under optimal policy (fig. 3C1.3), the inflation is stabilized and the nominal interest rate increases so that consumption and output do not move in the current period (as in the quasi-flexible price allocation). Since inflation is costly, the adjustment is brought by changes in the nominal interest rate.

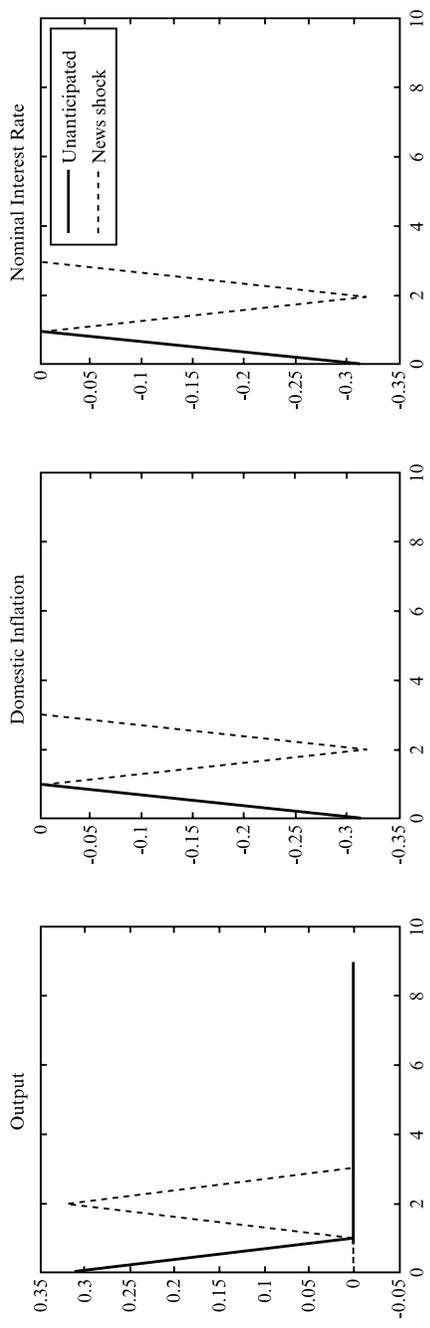


Figure 3C1.1
 Closed economy, Taylor-rule, quasi-flexible prices allocation

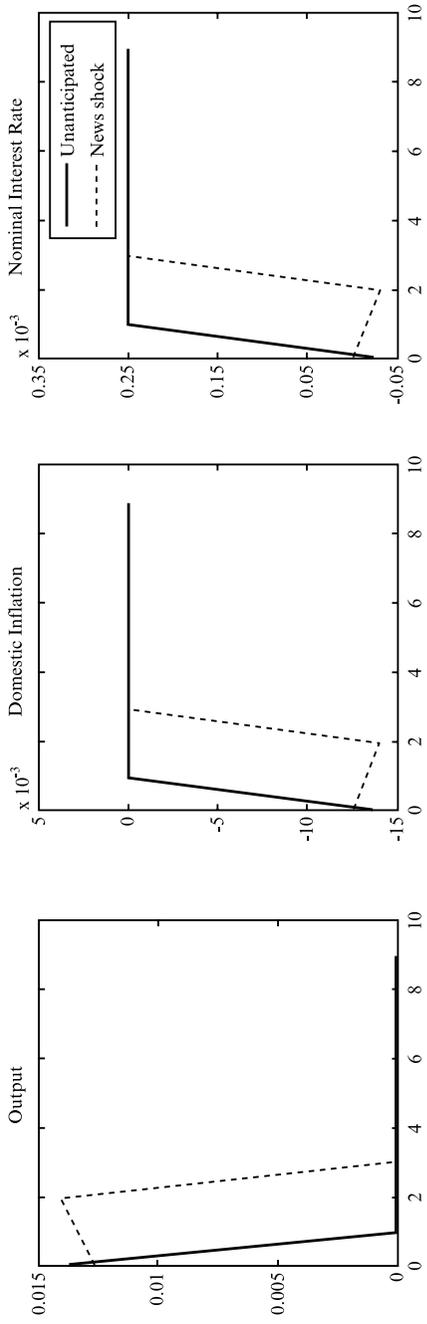


Figure 3C1.2
Closed economy, Taylor-rule, sticky-price allocation

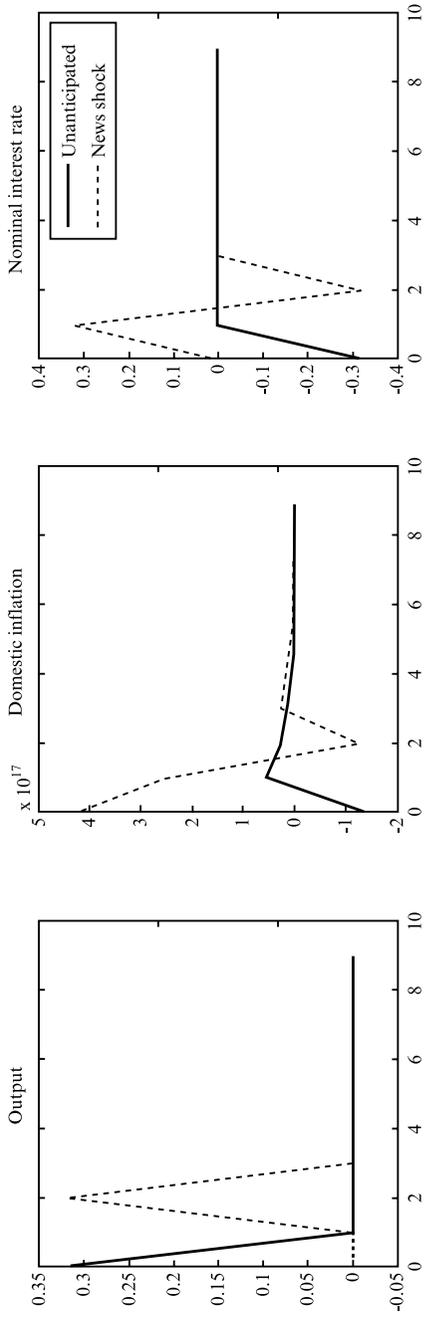


Figure 3Cl.3
Closed economy, optimal monetary policy

From this simple analysis we might draw two main conclusions:

1. The first one is related to the completely different behavior between the Taylor rule and the optimal policy for an anticipated productivity shock. While the Taylor rule would imply a decrease of the nominal interest rate in the period in which the shock is announced, optimal policy would recommend to increase the domestic interest rate. This suggests that while the Taylor rule might be a good approximation to optimal policy for current shocks, news shocks might imply significant difference.
2. The second observation suggests that the targeting rule in which domestic inflation is stabilized at each point in time and in every state would be a good policy for all types of shocks (anticipated or not).

The Open Economy Dimension

How does the problem change when we consider an open economy? And, in particular, what is the implication for exchange rate policy?

In this section I am going to focus on the behavior of the nominal exchange rate when the economy is subject to news shocks. As before, I examine the sticky price allocation under the Taylor-rule and under optimal policy. In order to mimic the feature of the analysis conducted in Devereux and Engel, I will parametrize the small open economy in such a way that the flexible price allocation is optimal.⁵ In their work, Devereux and Engel suggest that in their two-country framework monetary policy should stabilize the nominal exchange rate conditional on news shocks: “. . . the sticky price distortion requires eliminating the effects of news on exchange rate changes, even if inflation is controlled.” What I will show is that stabilization of producer price inflation would be sufficient to eliminate the inefficiency caused by sticky prices and news shock on the behavior of the nominal exchange rate: indeed, producer price stabilization is the optimal policy for this small open economy case.

As for the closed economy case, in figure 3C1.4 I consider the impulse response for the case in which policy is conducted following a Taylor-rule. In this case, the nominal exchange rate will appreciate in anticipation of future productivity improvements and the nominal interest rate accommodates the news shock. More importantly, the real exchange rate will depreciate because of initial deflation. On the contrary, under the optimal policy (see fig. 3C1.5), the nominal and real exchange rate would change only when the shock occurs and domestic producer inflation is stabilized in every period. Similarly to what occurs in a closed

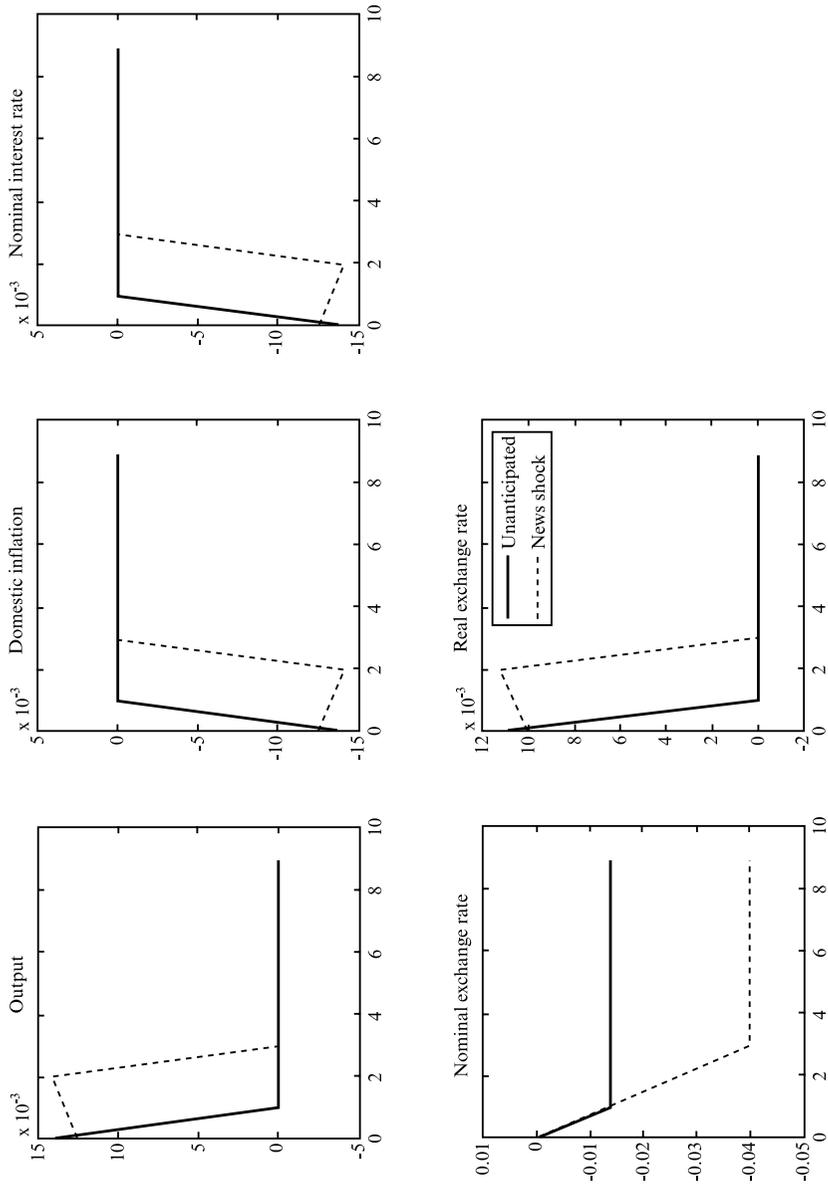


Figure 3C1.4
Small open economy, Taylor-rule, sticky-price allocation

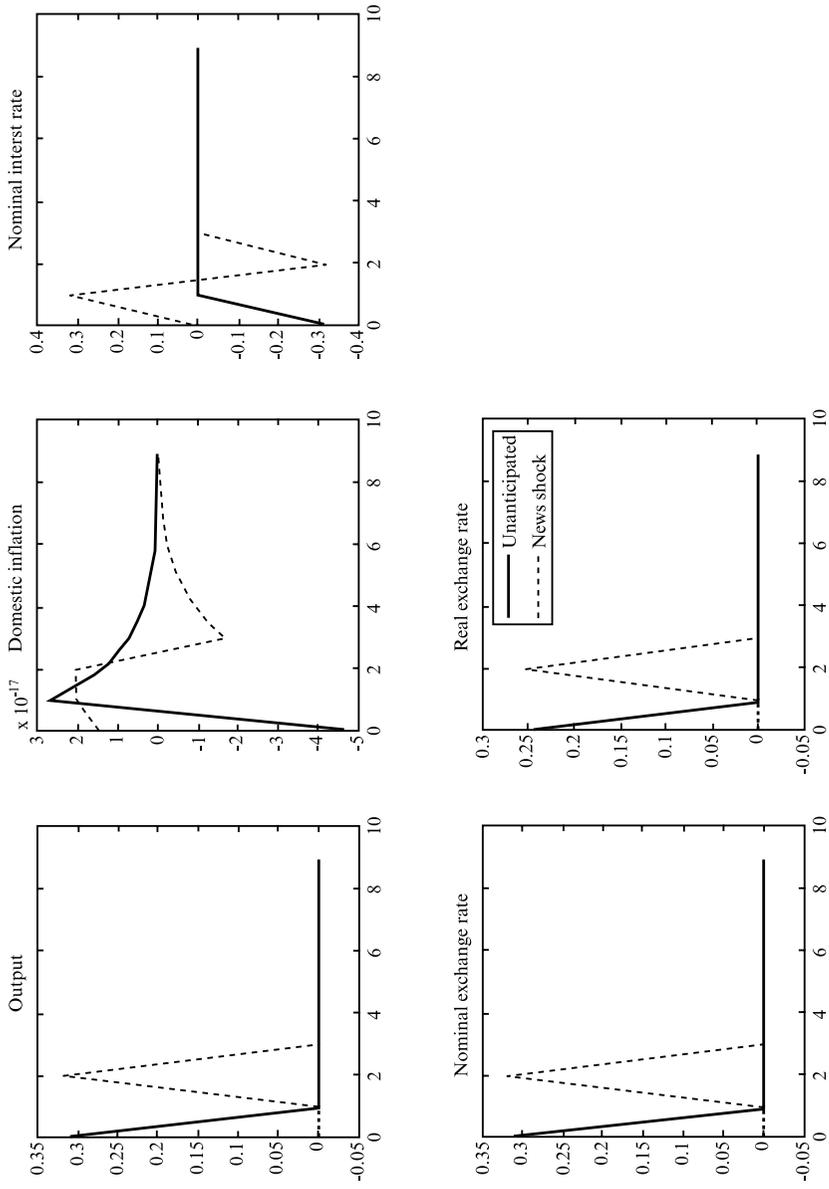


Figure 3C1.5
Small open economy, optimal monetary policy

economy, the nominal interest rate initially increases and then decreases when the shock occurs.

The two conclusions that I draw upon previously for the closed economy analysis also hold here. Taylor-rules lead to a quite different response to news shock compared to optimal policy, and the targeting rule in which domestic producer inflation is stabilized at each point in time and in every state would be a good policy for all types of shocks (anticipated or not).

How should we design policy in open economy?

Devereux and Engel suggest that policy should aim at stabilizing movements in the nominal exchange rate conditional on anticipated shocks on future fundamentals. They claim that the sticky price distortion would require to eliminate the effects of news on the exchange rate. The analysis conducted here through the previous simple examples has shown that optimal targeting rules would be robust to the introduction of news shocks. From the optimal policy problem for the small open economy or the two-country world, it is possible to derive the targeting rules that implement the optimal allocation. These targeting rules would be invariant to the introduction of news shock (see De Paoli 2004 and Benigno and Benigno 2006). In particular for the parametric case described by Devereux and Engel, a combination of policy in which countries set their own domestic producer inflation to zero would replicate the cooperative equilibrium and would be sufficient in eliminating the effects of news shocks under sticky prices (the home country would follow $\hat{\pi}^H = 0$ while the foreign country would set $\hat{\pi}_i^F = 0$).⁶ Moreover, under the preference specification proposed by Devereux and Engel, producer price stabilization for both countries would also coincide with the noncooperative allocation.

Conclusions

Devereux and Engel have written an interesting and stimulating paper. It examines how optimal policy should respond to new shocks. Their main conclusion is that, given the structure of the economy, optimal policy should stabilize the nominal exchange conditional on news shocks. They suggest monetary and interest rate rules that would achieve optimality. While news shock combined with sticky price might imply inefficient behavior for the nominal exchange rate and the other variable of interests, in my analysis I have shown that an alternative way of writing the optimal policy problem (i.e., in terms of targeting rules) would be

robust to the introduction of news shock and would replicate the optimal allocation.

Notes

1. In previous work (see Devereux and Engel 2006), the authors provide evidence on the relevance and relative importance of news shocks.
2. The adoption of the partial adjustment rule à la Calvo does not change the conclusions.
3. For the simulation, unless otherwise specified, I use the parameters values as in De Paoli (2004) and consider only one-period productivity shock (anticipated and unanticipated). For the quasi-flexible allocation I set $\alpha = 0.0000001$ where α represents the probability of not changing prices in the Calvo adjustment rule.
4. For the sticky price case I set $\alpha = 0.66$.
5. This corresponds to the condition that the product of intra and intertemporal elasticity of substitution is unitary (i.e., $\rho\theta = 1$; see De Paoli 2004).
6. Benigno and Benigno (2006) derive the targeting rules for more general preference specifications.

References

- Benigno, G., and P. Benigno. 2006. Designing targeting rules for international monetary policy cooperation. *Journal of Monetary Economics* 53:473–506.
- De Paoli, B. 2004. Monetary policy and welfare in a small open economy. Centre for Economics Performance (CEP) Discussion Paper no. 639. London: CEP.
- Devereux, M. B., and C. Engel. 2003. Monetary policy in the open economy revised: Price setting and exchange rate flexibility. *Review of Economic Studies* 70: 765–84.
- . 2006. Expectations and monetary policy. Unpublished manuscript. University of Wisconsin, Madison.
- Obstfeld, M., and K. Rogoff. 2002a. Global implications of self-oriented national monetary rules. *Quarterly Journal of Economics* 117: 503–35.

Comment

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The paper analyzes the role of monetary policy in an open economy model where the nominal exchange rate responds to news about future fundamentals. Extending their previous work (Devereux and Engel 2006), the authors present a two-country model in the class of the New Open Economy Macro literature, where prices are sticky and a stochastic component of future productivity becomes known a period in advance. The model also includes an internationally traded commodity input, but this feature is not essential to the analysis of the optimal policy.

The authors show that price rigidity, combined with the news shock to a future fundamental and the presence of home bias in preferences, generates an inefficient allocation: while in the flexible price case current consumption depends only on *current* fundamentals, in the sticky price case it depends on the news about future productivity. They then show how to devise a monetary policy in the form of an instrument rule—they consider in turn a money supply rule and an interest rate rule—to replicate the flexible price equilibrium. Monetary policy should be designed to offset the effect of the news on the nominal exchange rate.

With their stylized model, Devereux and Engel intend to offer an example of the tension between the role of the exchange rate as an asset price and its role as determinant of relative goods prices. Their paper is very interesting and provocative, and provides them with a new ground to argue for the desirability of a monetary policy that promotes exchange rate stability.

I do not have the expertise in international macro to discuss the analytics of the paper. Nonetheless, I am uncomfortable with the paper's conclusion about the desirability of offsetting exchange rate fluctuations. I will therefore limit my comments to raising a few questions about the nature of their monetary policy prescription, and discussing the implications that the authors draw from their analytical results.

Observation 1

The proposed policy is able to reproduce the flexible price equilibrium: to what extent is it the policy that maximizes consumers' welfare? Also, how do we know that the proposed policy does not create undesirable side effects? The policy prevents the transmission of information through prices, which is what a well-functioning market should do. Perhaps the authors should give a better intuition for the nature of the inefficiency that such diffusion of information causes and clarify to what extent their result is driven by the very simple form of price rigidity—with all prices set a period in advance—which is assumed in the paper.

Observation 2

The derived optimal policy dampens those fluctuations in the exchange rate that derive from its response to the news. To what extent should it be characterized as an exchange rate policy, which would involve monitoring the exchange rate?

Devereux and Engel state at some point that “Common wisdom (supported by the empirical work of Devereux and Engel 2006) is that short run exchange rate movements are largely driven by news about the future . . . therefore the policies that target news about the future are far more important in delivering desirable terms of trade movements and real exchange rate movements than the policies that target current fundamentals” (p. 18).

This statement suggests that, if one wants to stabilize the exchange rate, one should target the news, because most of exchange rate shocks come from news. However, news are very hard to pin down, and the policy suggestion of the paper seems to be that stabilizing the exchange rate would achieve an approximately optimal policy.

But, should stabilization of the exchange rate be the objective of the policymakers? The problem with such a policy is that it would offset as well those fluctuations that reflect instead the relative prices of goods, leading to inefficient allocations. Even according to the authors' calculations (see Devereux and Engel 2006), fundamentals still represent some 20 percent of exchange rate fluctuations.

Observation 3

The paper, however, raises the interesting issue of the importance of news about future fundamentals. Recent research (Evans and Lyons

2007) explores the empirical relevance of changes in fundamentals expectations using data on transaction flows. The idea is that there is more information than what is publicly known, which is dispersed and assimilated by the market through the trading process. The paper finds that transaction flows predict how the market will react to information about future macro fundamentals, and exchange rates respond to transaction flows precisely because they reflect this change in market expectations.

But there is a sense in which the proposed reaction of monetary policy to the news is problematic. The news that matter for exchange rate movements, in fact, might as well be news about future interest rate movements. A change in expectations of the future policy path is, for example, often generated by speeches of the Federal Open Market Committee (FOMC) members, or by the FOMC post-meeting statement, even in the absence of any policy change, or when a policy change occurs that is exactly anticipated. It would indeed be very interesting to explore this hypothesis using information on daily exchange rate movements, looking at the times of policy announcements.

The case of whether monetary policy should aim at stabilizing the exchange rate is highly debated in the literature. Commonly cited reasons why an exchange rate should not be included in the policy rule rest essentially on the asset price nature of exchange rates: they are very volatile, and their movements are hard to explain. In the model of this paper the particular nominal rigidity assumed makes innovations in the exchange rate equal to innovations in the terms of trade. The arguments for excluding the terms of trade from explicit consideration in the policy rule are weaker than for the exchange rate because terms of trade are more predictable, at least since the 1980s (see Rogoff 2006). But again, the literature offers several plausible cases where it is not necessary to include them in a policy rule to achieve the monetary authority's objectives.

Concluding Comments

To conclude, I want to go back to the motivation of the paper, the observation about the large swing in the relative price of oil in the United States versus the euro area between 2002 and 2004. Carrying over the conclusions of the Devereux-Engel model, should the European Central Bank (ECB) and the Federal Reserve System have prevented the dollar depreciation? Such a recommendation not only runs counter to the theoretical considerations discussed previously, and the resistance of policymakers to offset exchange rate movements, but overlooks the fact

that there might have been good reasons for a dollar depreciation at that time, and that preventing it could have caused more inefficiencies.

By the end of 2004, according to Obstfeld and Rogoff (2006), a large fall in the real value of the dollar was a necessary by-product of the needed reduction of the U.S. current account deficit. While there may be no agreement on the size of the forecasted dollar depreciation, most economists would agree that the current account deficit would require an increase in the American national savings. Such a rebalancing would indeed imply a decline of the real value of the U.S. dollar, and it is not clear to what extent such a process could be obtained without a decline in the nominal value of the exchange rate, a realignment that we are still experiencing. (The alternative would be deflation, surely not a desirable way to bring about this adjustment.)

Note

The views expressed in this discussion do not necessarily reflect the position of the Federal Reserve Bank of New York or the Federal Reserve System.

References

Devereux, M. B., and C. Engel. 2006. Expectations and exchange rate policy. Unpublished manuscript, University of Wisconsin.

Evans, M., and R. Lyons. 2007. Exchange rate fundamentals and order flow. NBER Working Paper no. 13151. Cambridge, MA: National Bureau of Economic Research, June.

Obstfeld, M., and K. Rogoff. 2006. The unsustainable U.S. current account position revisited. In *G7 current account imbalances: Sustainability and adjustment*, ed. R. Clarida, 339–66. Chicago: University of Chicago Press.

Rogoff, K., 2006. Impact of globalization on monetary policy. In *The new economic geography: Effects and policy implications*. Jackson Hole Symposium, Federal Reserve Bank of Kansas City.